

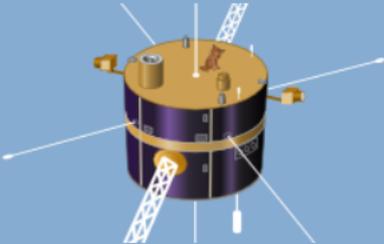
# Measuring Cosmological Parameters with GRBs



**Lorenzo Amati**  
**(INAF – IASF Bologna)**



**with main contributions by: M. Della Valle,  
F. Frontera, C. Guidorzi and S. Capozziello**



Ioffe Workshop on GRBs and other transient sources:  
20 Years of Konus-Wind Experiment

22–26 September 2014, St.Petersburg, Russia

# The accelerating and “dark” Universe

the standard “hot big-bang” cosmological model as of middle '90s (**general relativity + Hubble law + cosmological principle + dark matter + CMB**)

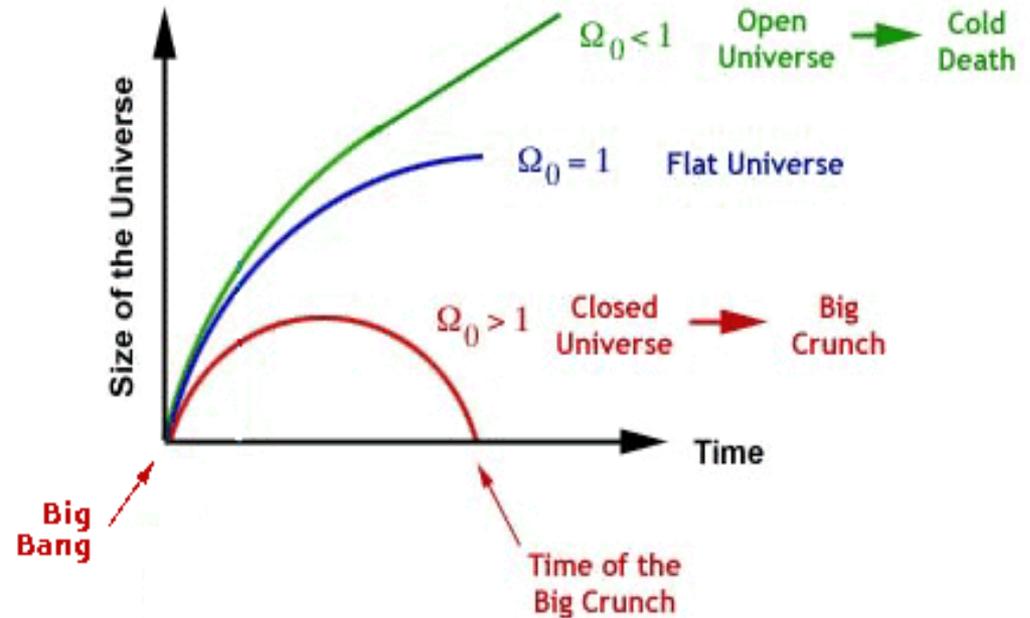
$$\rho_c(t) = \frac{3H^2(t)}{8\pi G}$$

Critical density as a function of time. Value below is present value, based on present value of the Hubble parameter H

$$\rho_{c,0} = \frac{3H_0^2}{8\pi G} = 9.47 \times 10^{-27} \text{ kg / m}^3$$

$$H_0 = 71 \text{ km/s / mpc}$$

WMAP value for the Hubble parameter.



$$\Omega = \Omega_m + \Omega_{rel}$$

Total density parameter  
 $\Omega = \frac{\rho}{\rho_c}$   
 $\Omega = 1$  for critical density universe

Mass density including ordinary mass (baryonic mass) plus dark matter.

Effective mass density of relativistic particles (light plus neutrinos).

the standard “hot big-bang” cosmological model NOW: inflation + CMB -> ~ flat Universe ( $\Omega_{tot} = 1$ ), SN Ia (+ clusters, BAO) ->  $\Omega_m \sim 0.3$  -> accelerated expansion -> dark energy (cosmological constant, quintessence, ...)

$$R_{\mu\nu} - \frac{1}{2}R g_{\mu\nu} + \Lambda g_{\mu\nu} = \frac{8\pi G}{c^4} T_{\mu\nu}$$

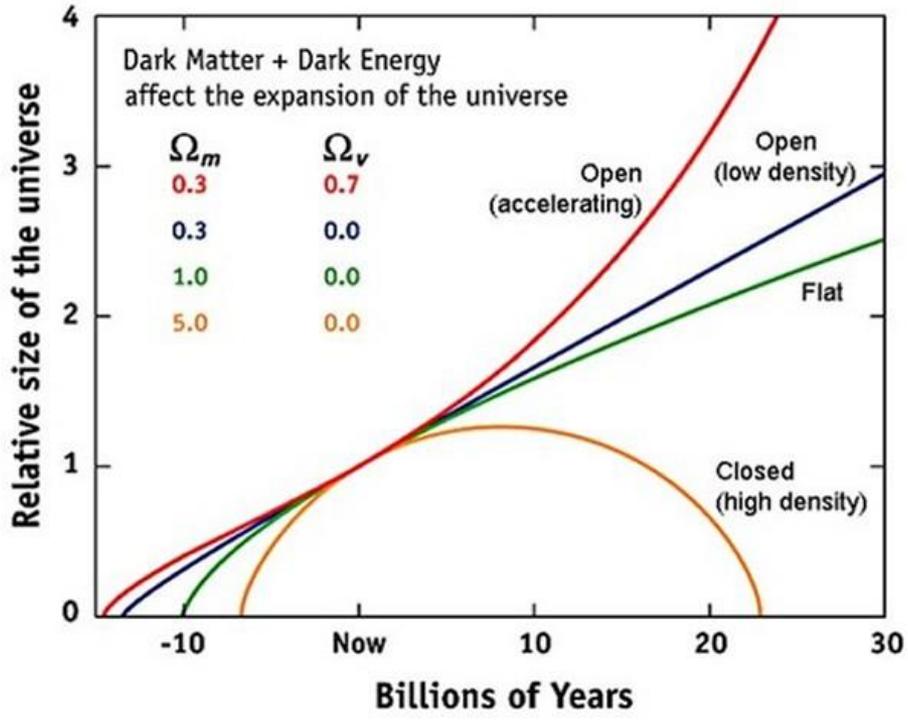
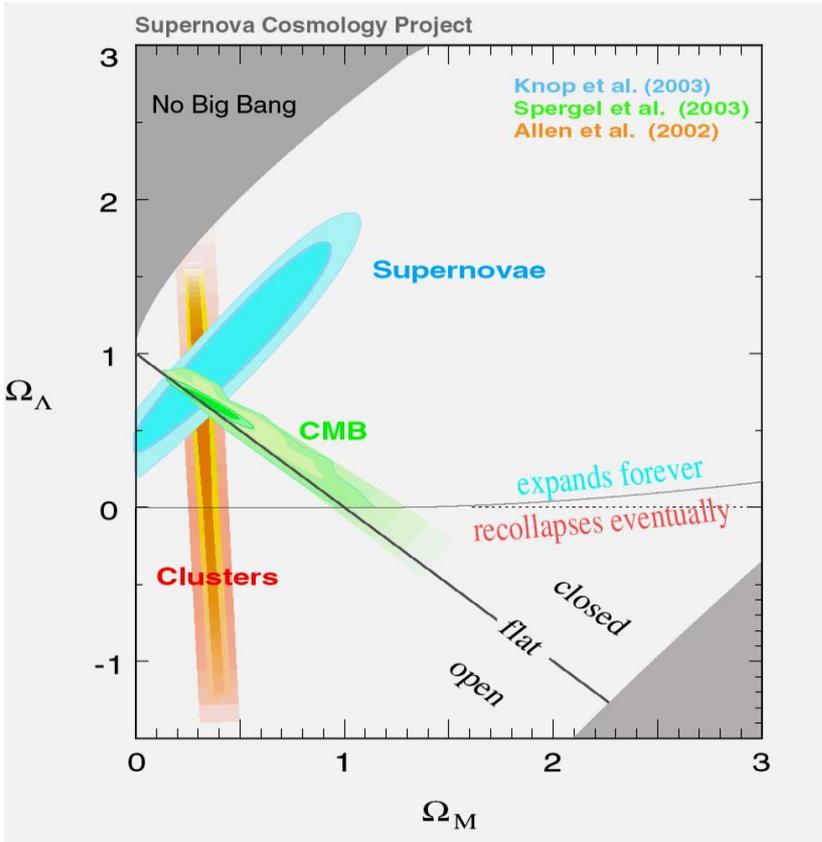
$$\Omega = \Omega_m + \Omega_{rel} + \Omega_\Lambda$$

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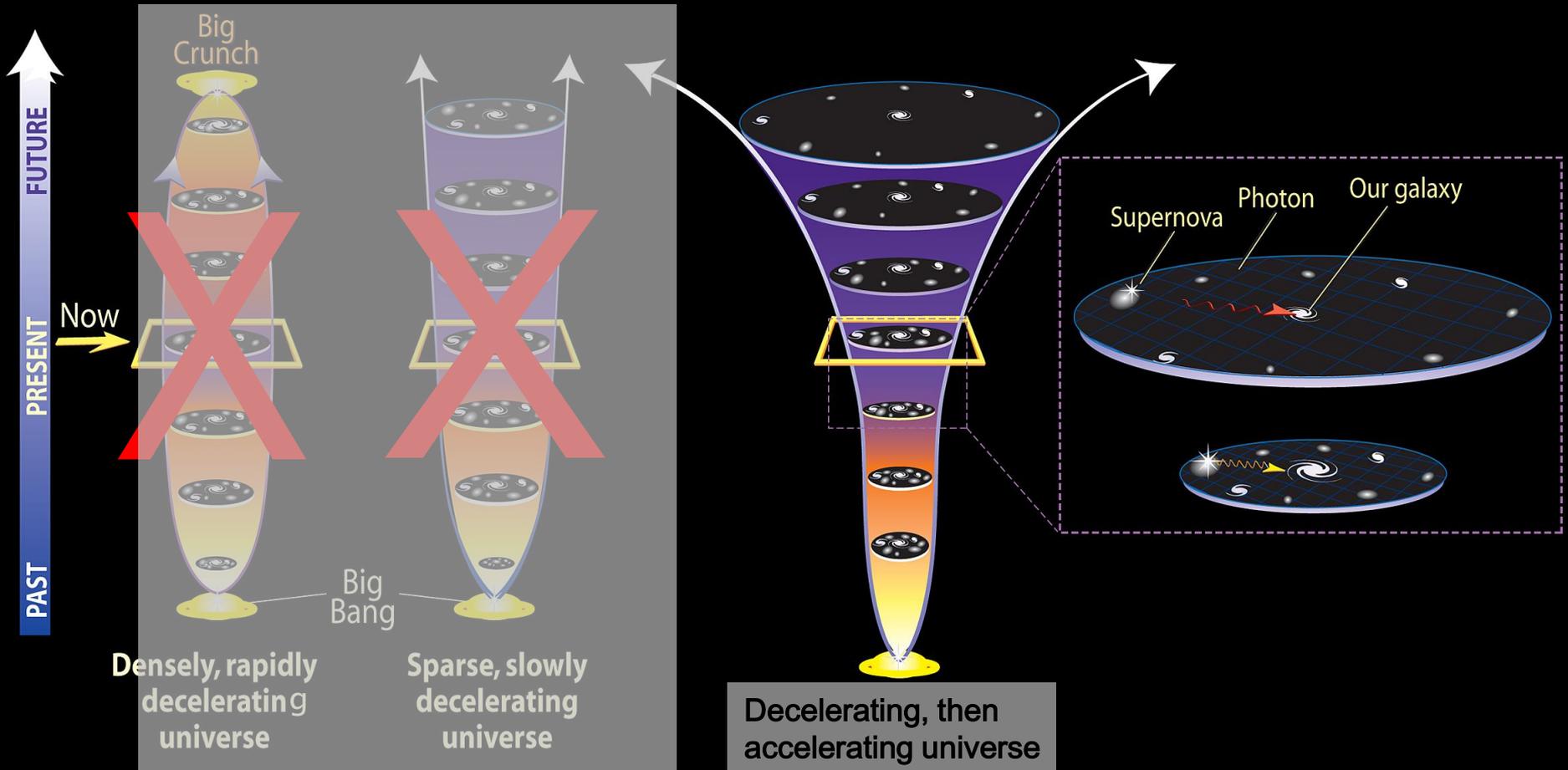
Effective mass density of the dark energy, taking the role described as the cosmological constant.



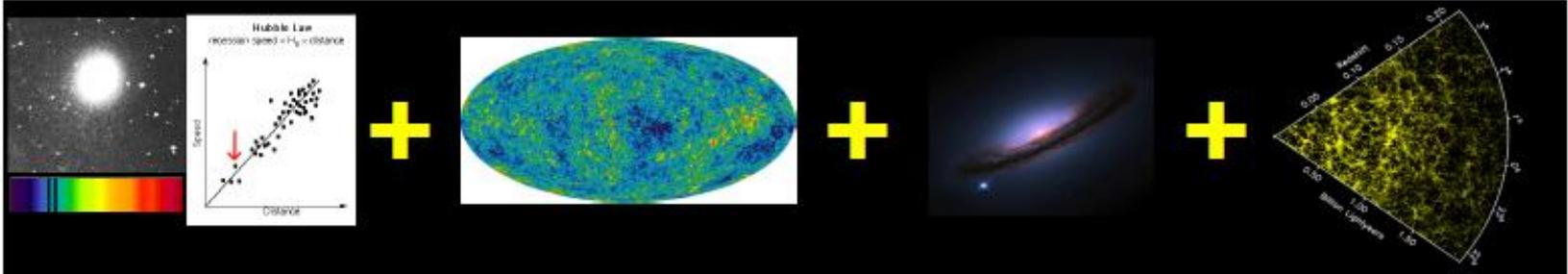
the Universe expansion is **accelerating**

Universe now expanding ~20% faster than 5 billion years ago

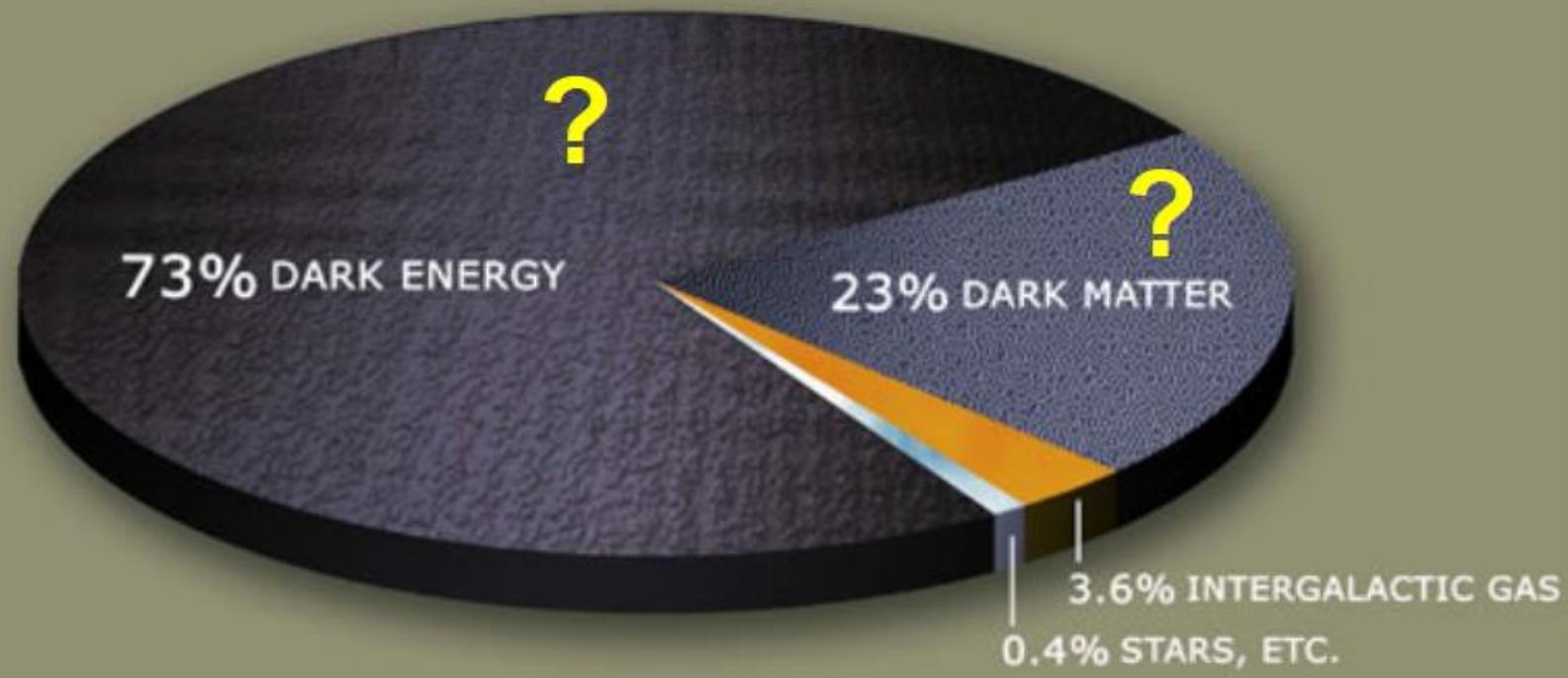
# Models of the Expanding Universe



# □ the Universe is “dark”



All observational cosmology tests agree: ~96% of the Universe is dark



# A plethora of theoretical answers!

(A tale of unconstrained fantasy)

## DARK MATTER



- ✓ Neutrinos
- ✓ WIMPs
- ✓ Wimpzillas,
- ✓ Axions,
- ✓ The “particle forest” .....
- ✓ MOND
- ✓ MACHOS
- ✓ Black Holes
- ✓ .....

## DARK ENERGY



- ✓ Cosmological Constant
- ✓ Scalar field Quintessence
- ✓ Phantom fields
- ✓ String-Dilaton scalar field
- ✓ Braneworlds
- ✓ Unified theories
- ✓ .....

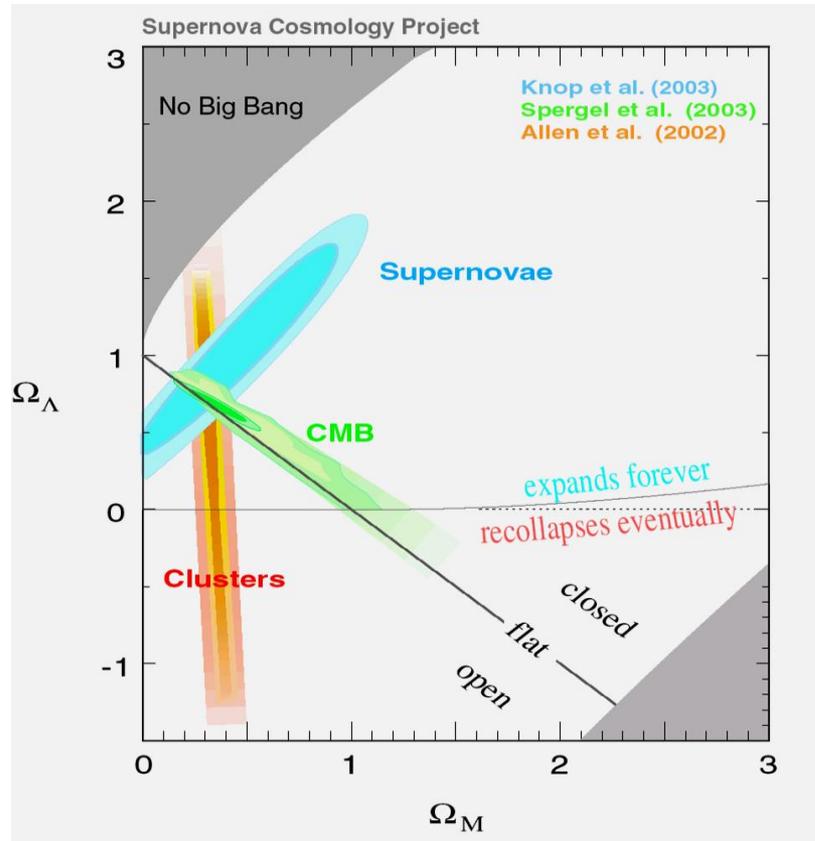
???



Buridan's Donkey

# Why looking for more cosmological probes ?

□ different distribution in redshift -> different sensitivity to different cosmological parameters

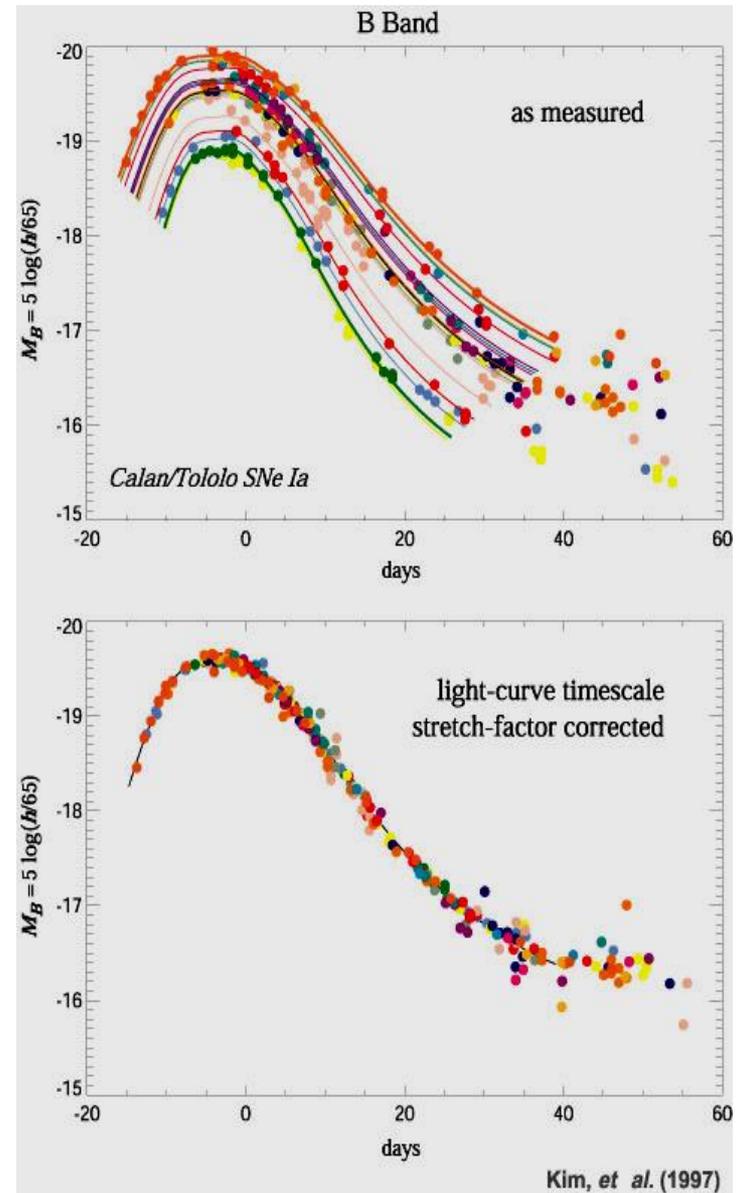


$$D_L = (1+z)c \div H_o |k|^{0.5} \times S \left\{ |k|^{0.5} \int_0^z \left[ k(1+z')^2 + \Omega_M (1+z')^3 + \Omega_\Lambda \right]^{-0.5} dz' \right\}$$

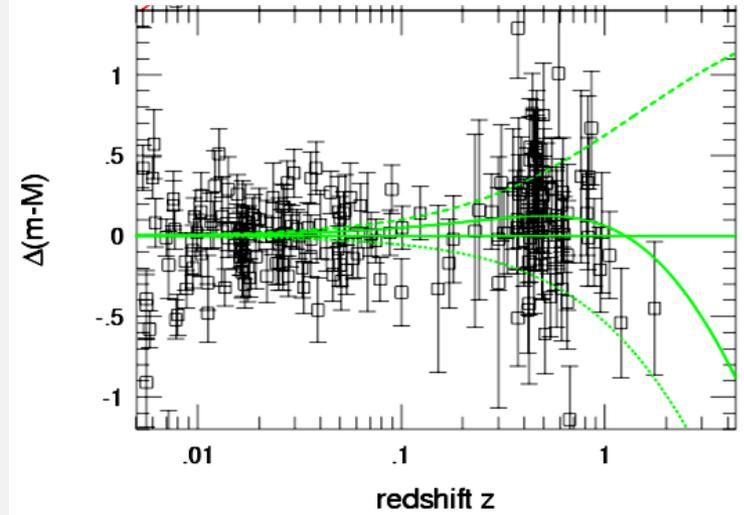
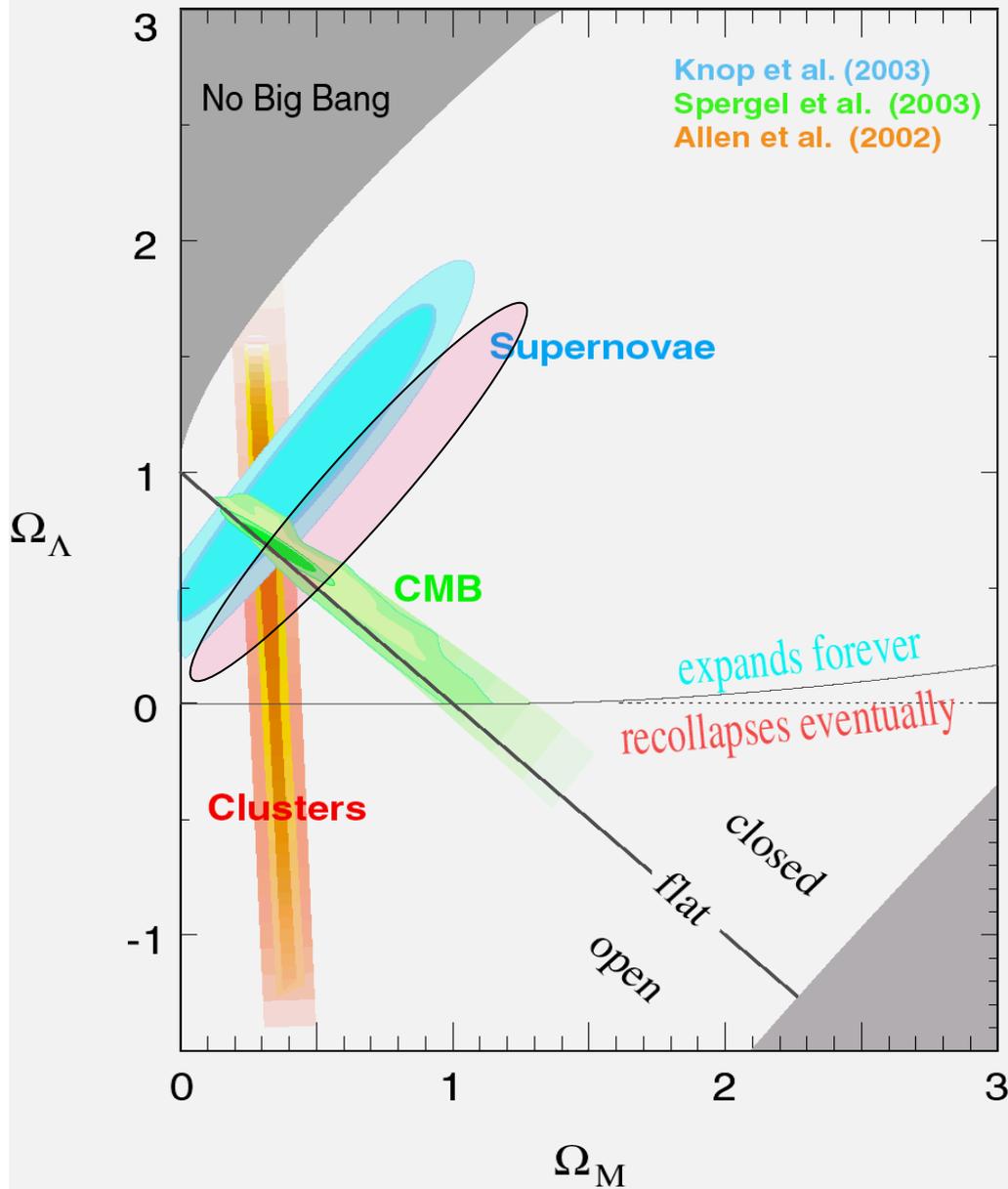
❑ Each cosmological probe is characterized by possible systematics

❑ e.g SN Ia:

- different explosion mechanism and progenitor systems ? May depend on  $z$  ?
- light curve shape correction for the luminosity normalisation may depend on  $z$
- signatures of evolution in the colours
- correction for dust extinction
- anomalous luminosity-color relation
- contaminations of the Hubble Diagram by no-standard SNe-Ia and/or bright SNe-Ibc (e.g. HNe)



Supernova Cosmology Project

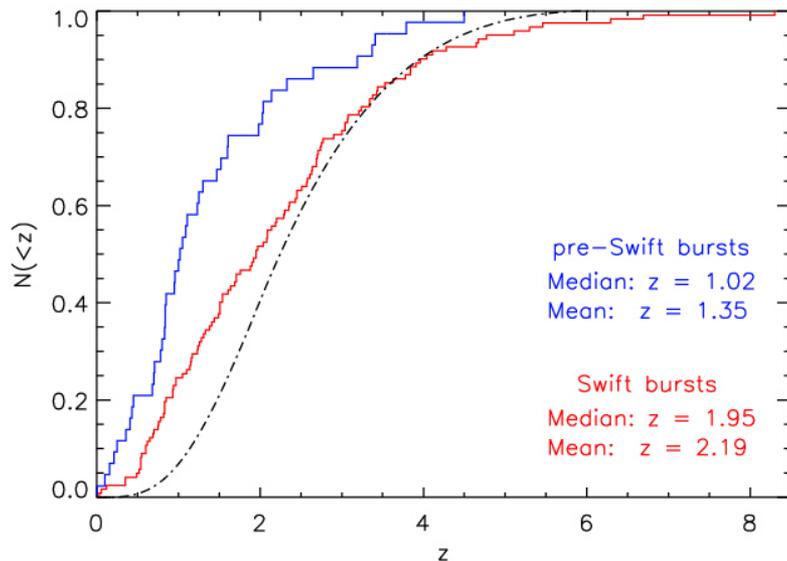


If the "offset from the truth" is just 0.1 mag....

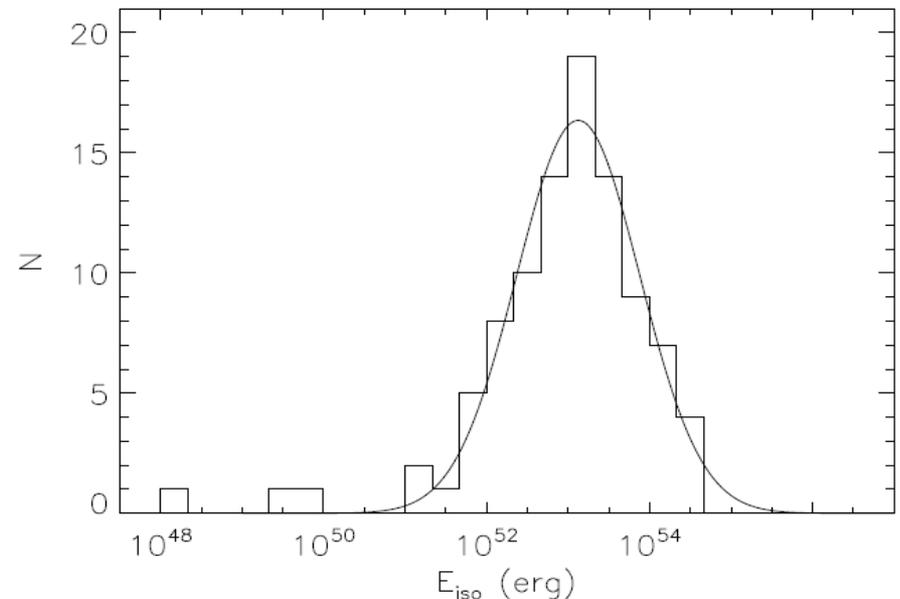
(slide by M. della Valle)

# Why investigating Gamma-Ray Bursts for cosmology ?

- ❑ all GRBs with measured redshift ( $\sim 320$ , including a few short GRBs) lie at cosmological distances ( $z = 0.033 - \sim 9.3$ ) (except for the peculiar GRB980425,  $z=0.0085$ )
- ❑ isotropic **luminosities and radiated energy are huge**, can be detected up to very high  $z$
- ❑ no dust extinction problems;  $z$  distribution much beyond SN Ia **but...**  
**GRBs are not standard candles (unfortunately)**



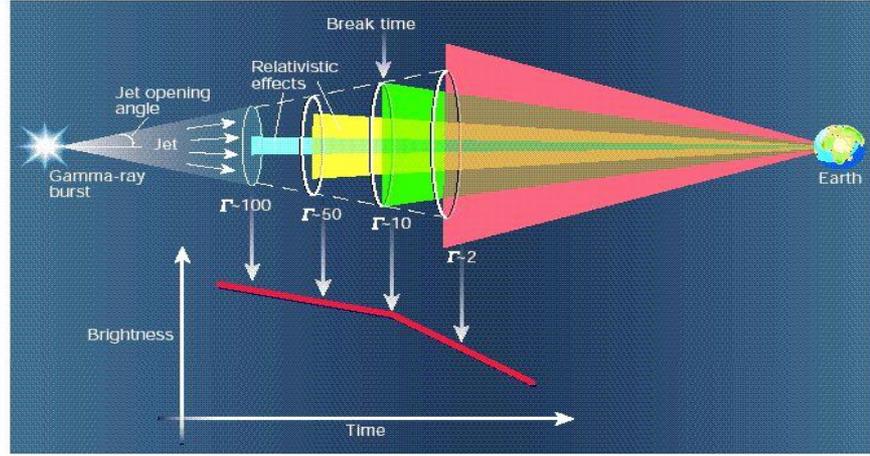
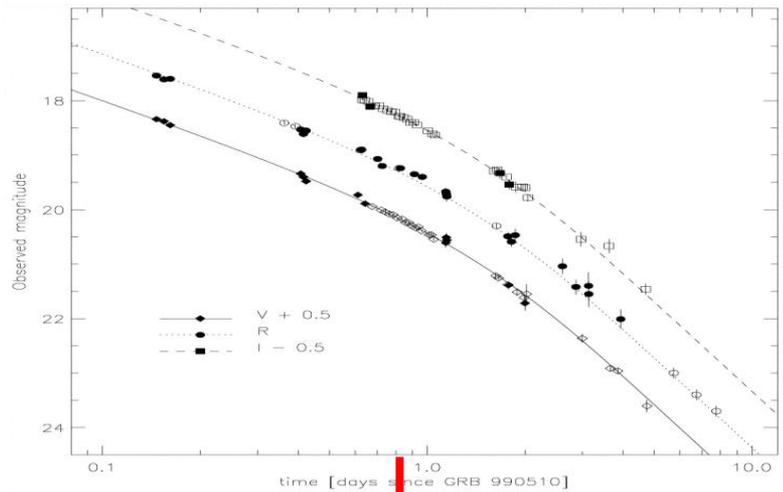
Jakobsson et al., 2010



Amati, 2009

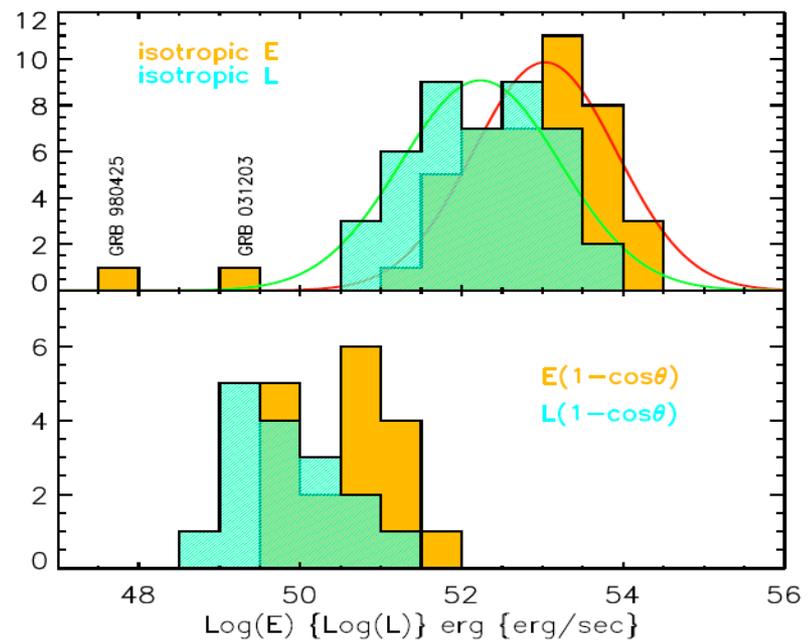
- jet angles, derived from break time of optical afterglow light curve by assuming standard afterglow model, are of the order of few degrees
- the collimation-corrected radiated energy spans the range  $\sim 5 \times 10^{49} - 5 \times 10^{52}$  erg

**-> more clustered but still not standard**



$$\theta = 0.09 \left( \frac{t_{jet,d}}{1+z} \right)^{3/8} \left( \frac{n \eta_{\gamma}}{E_{\gamma,iso,52}} \right)^{1/8}$$

$$E_{\gamma} = (1 - \cos \theta) E_{\gamma,iso}$$

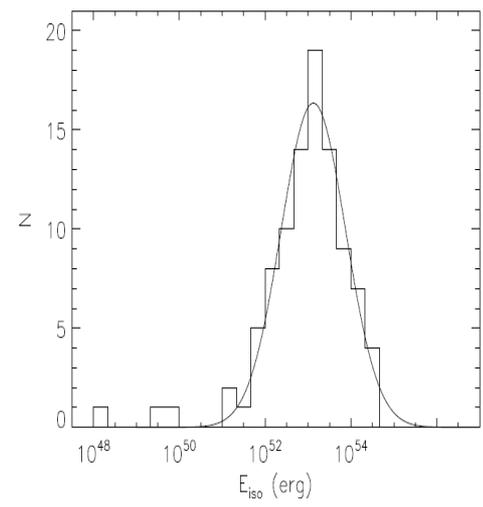
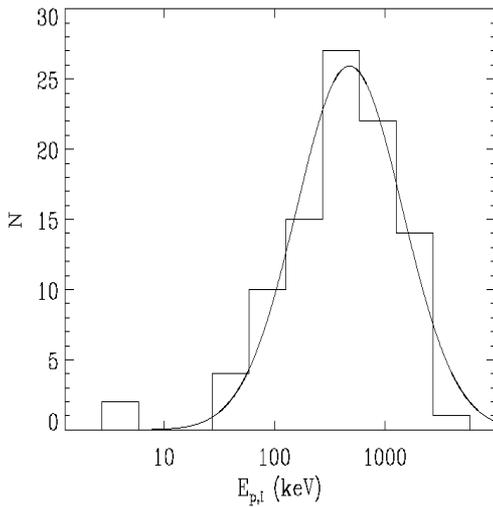
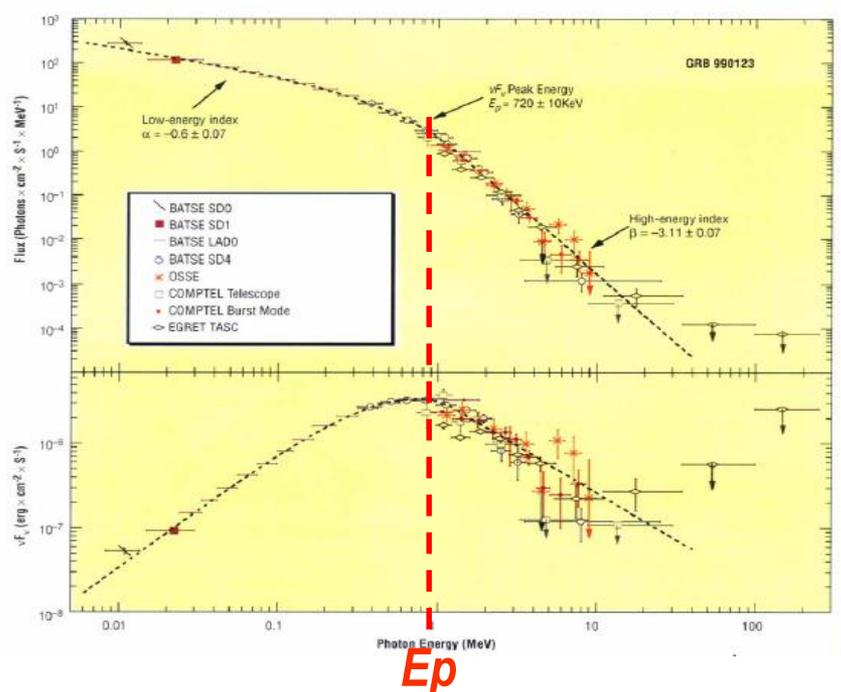


# The $E_{p,i}$ – “intensity” correlation

- GRB  $\nu F_\nu$  spectra typically show a peak at a characteristic photon energy  $E_p$
- measured spectrum + measured redshift -> intrinsic peak energy and radiated energy

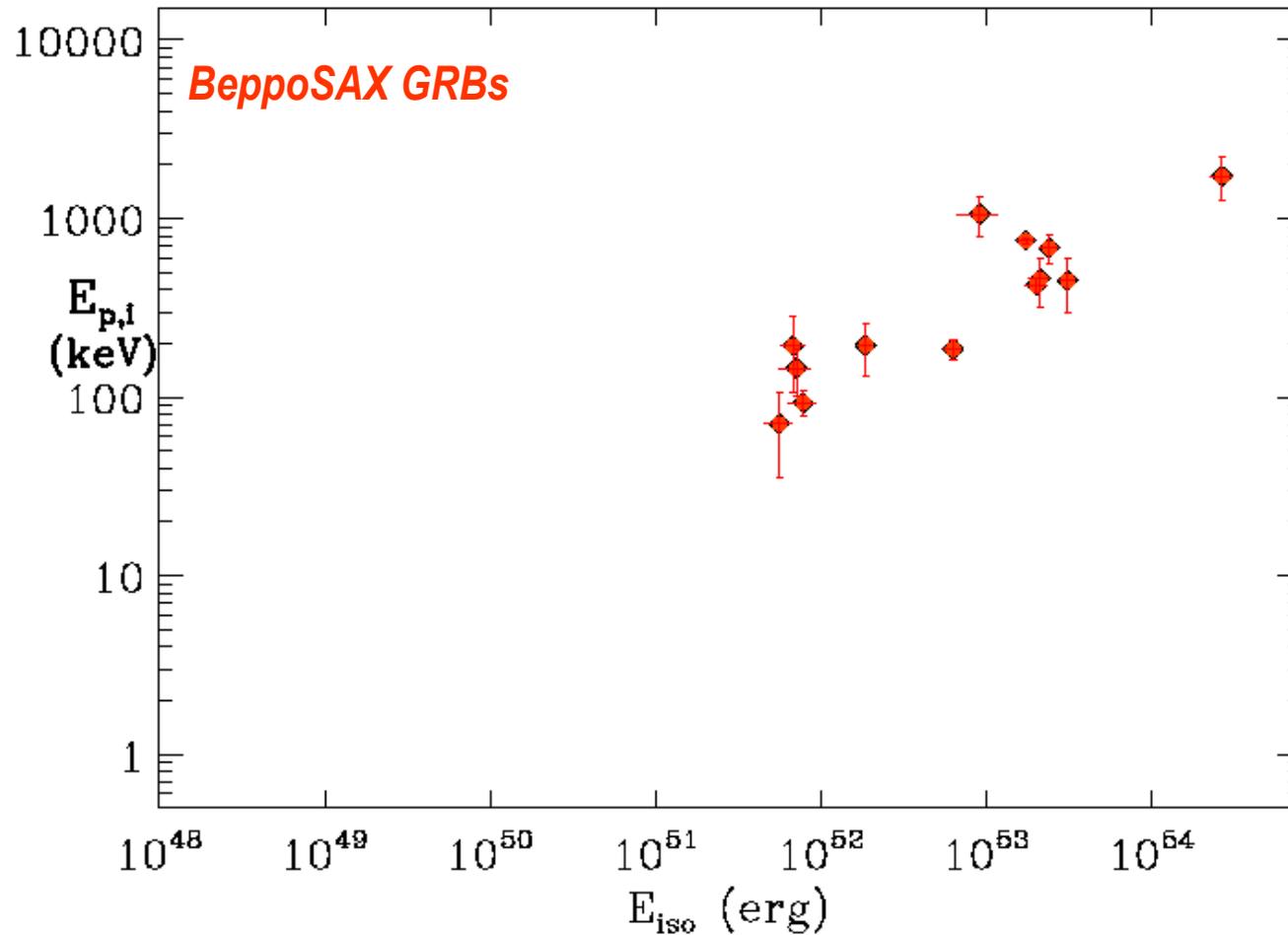
$$E_{p,i} = E_p \times (1 + z)$$

$$E_{\gamma,iso} = \frac{4\pi D_l^2}{(1+z)} \int_{1/1+z}^{10^4/1+z} E N(E) dE \text{ erg}$$



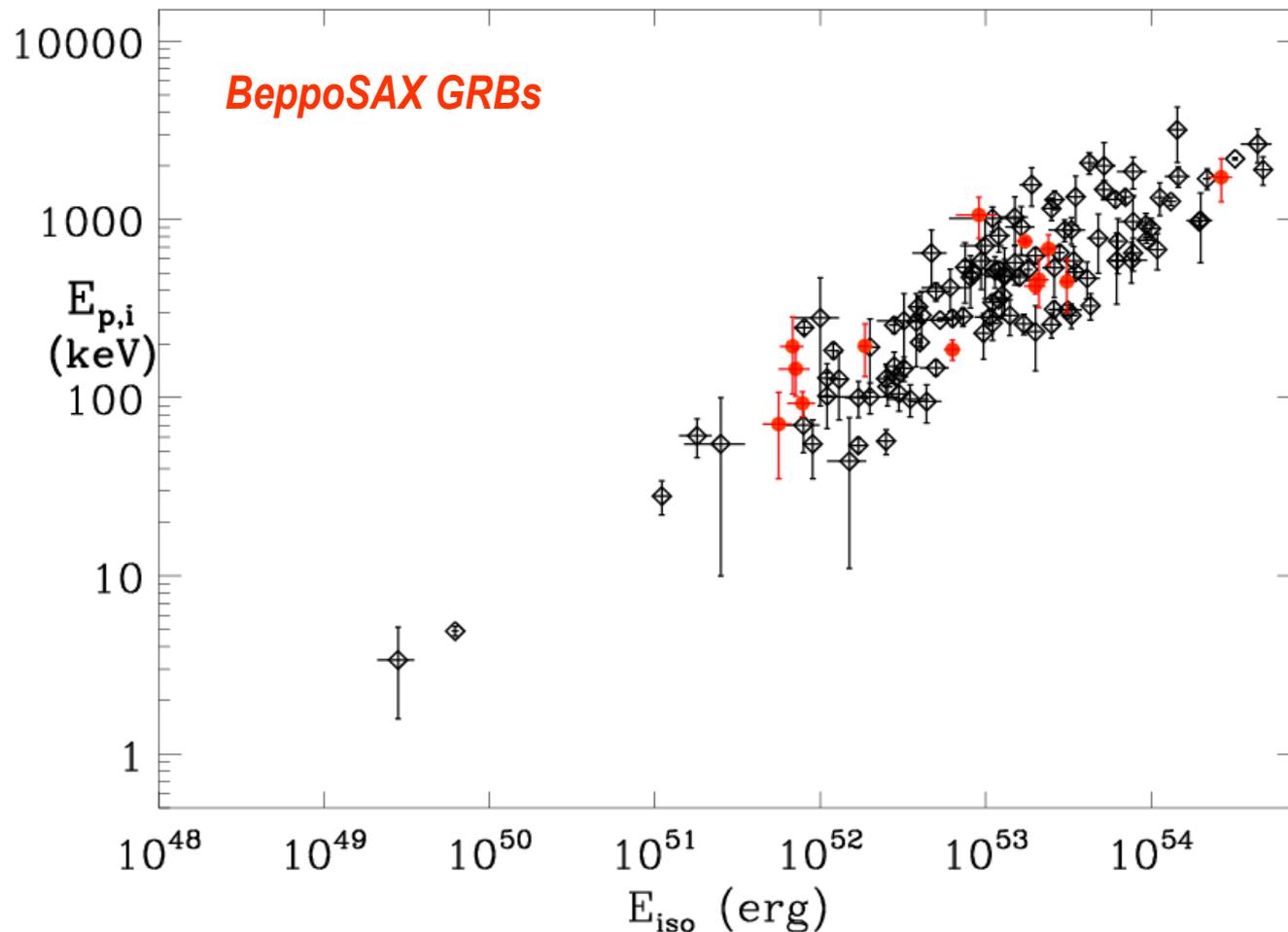
Amati (2009)

- Amati et al. (A&A 2002): significant correlation between  $E_{p,i}$  and  $E_{iso}$  found based on a small sample of BeppoSAX GRBs with known redshift



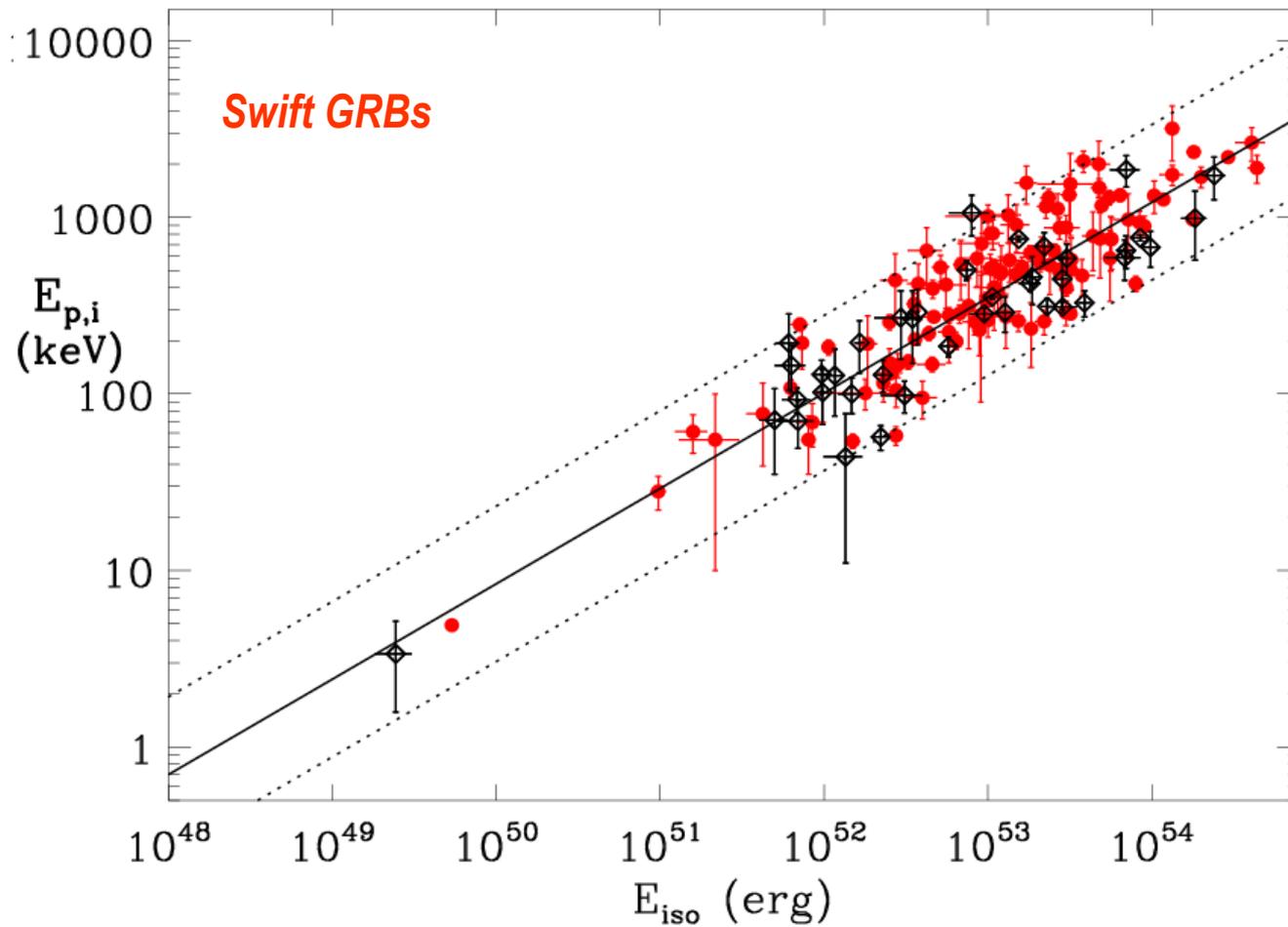
- $E_{p,i}$  – Eiso correlation for GRBs with known redshift confirmed and extended by measurements of ALL other GRB detectors with spectral capabilities

**130 long GRBs as of Sept. 2011**



- $E_{p,i}$  – Eiso correlation for GRBs with known redshift confirmed and extended by measurements of ALL other GRB detectors with spectral capabilities

**162 long GRBs as of June 2013**

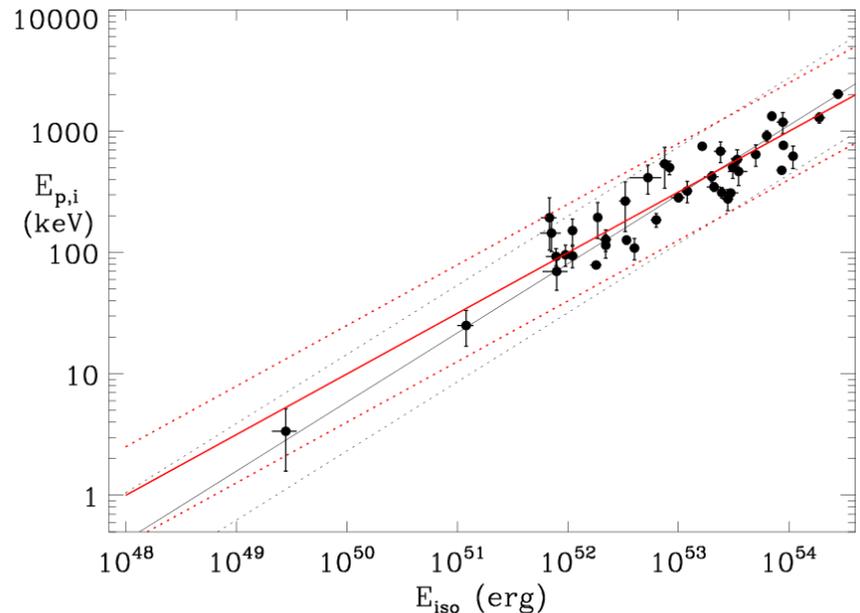
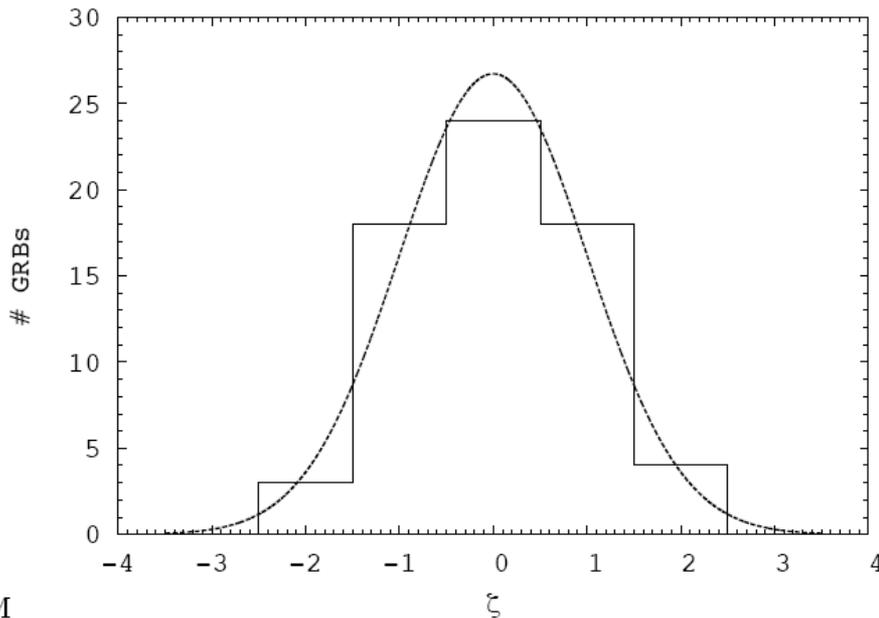


➤ **strong correlation but significant dispersion** of the data around the best-fit power-law; distribution of residuals can be fit with a Gaussian with  $\sigma(\log E_{p,i}) \sim 0.2$

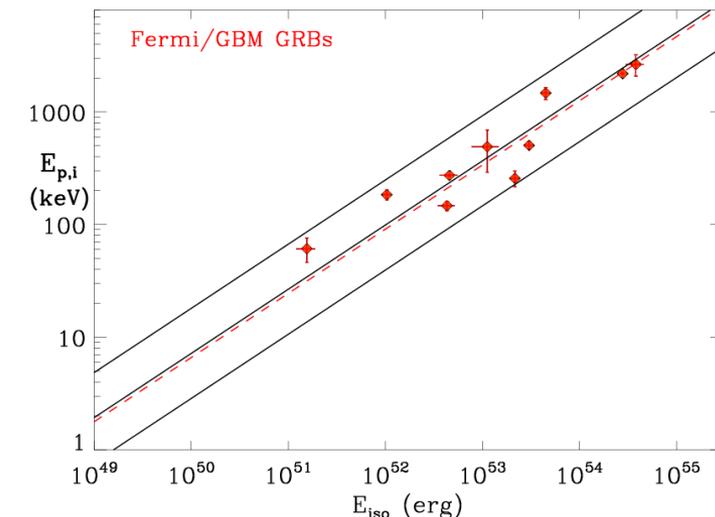
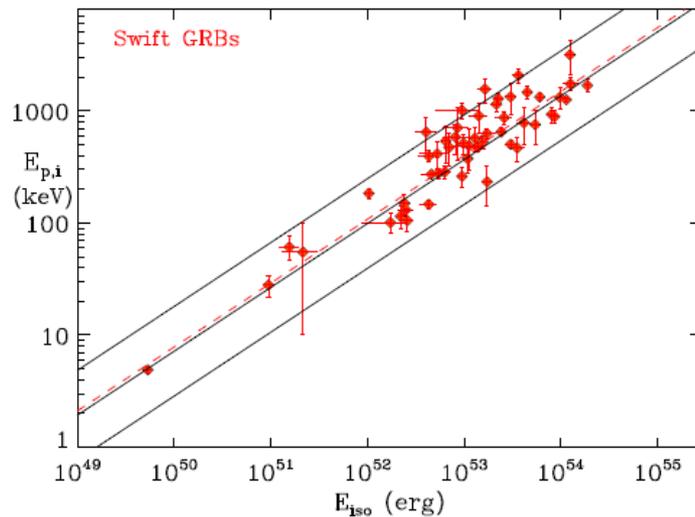
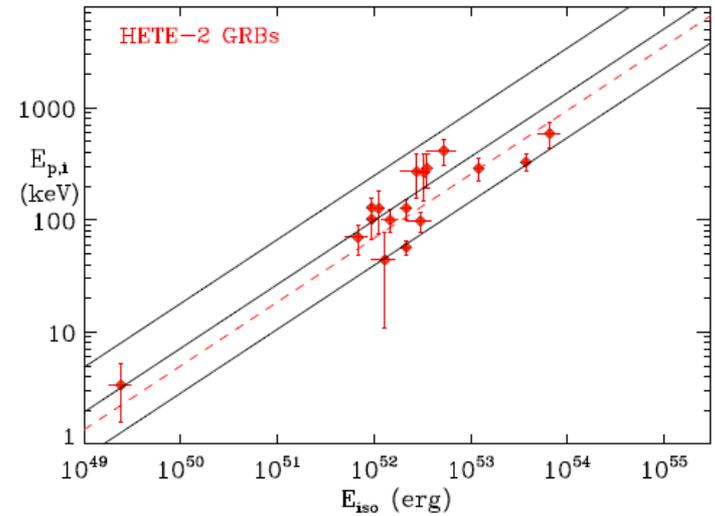
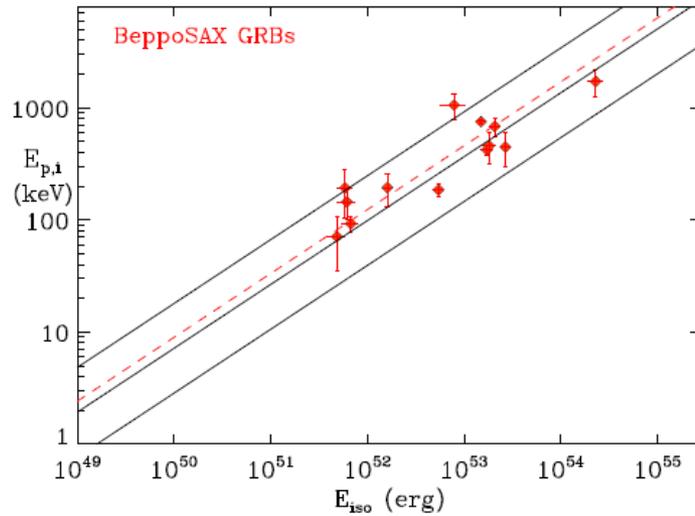
➤ the “**extra-statistical scatter**” of the data can be quantified by performing a fit with a max likelihood method (D’Agostini 2005) which accounts for sample variance and the uncertainties on both X and Y quantities

$$L(m, c, \sigma_v; \mathbf{x}, \mathbf{y}) = \frac{1}{2} \sum_i \log (\sigma_v^2 + \sigma_{y_i}^2 + m^2 \sigma_{x_i}^2) + \frac{1}{2} \sum_i \frac{(y_i - m x_i - c)^2}{\sigma_v^2 + \sigma_{y_i}^2 + m^2 \sigma_{x_i}^2}$$

➤ with this method Amati et al. (2008, 2009) found an extrinsic scatter  $\sigma_{\text{int}}(\log E_{p,i}) \sim 0.2$  and index and normalization  $t \sim 0.5$  and  $\sim 100$ , respectively

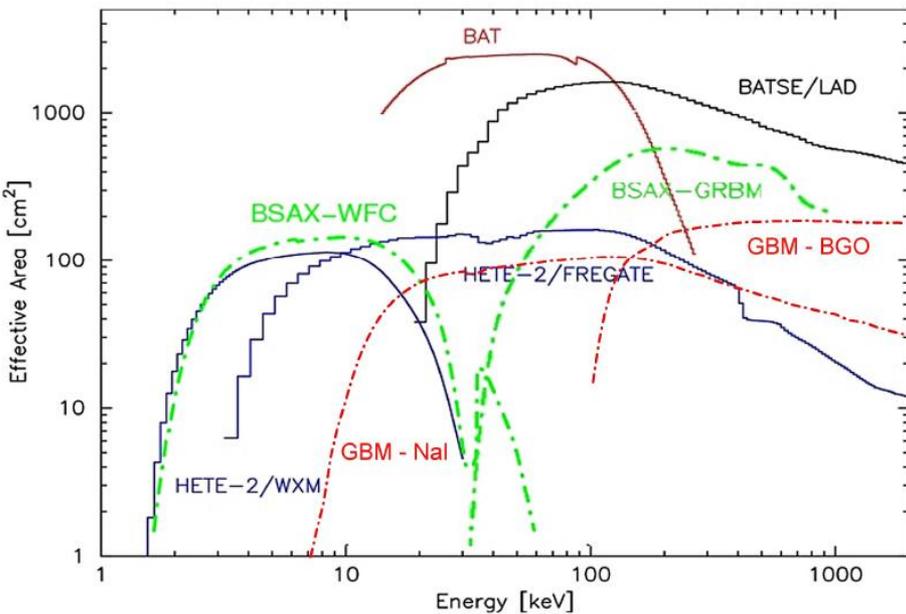


□ Amati, Frontera & Guidorzi (2009): the normalization of the correlation varies only marginally using measures by individual instruments with different sensitivities and energy bands: -> **no relevant selection effects**

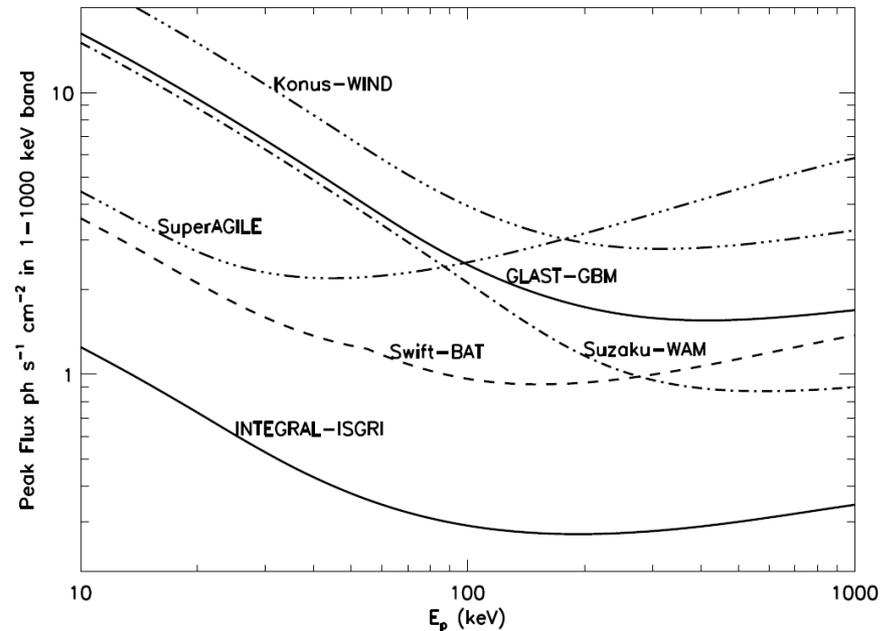


different GRB detectors are characterized by different **detection and spectroscopy sensitivity** as a function of GRB intensity and spectrum

this may introduce relevant selection effects / biases in the observed  $E_{p,i} - E_{iso}$  and other correlations

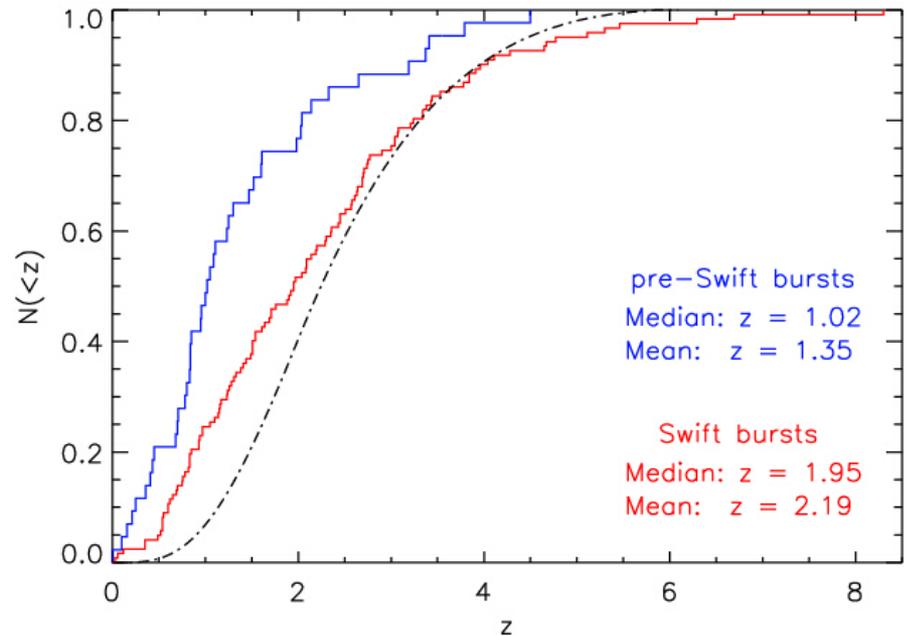
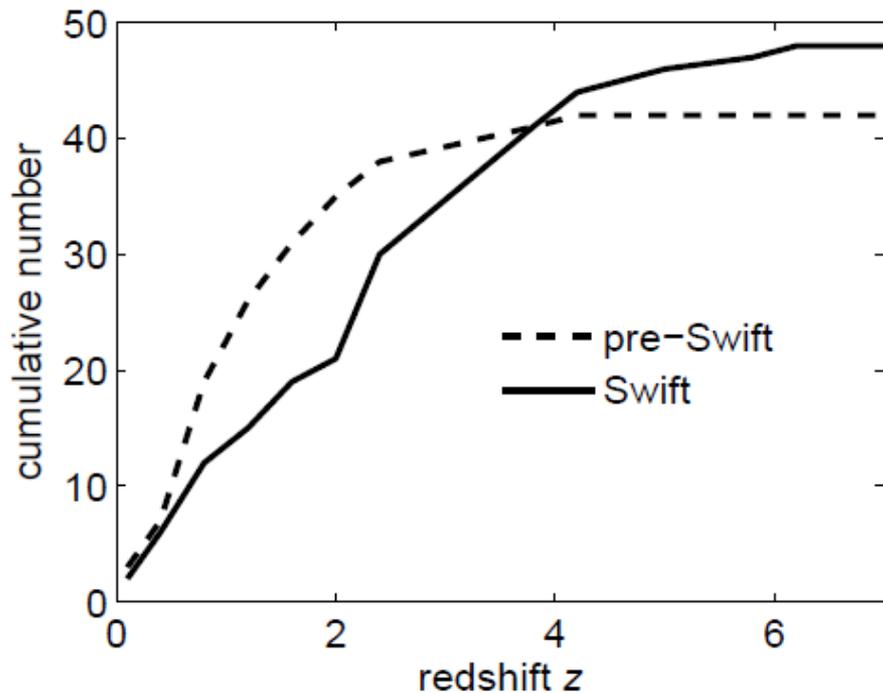


Adapted from Sakamoto et al. 2011



Band 2008

- selection effects are likely to play a relevant role in the process leading to the **redshift estimate** (e.g., Coward 2008, Jakobsson et al. 2010)
- **Swift: reduction of selection effects in redshift** -> Swift GRBs expected to provide a **robust test of the  $E_{p,i} - E_{iso}$  correlation**



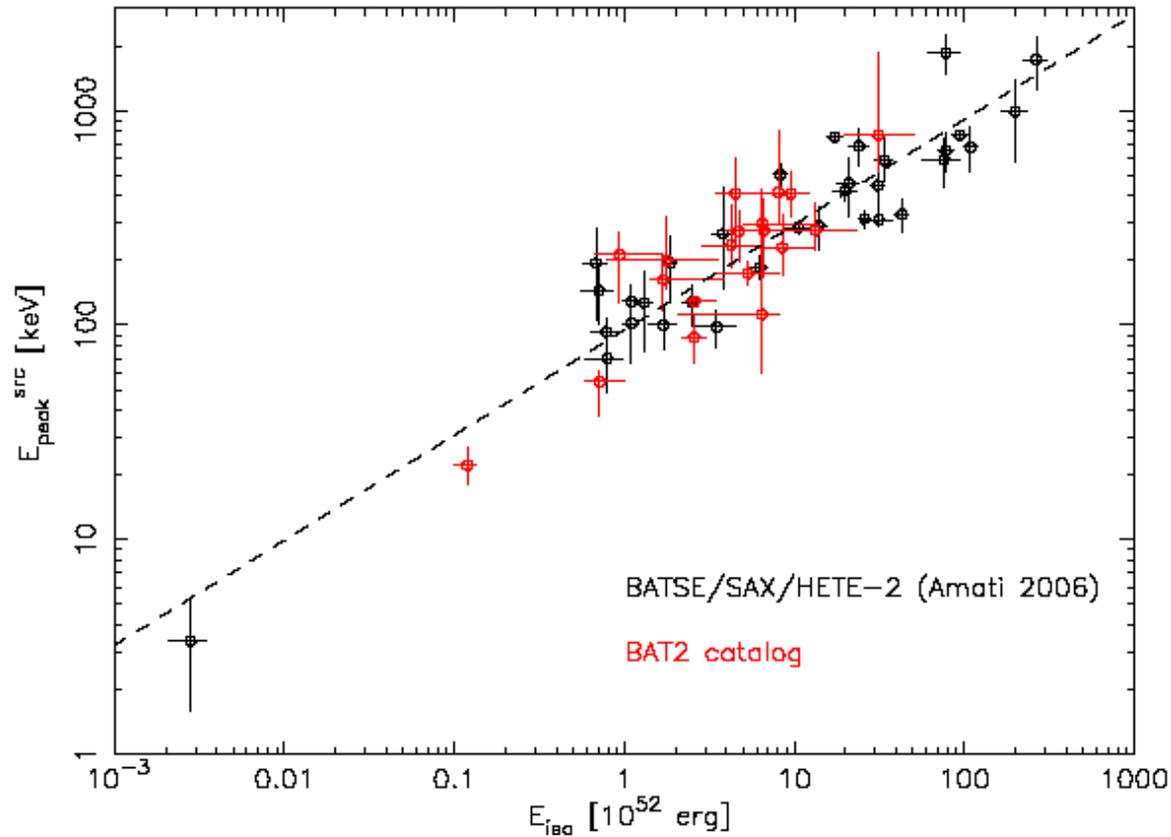
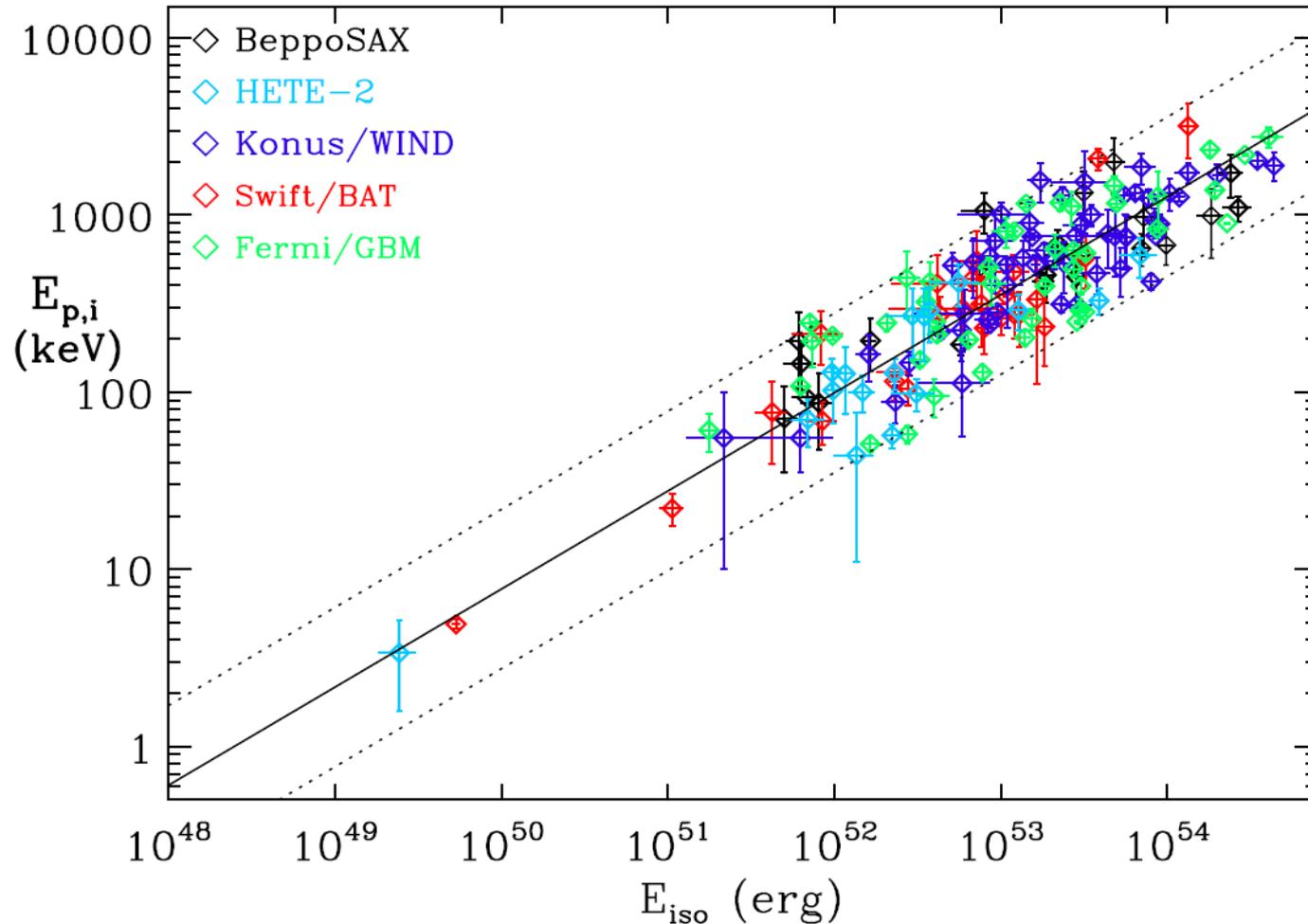


Fig. 33.— The correlation between  $E_{\text{peak}}^{\text{src}}$  and  $E_{\text{iso}}$  for the *Swift* GRBs (red) and other GRB missions (black). The dashed line is the best fit correlation between  $E_{\text{peak}}^{\text{src}}$  and  $E_{\text{iso}}$  reported by Amati (2006):  $E_{\text{peak}}^{\text{src}} = 95 \times (E_{\text{iso}}/10^{52})^{0.49}$ .

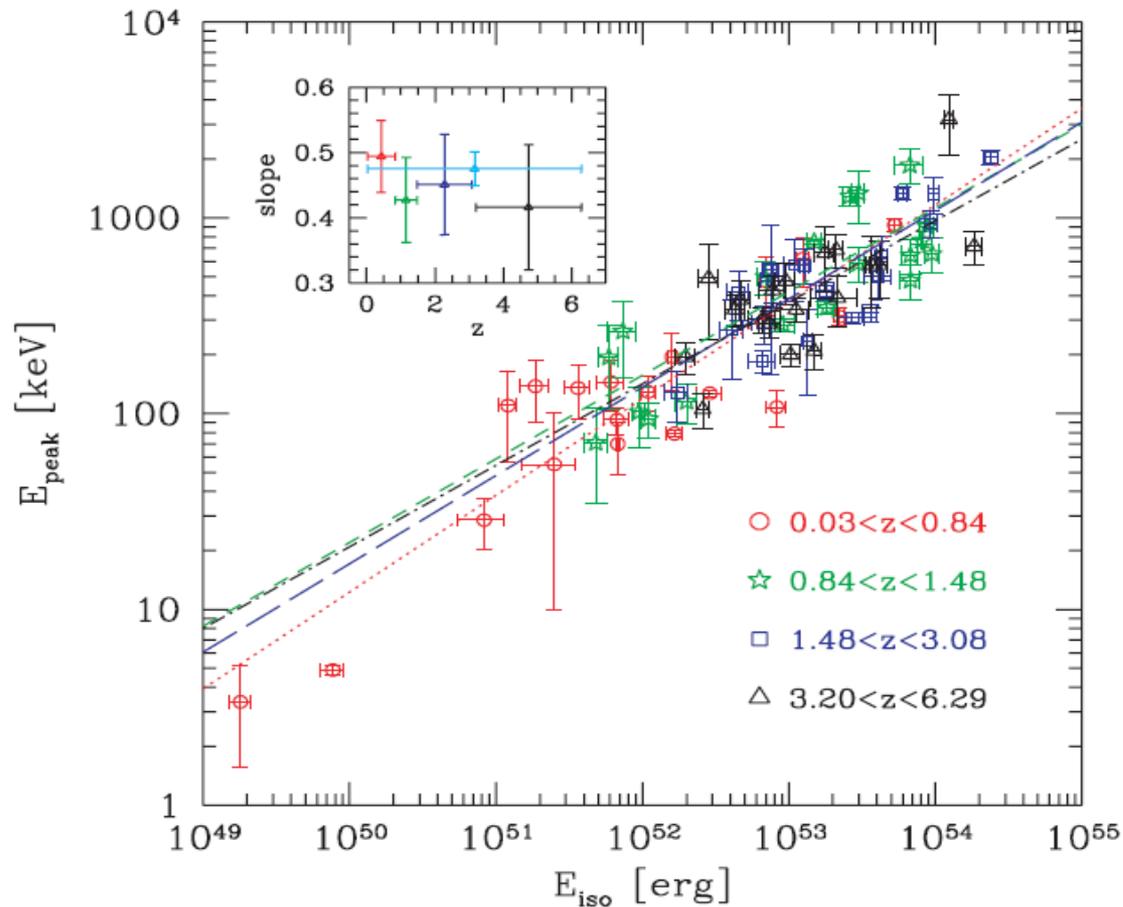
Sakamoto et al. 2011

□ Amati, Frontera & Guidorzi (2009), Amati & Della Valle (2013): the normalization of the correlation varies only marginally **using GRBs with known redshift** measured by individual instruments with different sensitivities and energy bands



*Amati & Della Valle 2013*

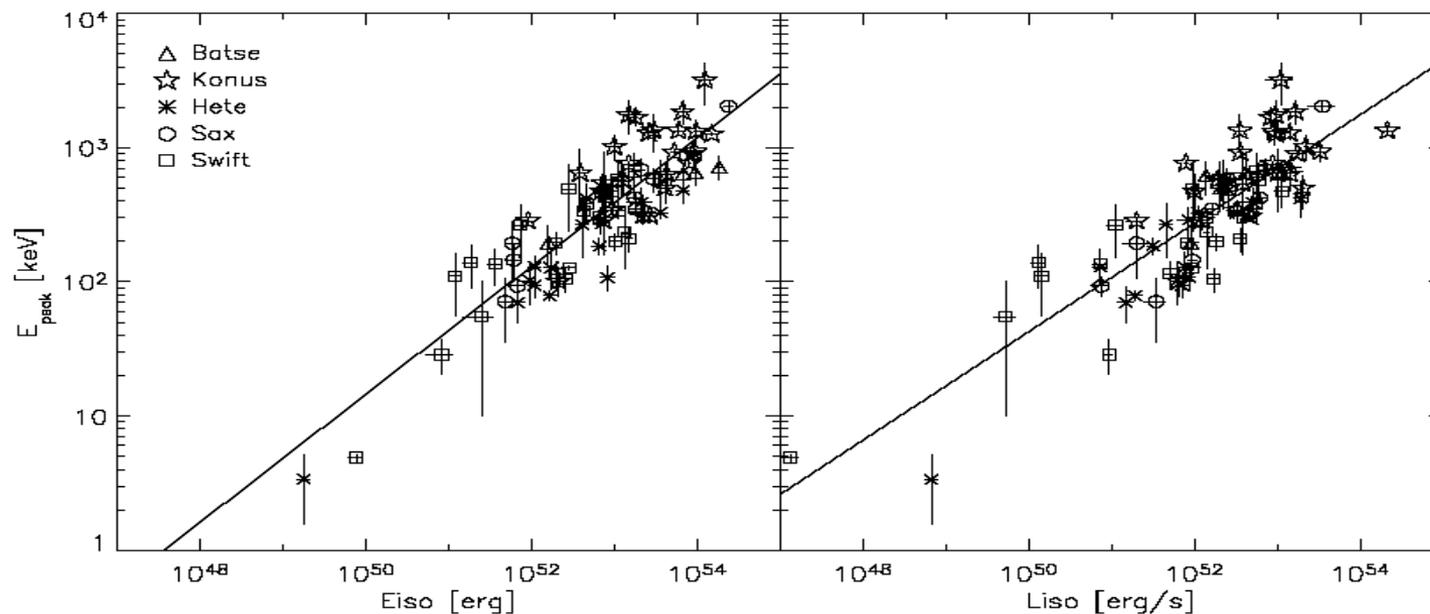
**□ No evidence of evolution of index and normalization of the correlation with redshift**



e.g., Ghirlanda et al. 2008

# Correlation of $E_{p,i}$ with other “intensity” indicators

- the correlation holds also when substituting Eiso with Liso (e.g., Lamb et al. 2004) or  $L_{\text{peak,iso}}$  (Yonetoku et al. 2004, Ghirlanda et al., 2005)
- this is expected because **Liso and  $L_{\text{peak,iso}}$  are strongly correlated with Eiso**
- w/r to Eiso,  **$L_{p,iso}$  is subject to more uncertainties** (e.g., light curves peak at different times in different energy bands; spectral parameters at peak difficult to estimate; which peak time scale ?)



Nava et al. 2009

# Correlation of $E_{p,i}$ with other “intensity” indicators

- the correlation between  $E_{p,i}$  and  $L_{p,\gamma}$  (Yonetoku et al. 2004) or  $E_{iso}$  (Amati 2002)
- this is expected for a power-law distribution of GRBs
- w/r to Eiso,  $E_{p,i}$  is estimated at different times and from different instruments; which can lead to systematic errors

(Amati et al. 2004) or

related with Eiso

correlation between  $E_{p,i}$  and  $L_{p,\gamma}$  is difficult to

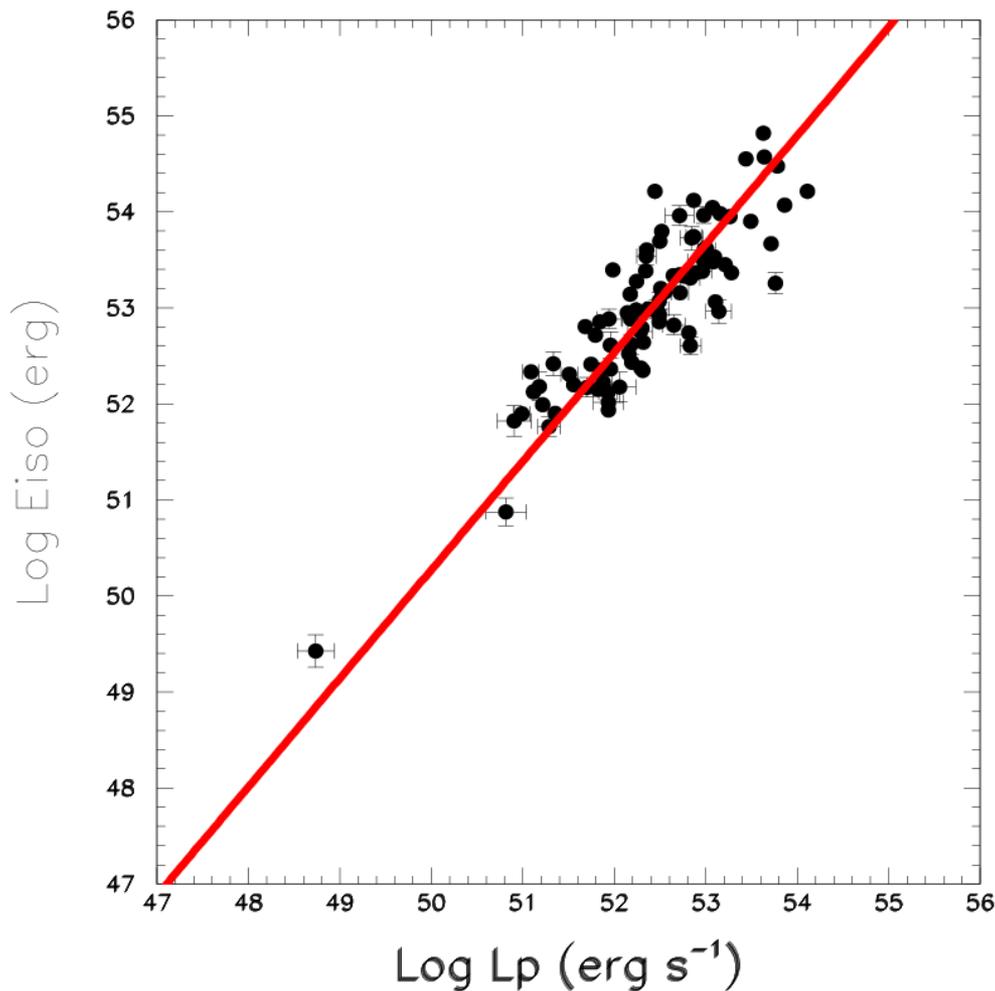
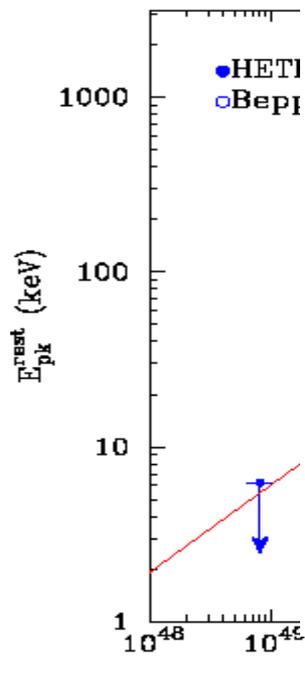
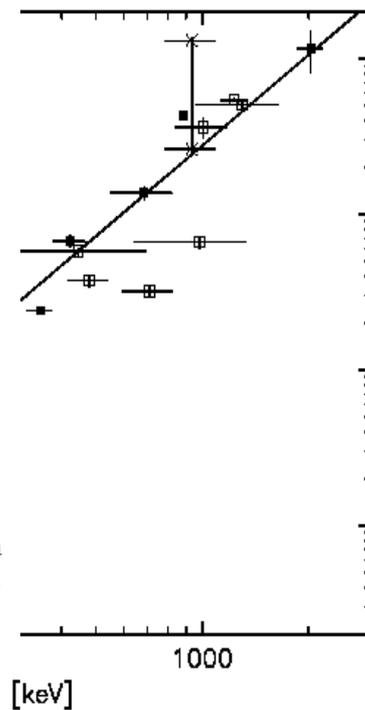
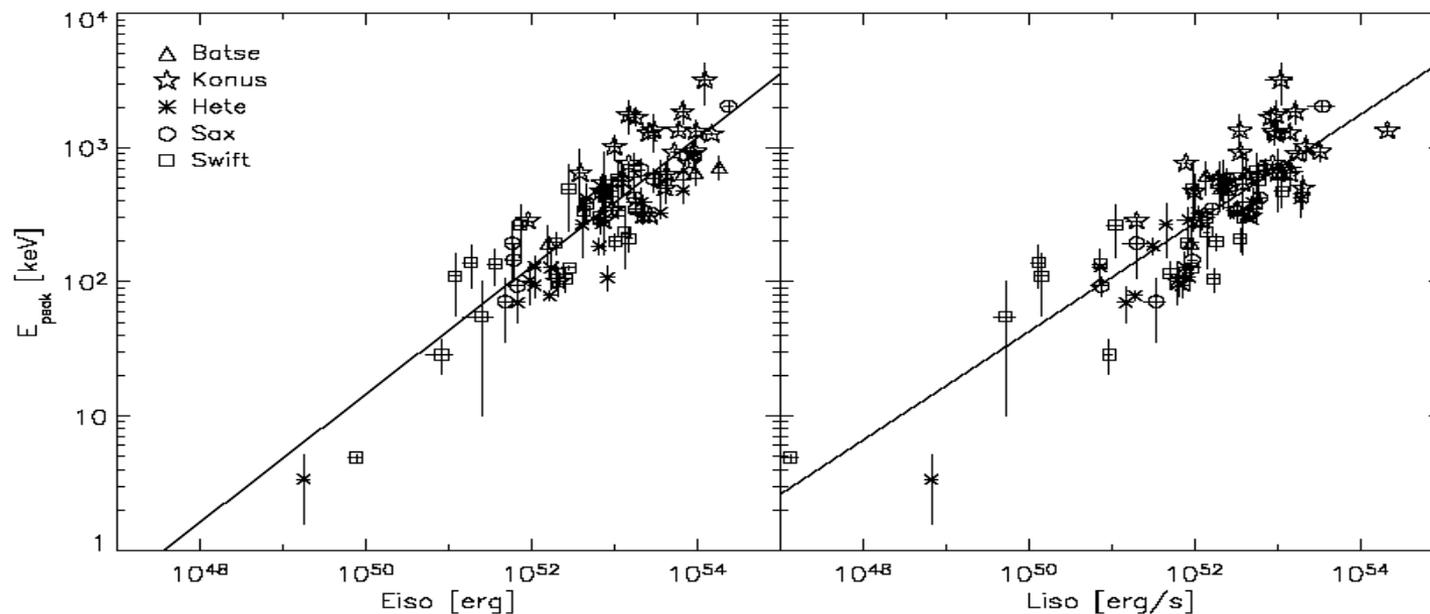


Fig. 3.— The observed correlation between  $E_{\gamma,iso}$  and  $L_{p,\gamma}$  and for 96 GRBs with known redshift compiled by Yonetoku et al. (2010). The best fit power-law correlation (straight line) has a power-law index 1.13.



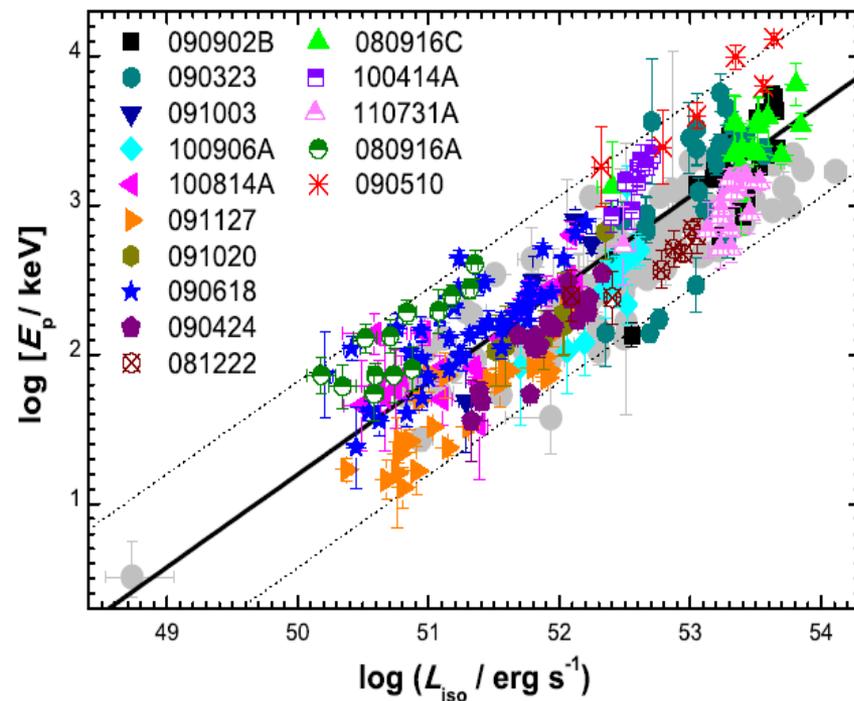
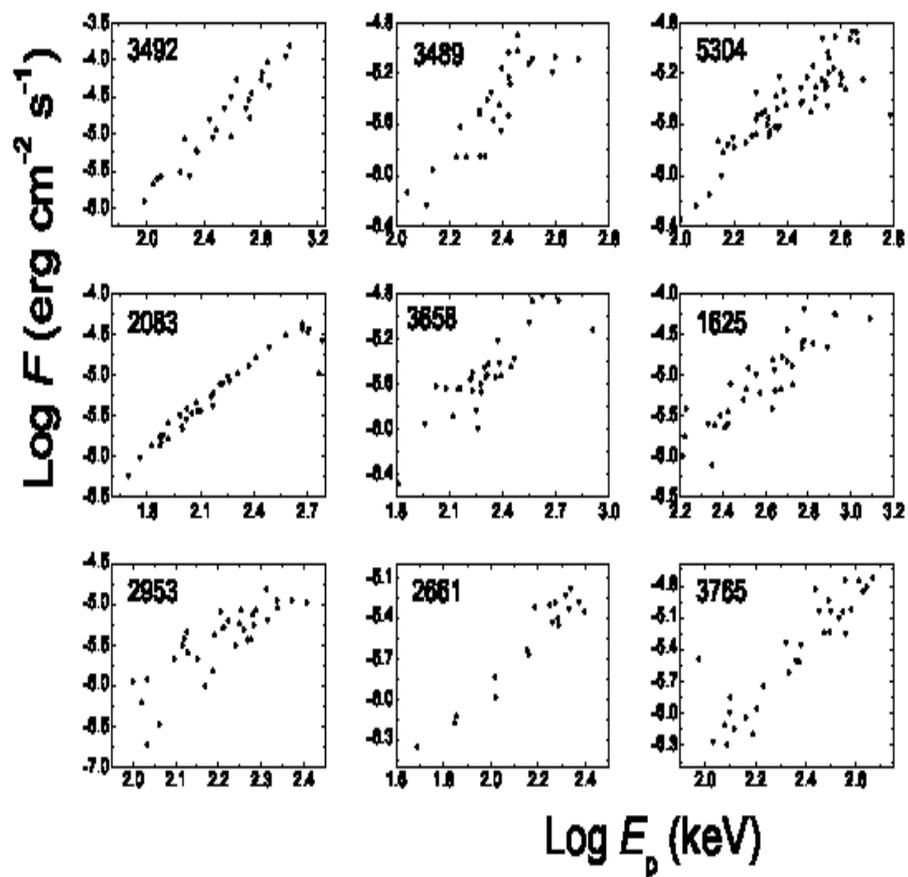
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Nava et al. 2009

➤ the  $E_p$ -Liso and  $E_p$ -Eiso correlation holds also within a good fraction of GRBs (Liang et al. 2004, Firmani et al. 2008, Ghirlanda et al. 2009, Li et al. 2012, Frontera et al. 2012, Basak et al. 2013): **robust evidence for a physical origin and clues to explanation**

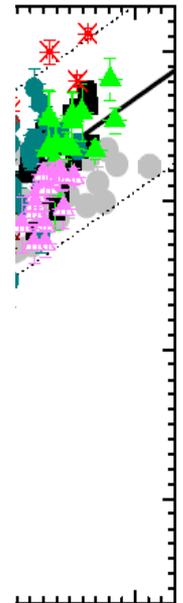
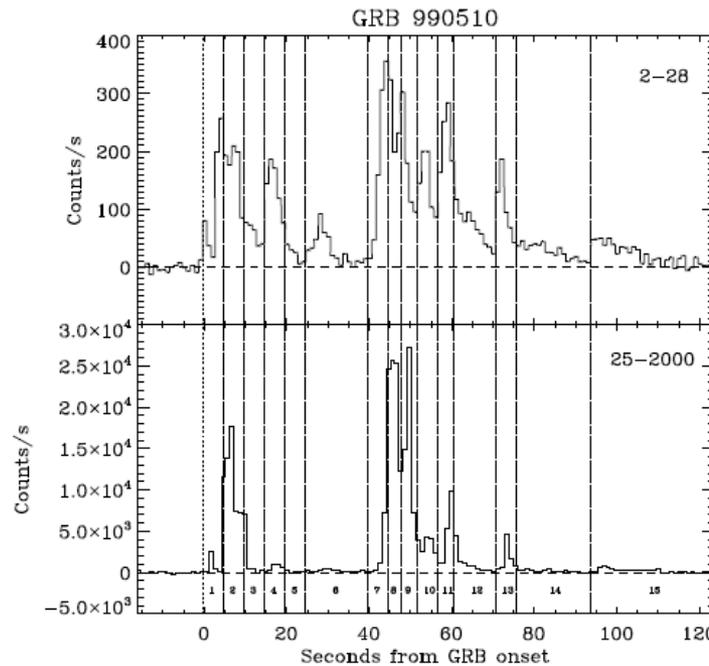
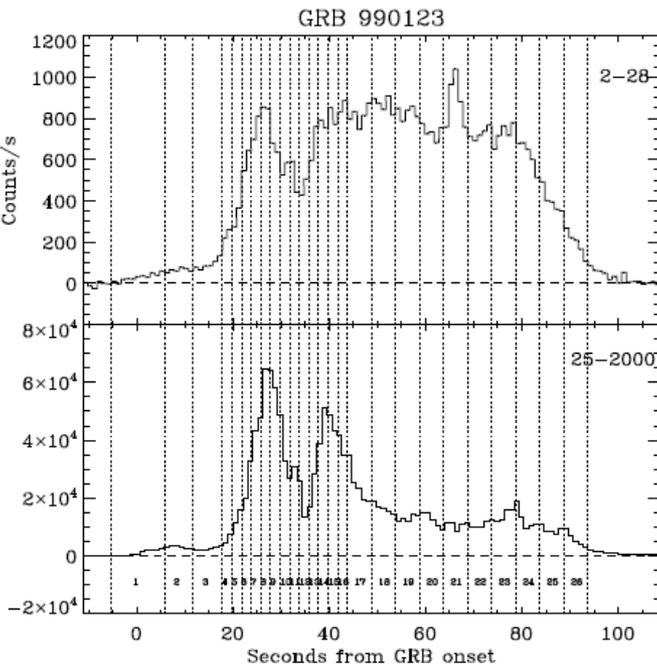
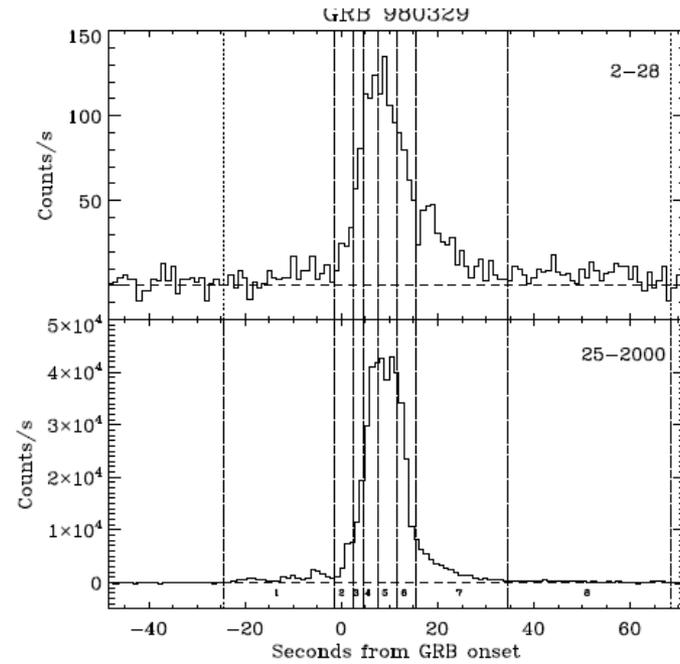
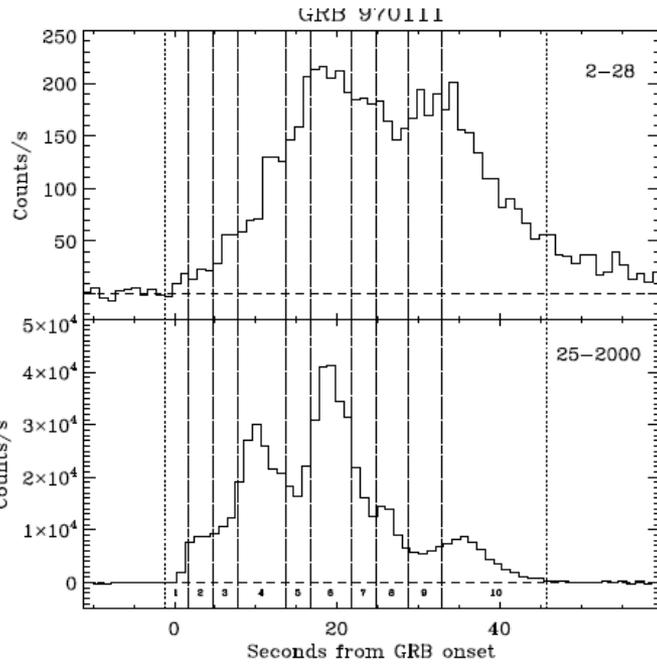
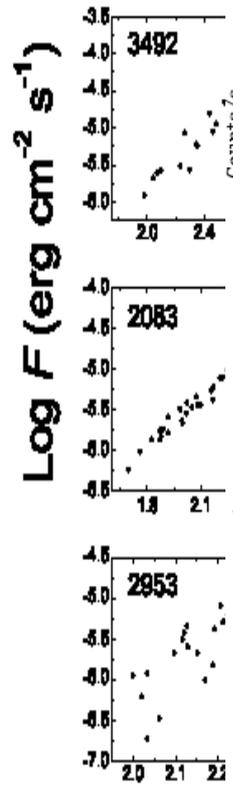


BATSE (Liang et al., ApJ, 2004)

Fermi (e.g., Li et al., ApJ, 2012)

➤ the E (Liang et al. 2012) explains

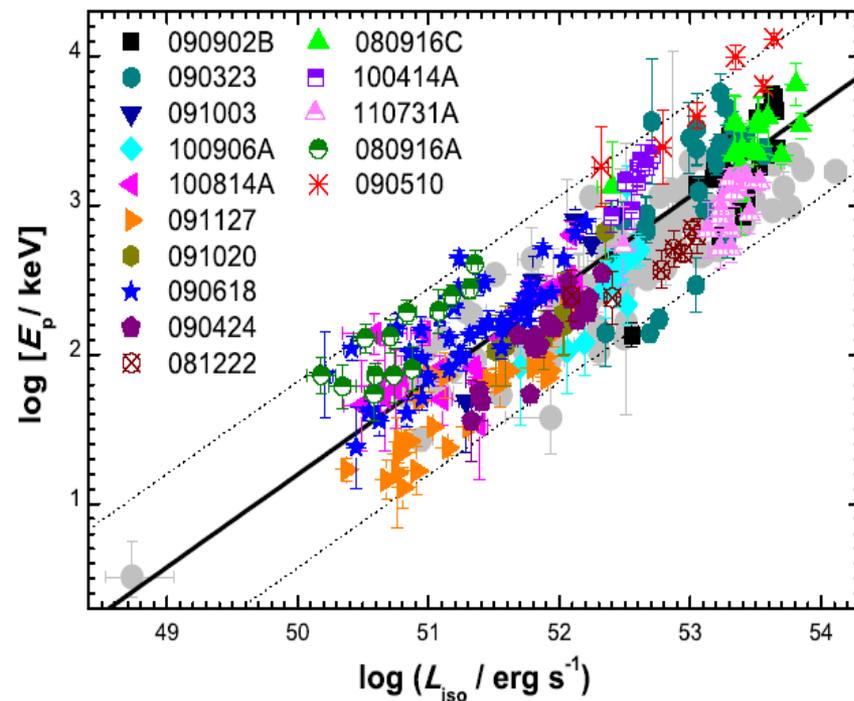
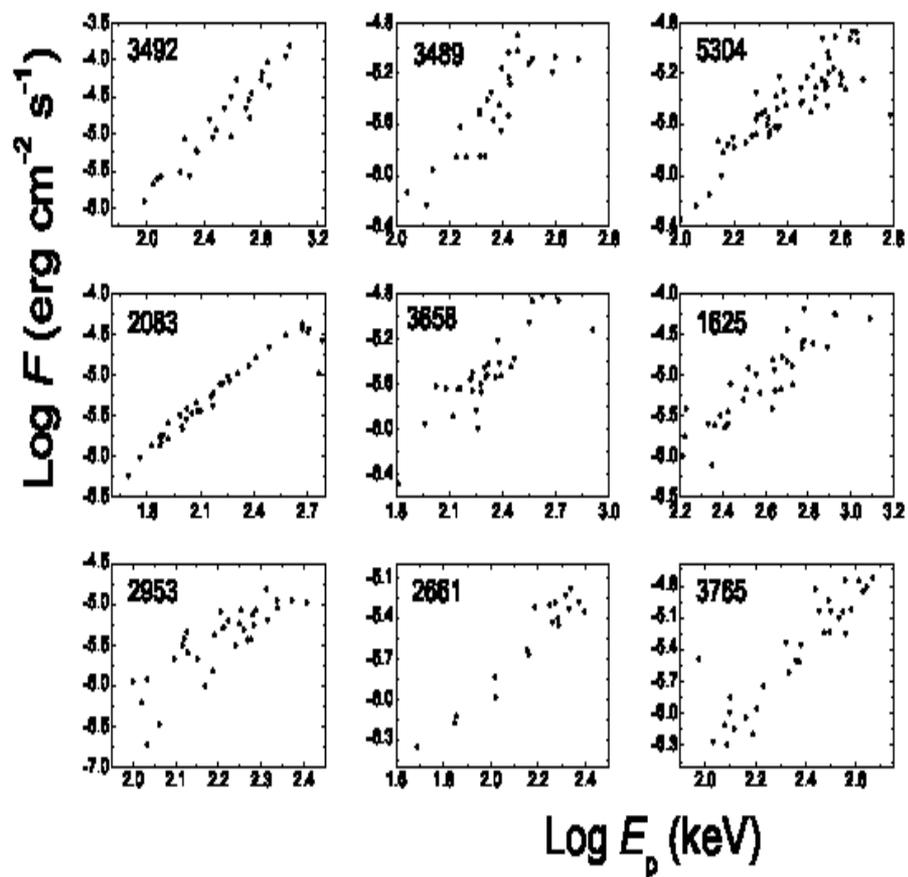
on of GRBs (Lionera et al. 2012)



BATSE

(Liang et al., 2012)

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BATSE (Liang et al., ApJ, 2004)

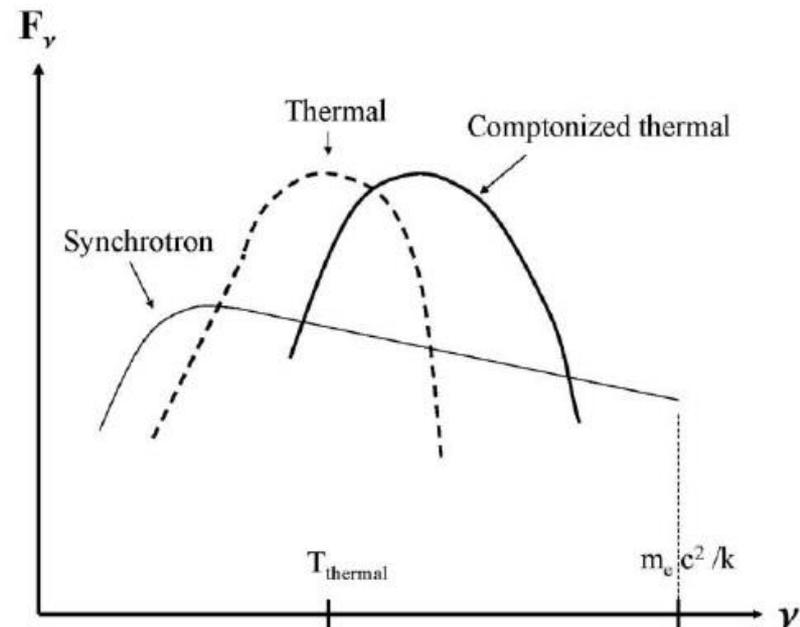
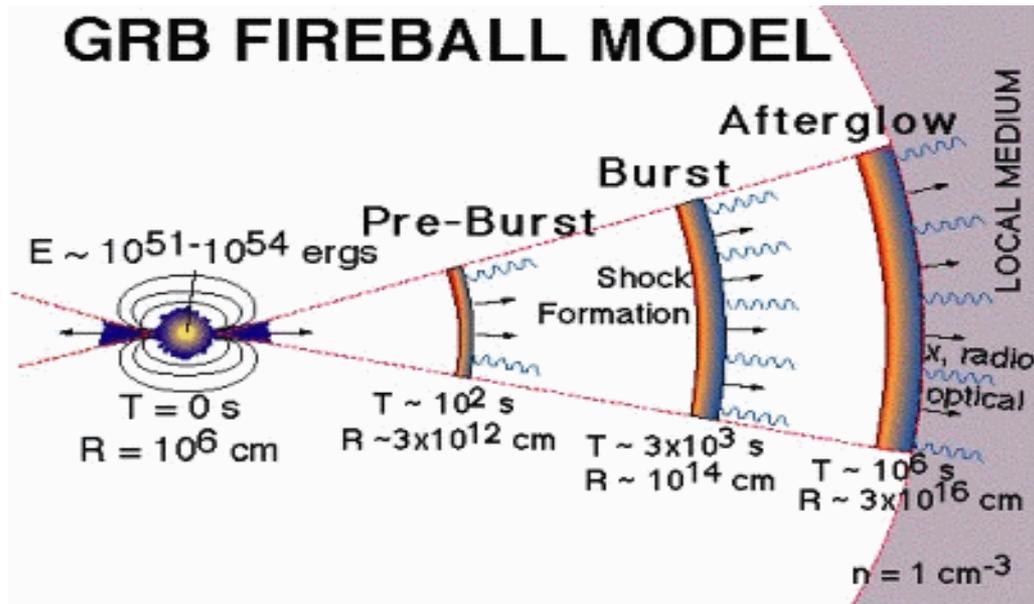
Fermi (e.g., Li et al., ApJ, 2012)

# Implications: emission physics and geometry

□ physics of prompt emission still not settled, various scenarios: SSM internal shocks, IC-dominated internal shocks, external shocks, photospheric emission dominated models, kinetic energy / Poynting flux dominated fireballs, ...

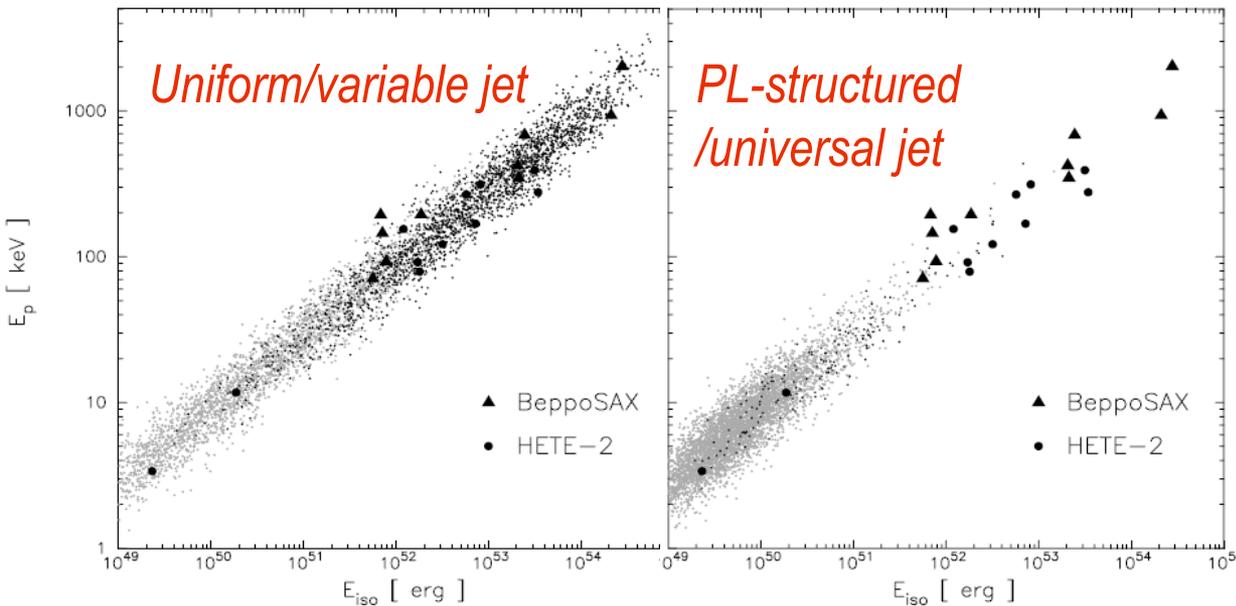
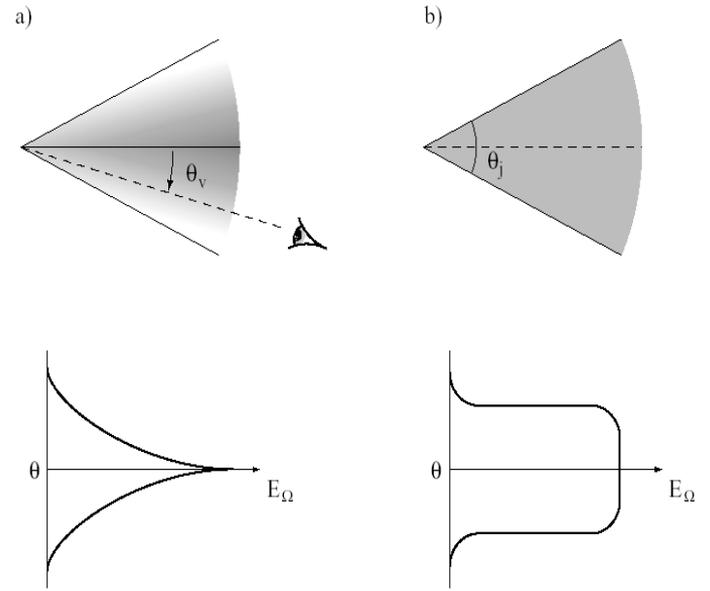
□ e.g.  $E_{\text{pk}} \propto \Gamma^{-2} t_{\text{var}}^{-1} L^{1/2}$  for **synchrotron emission** from a power-law distribution of electrons generated in an internal shock (Zhang & Meszaros 2002, Ryde 2005)

□ e.g.,  $E_p \propto R_0^{-1/2} t_j^{-1/4} E_{\text{iso}}^{1/2}$  in scenarios in which for **comptonized thermal emission** from the photosphere dominates (e.g. Rees & Meszaros 2005, Thomson et al. 2006)

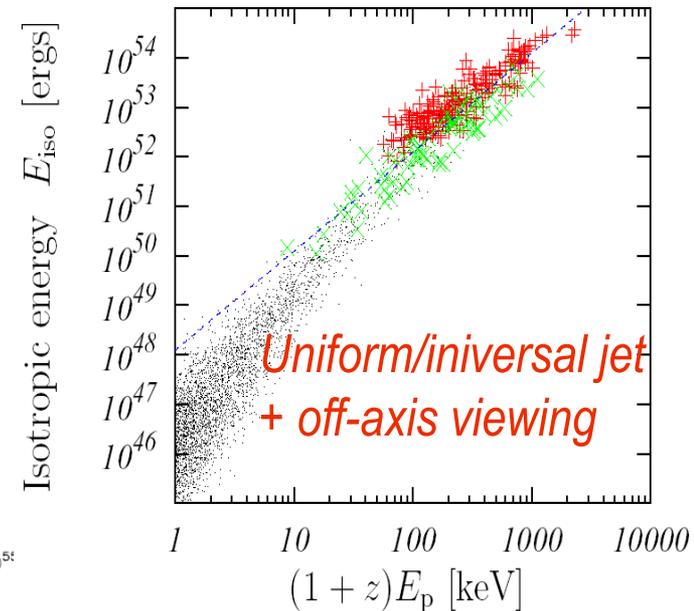


□ jet geometry and structure and XRF-GRB unification models (e.g., Lamb et al. 2004)

□ viewing angle effects:  $\delta = [\gamma(1 - \beta \cos(\theta_v - \Delta\theta))]^{-1}$ ,  $\Delta E_p \propto \delta$ ,  $\Delta E_{iso} \propto \delta^{(1+\alpha)}$  (e.g, Yamazaki et al.)



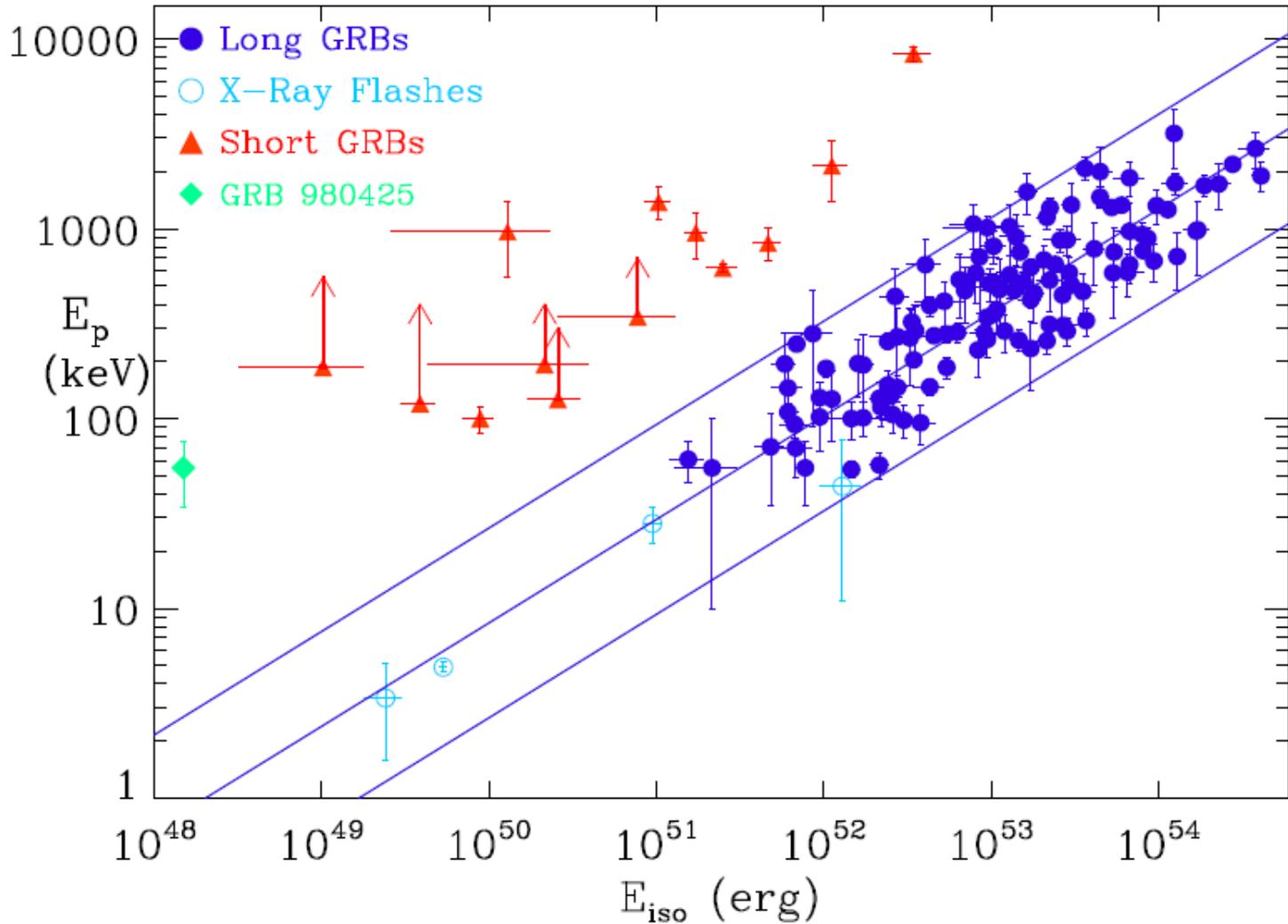
Lamb et al. 2005



Yamazaki et al. 2004

# ➤ Implications: sub-classes of GRBs

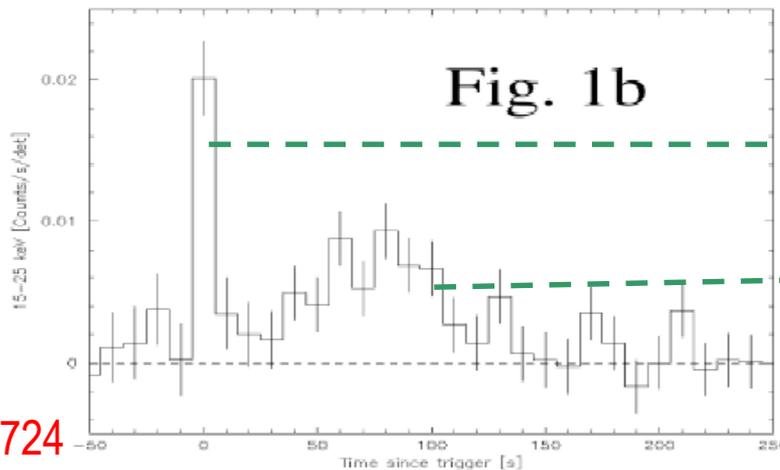
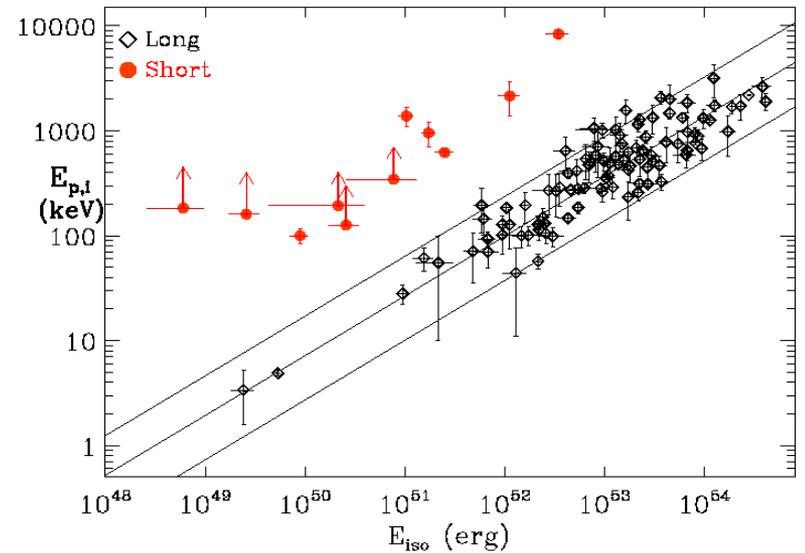
➤ Sept. 2012 Ep,i – Eiso plane: 148 long GRBs, 4 XRFs, 13 short GRBs



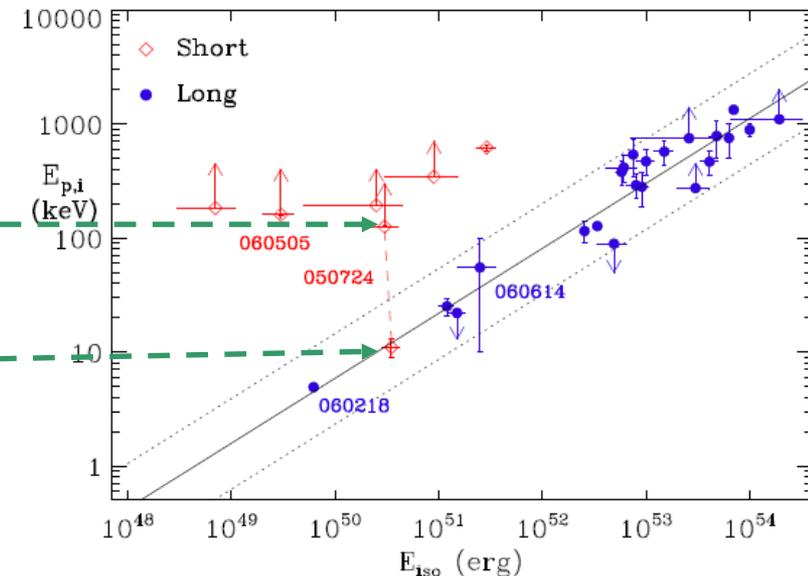
estimates and limits on  $E_{p,i}$  and  $E_{iso}$  are inconsistent with  $E_{p,i}$ - $E_{iso}$  correlation holding for long GRBs

low  $E_{iso}$  values and high lower limits to  $E_{p,i}$  indicate inconsistency also for the other short GRBs

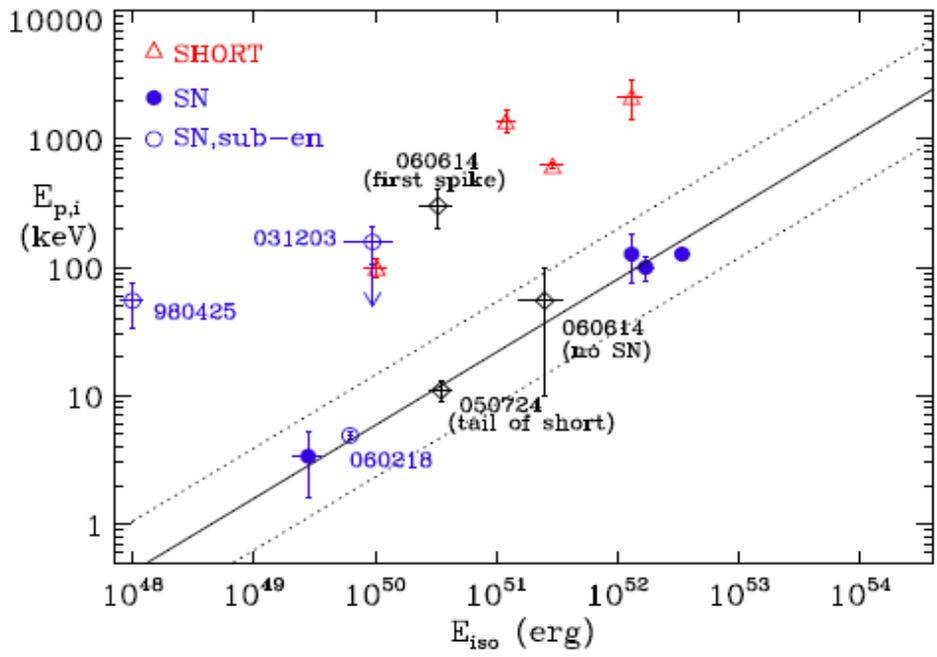
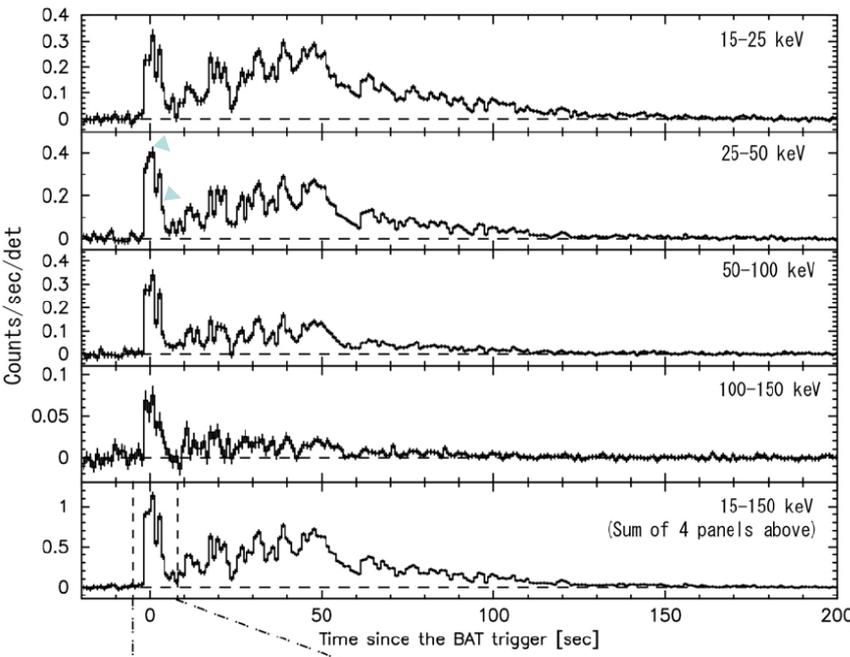
long weak soft emission in some cases, consistent with the  $E_{p,i}$  –  $E_{iso}$  correlations



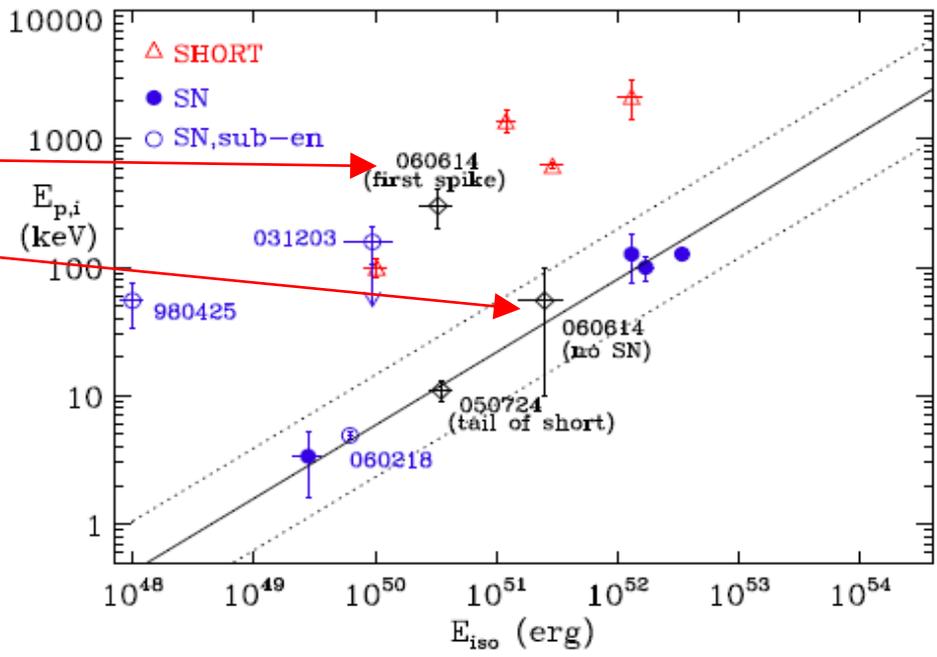
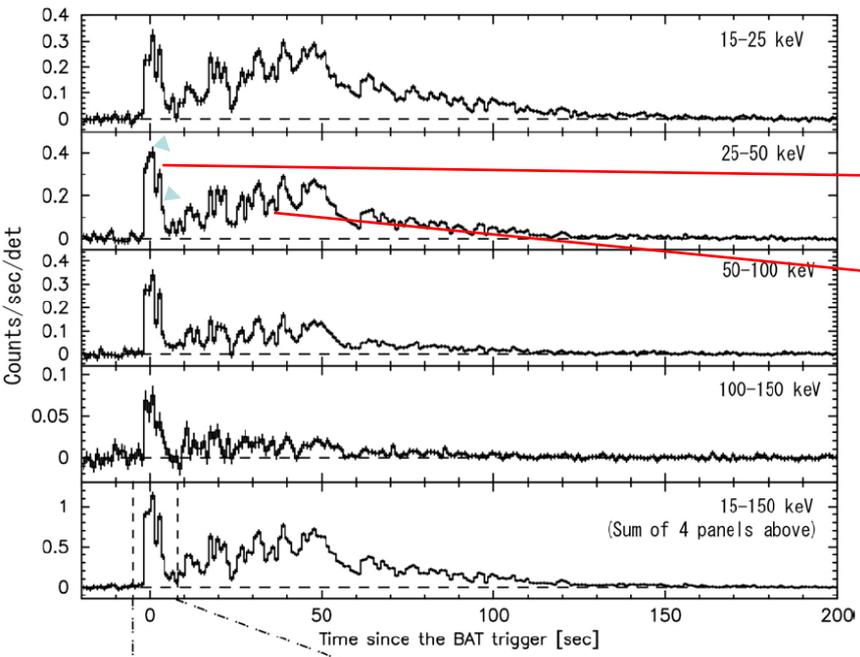
GRB0050724



Initial pulse and long tail of GRB 060614 (low-z long GRB without SN) behave in the  $E_{p,i} - E_{iso}$  plane like short GRBs



Initial pulse and long tail of GRB 060614 (low-z long GRB without SN) behave in the  $E_{p,i} - E_{iso}$  plane like short GRBs



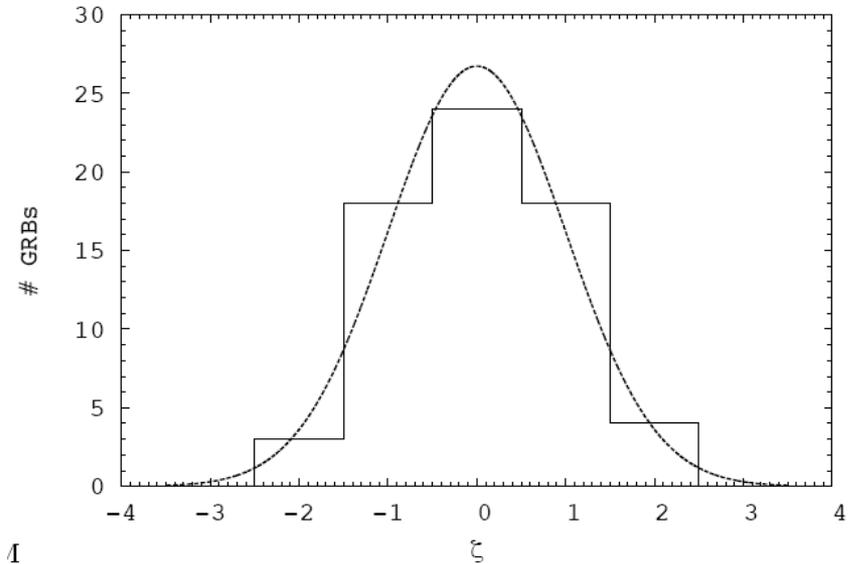
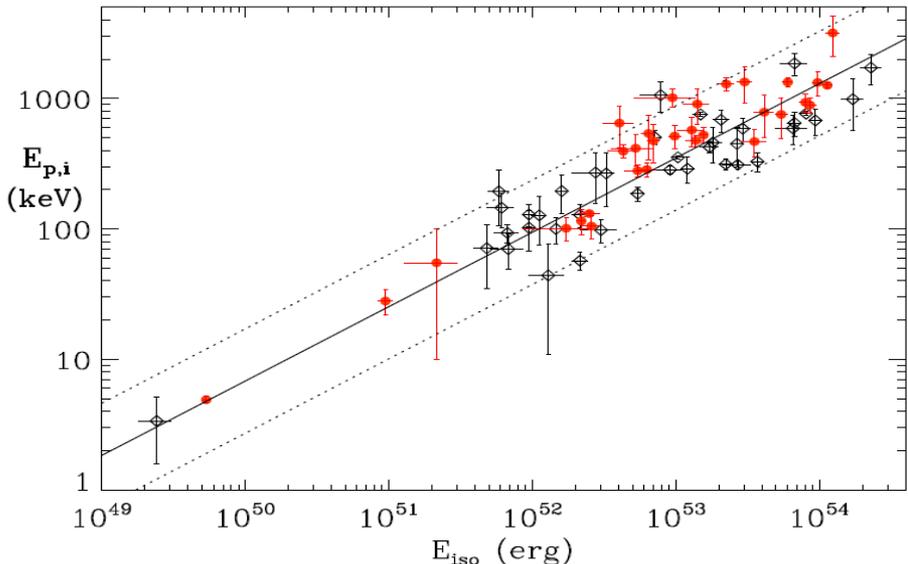
# “Standardizing” GRB with the $E_{p,i}$ - Intensity correlation

$$E_{p,i} = E_{p,obs} \times (1 + z)$$

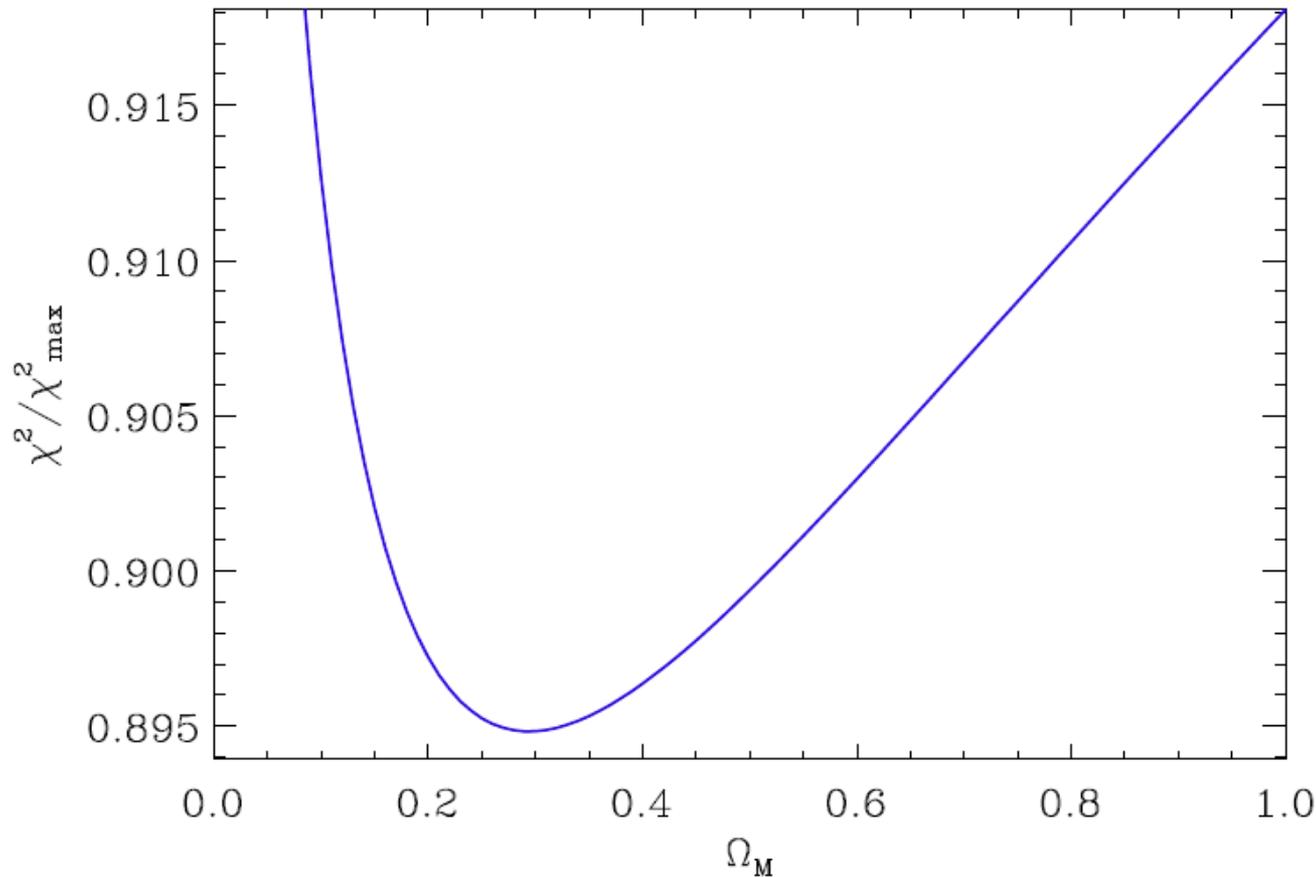
$$E_{\gamma,iso} = \frac{4\pi D_l^2}{(1+z)} \int_{1/1+z}^{10^4/1+z} E N(E) dE \text{ erg}$$

$D_l = D_l(z, H_0, \Omega_M, \Omega_\Lambda, \dots)$

- ❑ not enough low-z GRBs for cosmology-independent calibration -> **circularity is avoided** by fitting simultaneously the parameters of the correlation and cosmological parameters
- ❑ does the extrinsic scatter and goodness of fit of the  $E_{p,i}$ -Eiso correlation vary with the cosmological parameters used to compute Eiso ?



- a fraction of the extrinsic scatter of the  $E_{p,i}$ - $E_{iso}$  correlation is indeed due to the cosmological parameters used to compute  $E_{iso}$
- Evidence, independent on SN Ia or other cosmological probes, that, if we are in a flat  $\Lambda$ CDM universe,  $\Omega_M$  is lower than 1 and around 0.3

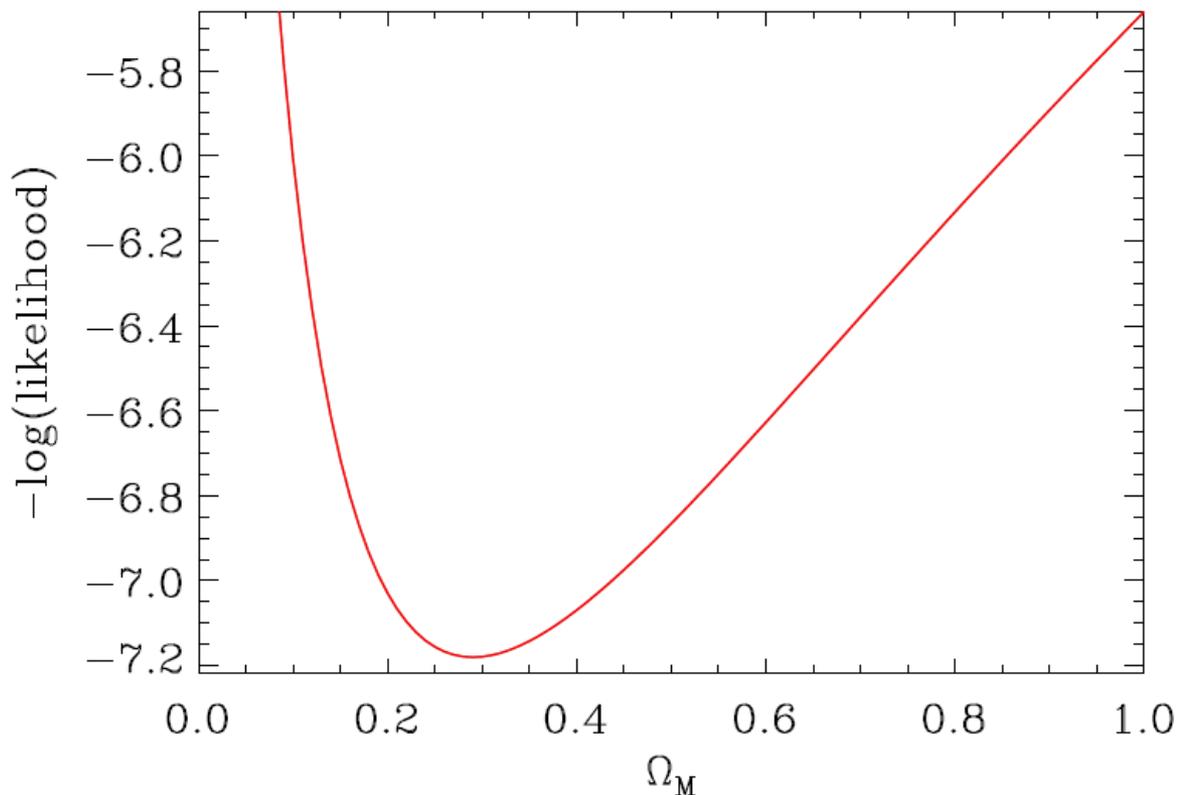


Amati et al. 2008, Amati & Della Valle 2013

- By using a maximum likelihood method the extrinsic scatter can be parametrized and quantified (e.g., Reichart 2001)

$$L(m, c, \sigma_v; \mathbf{x}, \mathbf{y}) = \frac{1}{2} \sum_i \log (\sigma_v^2 + \sigma_{y_i}^2 + m^2 \sigma_{x_i}^2) + \frac{1}{2} \sum_i \frac{(y_i - m x_i - c)^2}{\sigma_v^2 + \sigma_{y_i}^2 + m^2 \sigma_{x_i}^2}$$

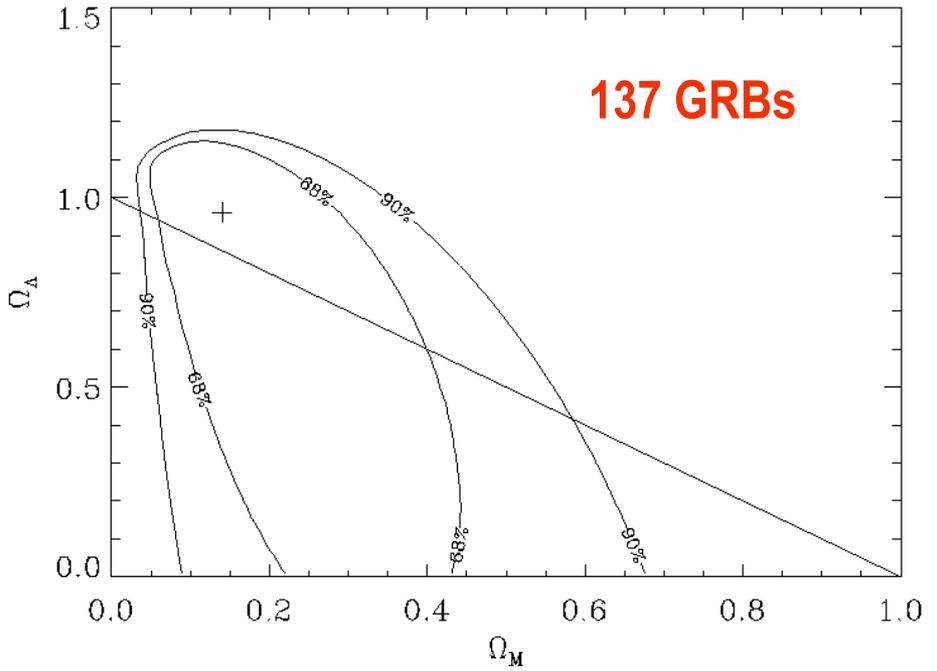
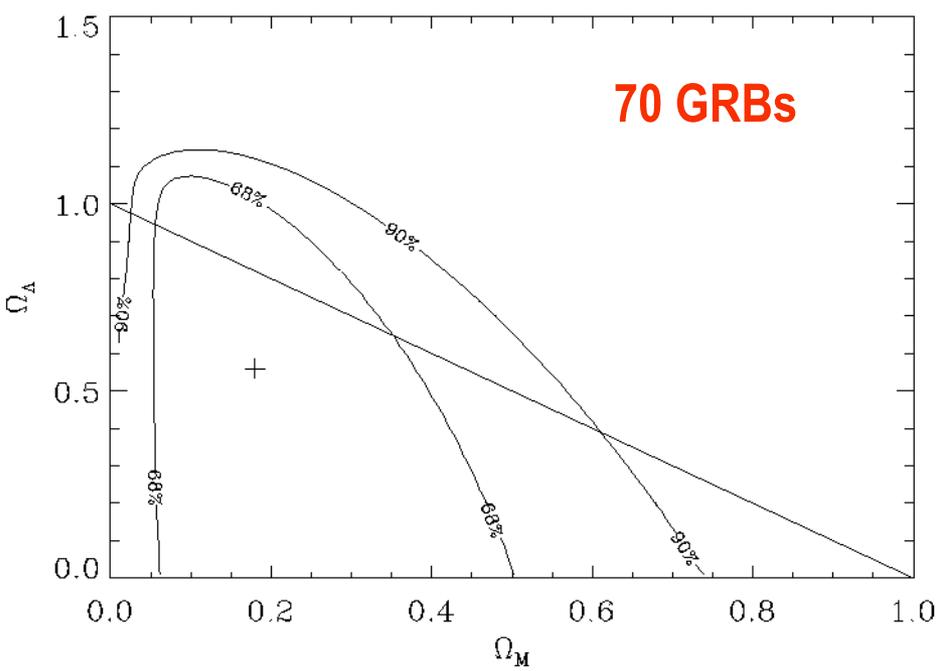
- $\Omega_M$  could be constrained (Amati+08, 70 GRBs) to 0.04-0.43 (68%) and 0.02-0.71 (90%) for a flat  $\Lambda$ CDM universe ( $\Omega_M = 1$  excluded at 99.9% c.l.)



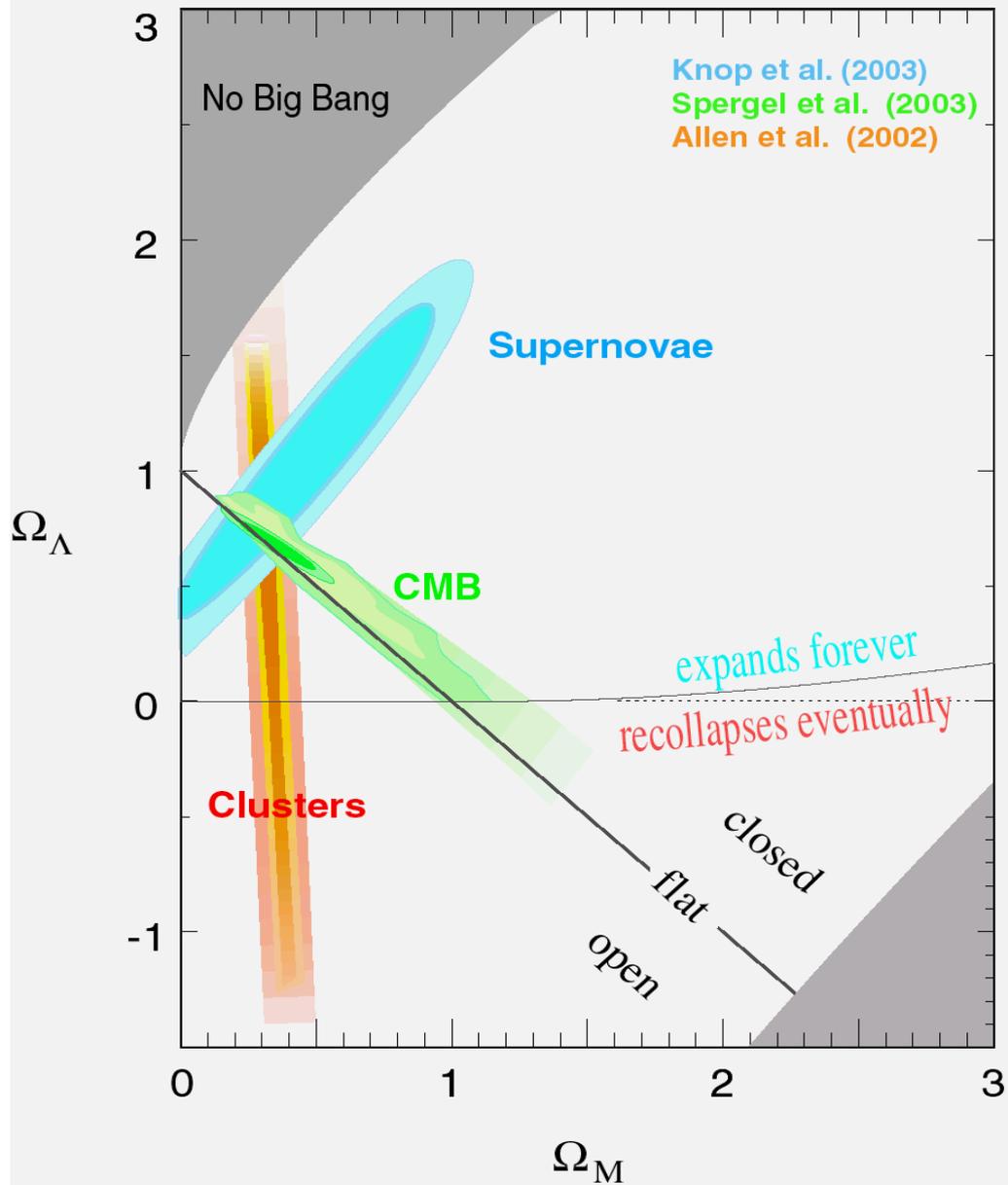
Amati et al. 2008, 2013

- analysis of updated sample of 137 GRBs (Amati+12) shows significant improvements w/r to the sample of 70 GRBs of Amati et al. (2008)
- this evidence supports the reliability and perspectives of the use of the  $E_{p,i} - E_{iso}$  correlation for the estimate of cosmological parameters

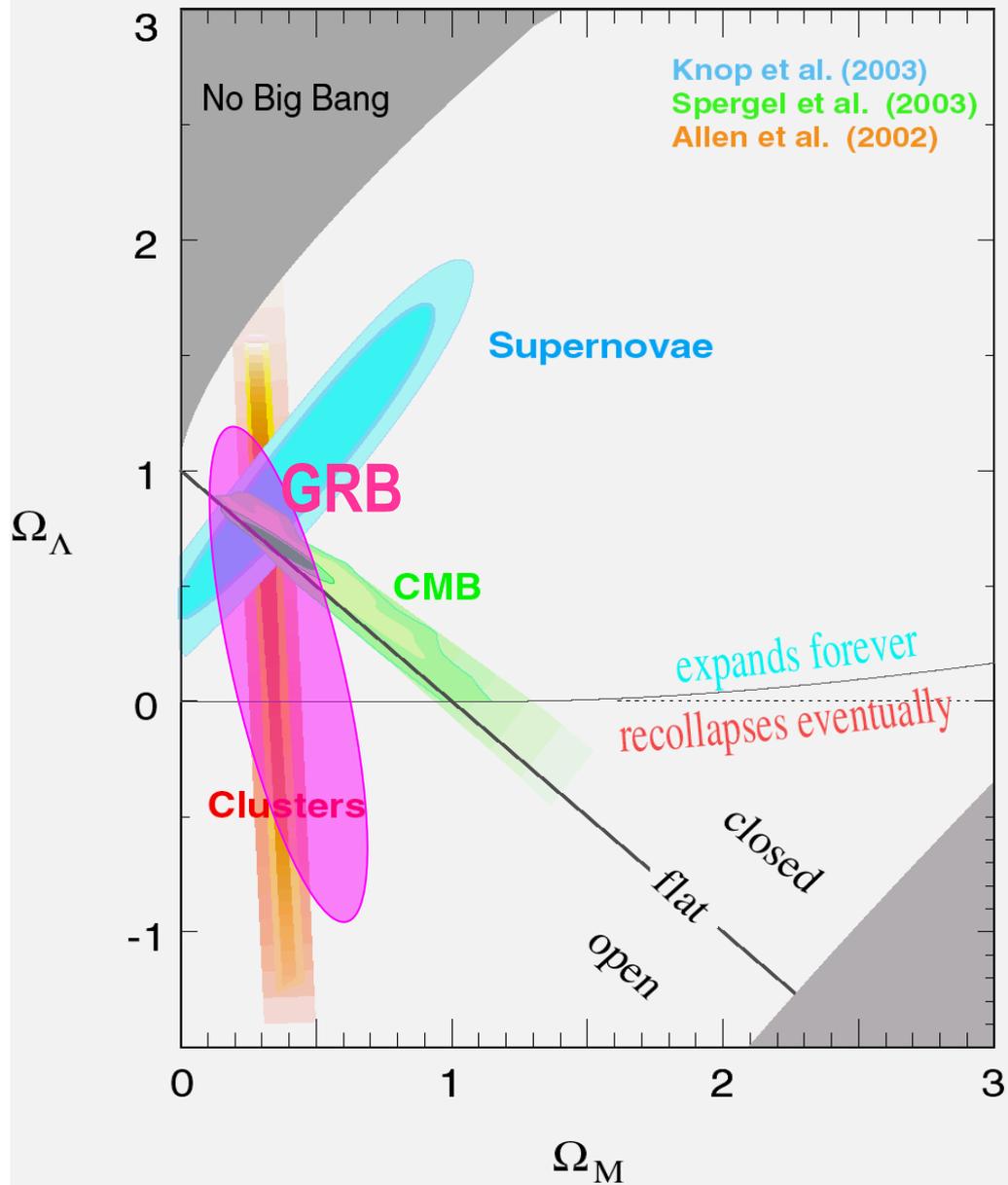
$\Omega_m$ (flat universe)	best	68%	90%
70 GRBs (Amati+ 08)	0.27	0.09 – 0.65	0.05 – 0.89
137 GRBs (Amati+ 12)	0.29	0.12 – 0.54	0.08 – 0.79



# Supernova Cosmology Project



# Supernova Cosmology Project



# Perspectives

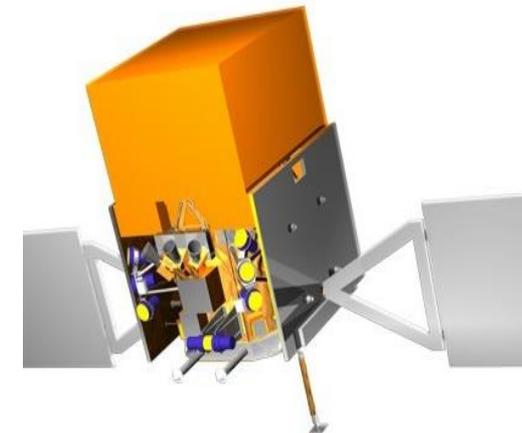
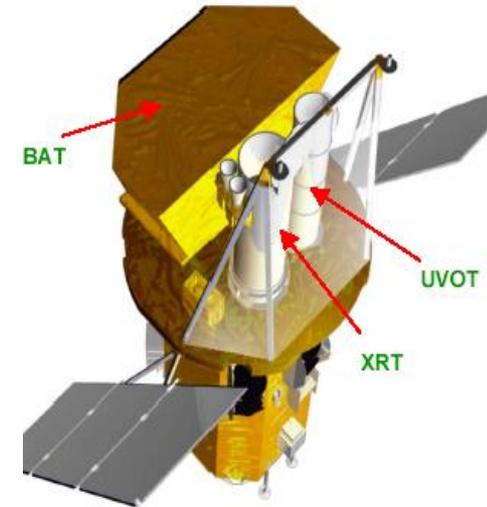
□ present and near future: main contribution expected from joint Fermi + Swift measurements

➤ Up to 2009: ~290 Fermi/GBM GRBs,  $E_p$  estimates for ~90%, ~35 simultaneously detected by Swift (~13%), 13 with  **$E_p$  and  $z$  estimates (~10% of Swift sample)**

➤ 2008 pre-Fermi : 61 Swift detections, 5 BAT  $E_p$  (8%), 15 BAT + KONUS + SUZAKU  $E_p$  estimates (25%), 20 redshift (33%), 11 with  **$E_p$  and  $z$  estimates (~15% of Swift sample)**

➤ Fermi provides a dramatic increase in  $E_p$  estimates (as expected), but a only small fraction of Fermi GRBs is detected / localized by Swift (~15%) -> **low number of Fermi GRBs with  $E_p$  and  $z$  (~5%)**.

➤ **Summary: 15-20 GRB/year in the  $E_{p,i}$  – Eiso plane**



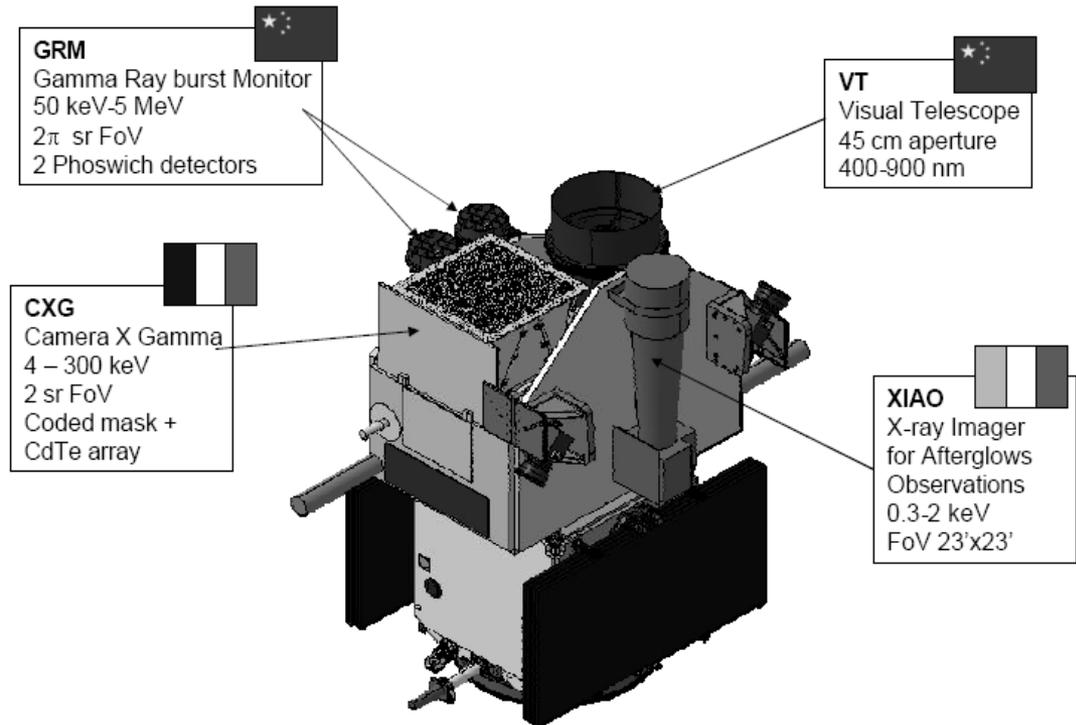
# □ In the > 2015 time frame a significant step forward expected from SVOM, Lomonosov/UFFO-p, CALET/GBM, LOFT/WFM

➤ spectral study of prompt emission in 5-5000 keV -> accurate estimates of  $E_p$  and reduction of systematics (through optimal continuum shape determination and measurement of the spectral evolution down to X-rays)

➤ fast and accurate localization of optical counterpart and prompt dissemination to optical telescopes -> increase in number of  $z$  estimates and reduction of selection effects

➤ optimized for detection of XRFs, short GRB, sub-energetic GRB, **high- $z$  GRB**

➤ **substantial increase of the number of GRB with known  $z$  and  $E_p$  -> test of correlations and calibration for their cosmological use**



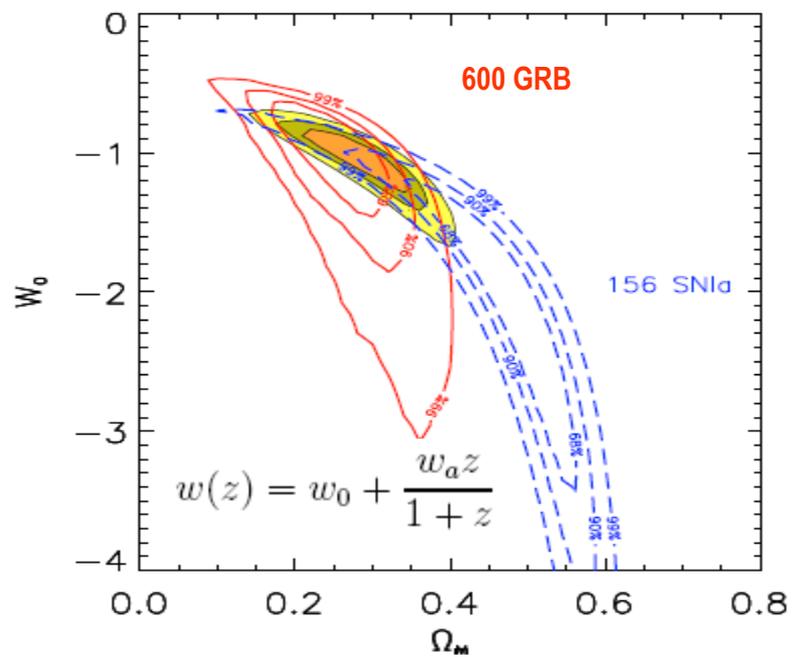
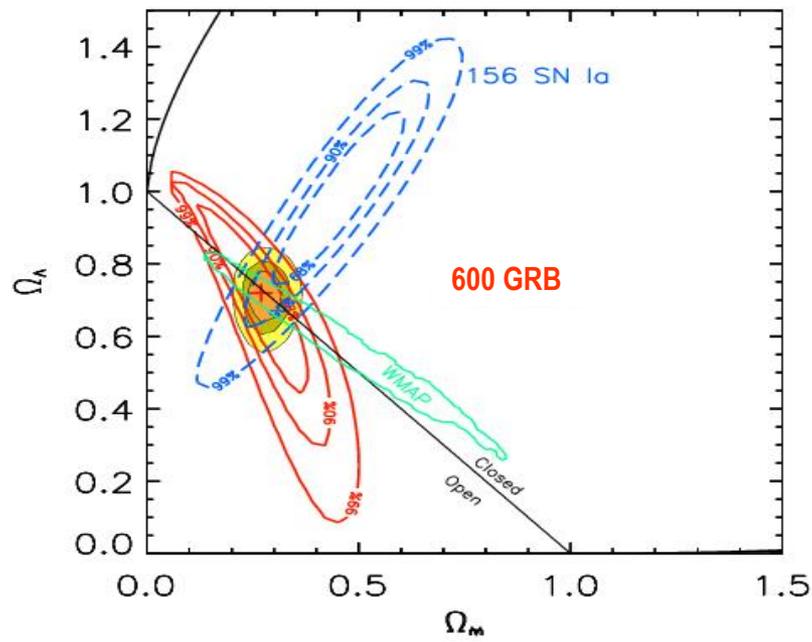
# Expected significant enlargement of the sample in a few years

- the simultaneous operation of Swift, Fermi/GBM, Konus-WIND is allowing an increase of the useful sample ( $z + E_p$ ) at a rate of 20 GRB/year, providing an increasing accuracy in the estimate of cosmological parameters
- future GRB experiments (e.g., SVOM) and more investigations (physics, methods, calibration) will improve the significance and reliability of the results and allow to go beyond SN Ia cosmology (e.g. investigation of dark energy)

GRB #	$\Omega_M$ (flat)
70 (real) GRBs (Amati+ 08)	$0.27^{+0.38}_{-0.18}$
156 (real) GRBs (Amati+ 13)	$0.29^{+0.28}_{-0.15}$
250 (156 real + 94 simulated) GRBs	$0.29^{+0.16}_{-0.12}$
500 (156 real + 344 simulated) GRBs	$0.29^{+0.10}_{-0.09}$

# Expected significant enlargement of the sample in a few years

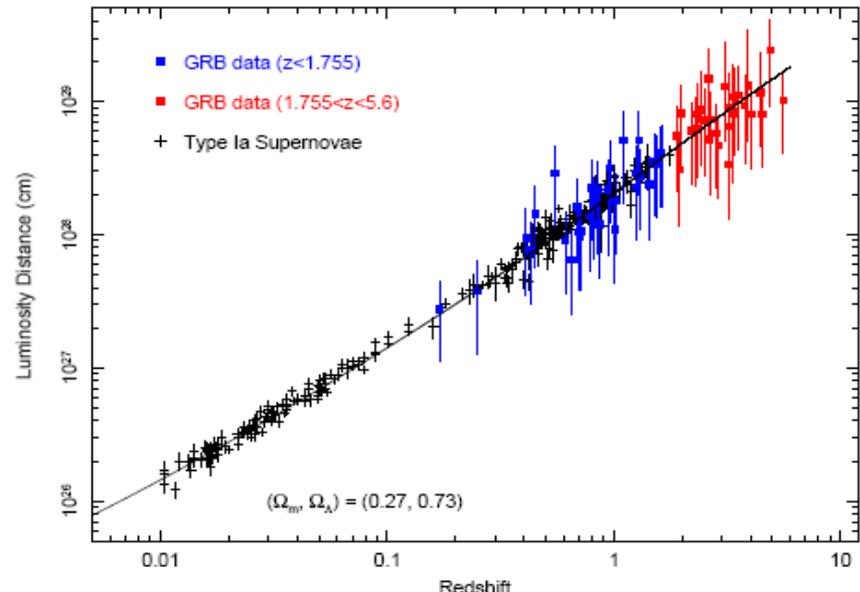
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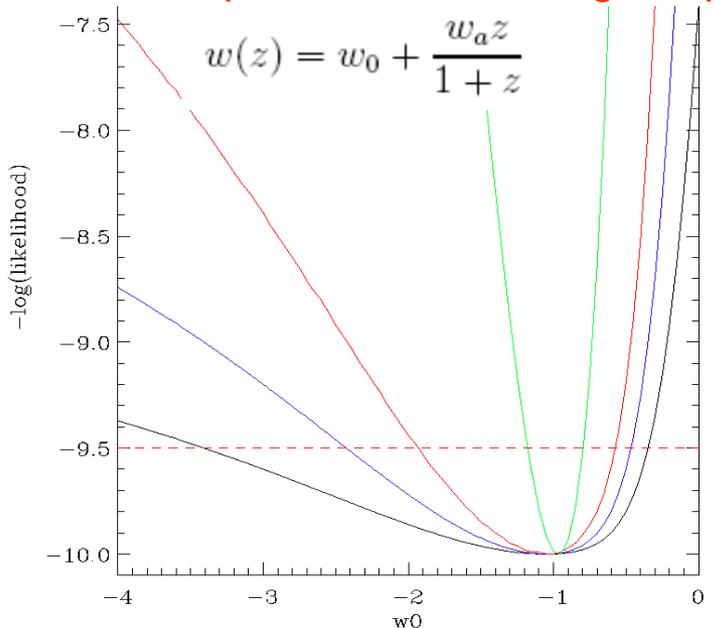
Adapted from Amati+ 12 and Ghirlanda+ 2007

# Calibrating the $E_{p,i}$ – Eiso correlation with SN Ia

- Several authors (e.g., Kodama et al., 2008; Liang et al., 2008, Li et al. 2008, Demianski et al. 2010-2011, Capozziello et al. 2010, Wang et al. 2012) are investigating the calibration of the  $E_{p,i}$  - Eiso correlation at  $z < 1.7$  by using the luminosity distance – redshift relation derived for SN Ia
- The aim is to extend the SN Ia Hubble diagram up to redshifts at which the luminosity distance is more sensitive to dark energy properties and evolution
- Drawback: with this method GRB are no more an independent cosmological probe



Kodama et al. 2008



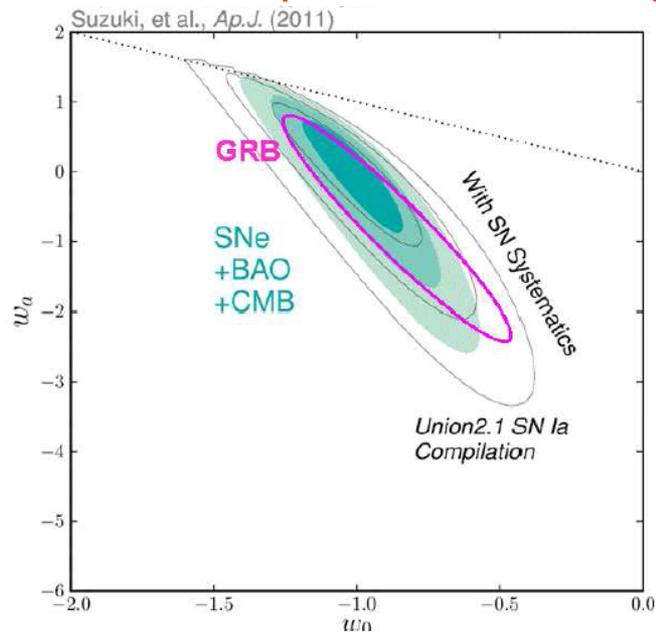
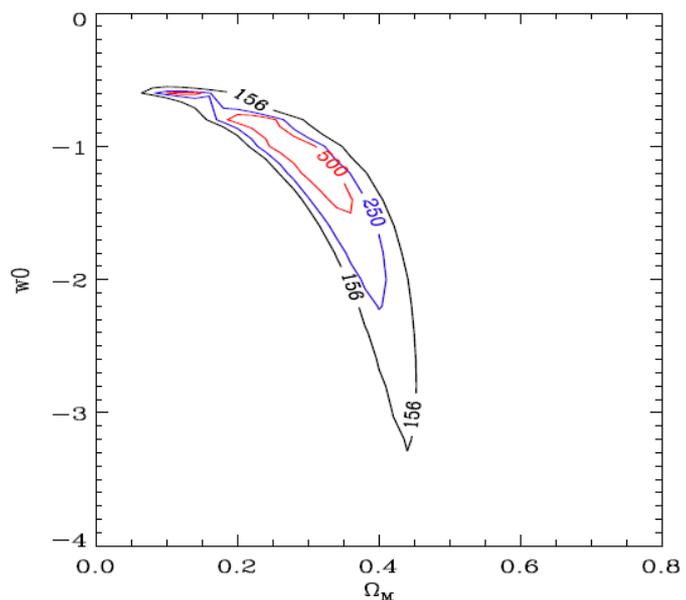
Amati & Della Valle 13, Amati+ 13

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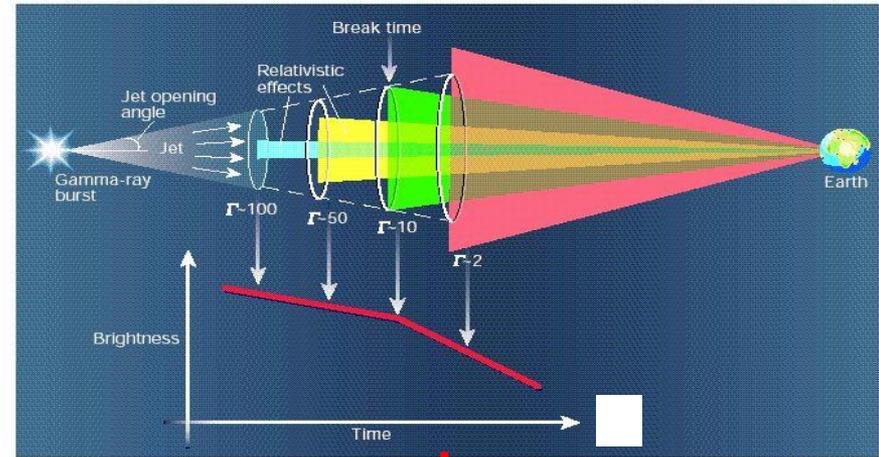
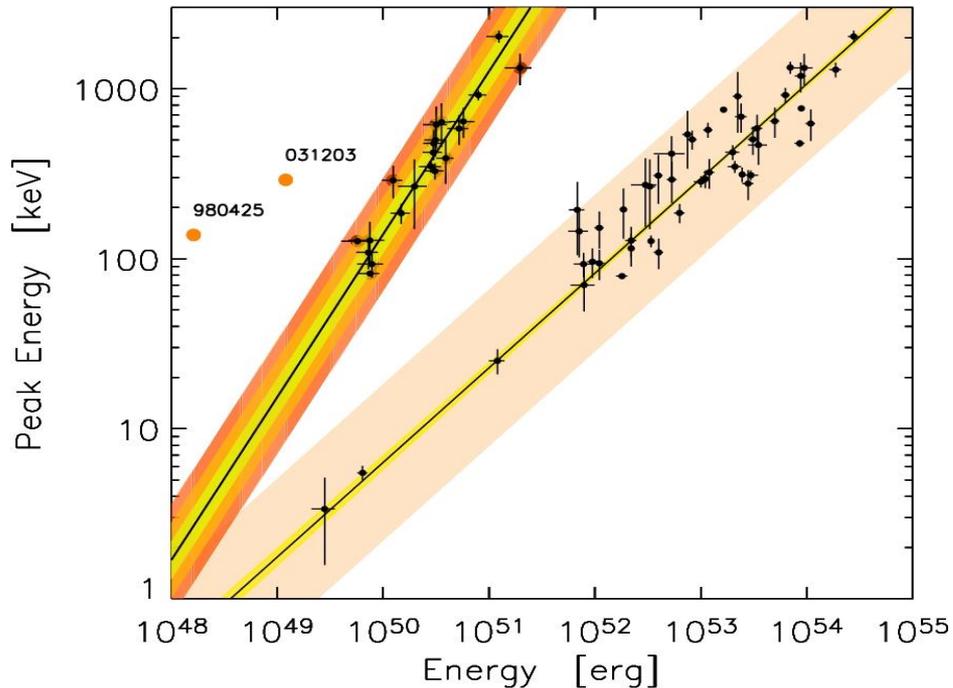


## ❑ Other approaches (already partly / to be) investigated

- cosmographic calibration of the  $E_{p,i}$  – Intensity correlation (e.g., Capozziello et al., Demianski et al.): **up to now used to calibrate GRBs against SN Ia, perspectives ?**
- “self-calibration” of the correlation with a large enough number of GRBs lying within a narrow ( $\Delta z = 0.1-0.2$ ) range of  $z$ : **promising, requires sample enlargement**
- combining  $E_{p,i}$  – Intensity correlation with other (**less tight**) GRB correlations (e.g., Schaefer 2007, Mosquera Cuesta et al. 2008, Cardone et al. 2009): **more systematics and reduced number of GRBs -> add more noise than information ?**
- extending the  $E_p$ -Intensity correlation by involving other prompt or afterglow properties (e.g., Margutti et al., Tsutsui et al.)
- investigating other “luminosity” correlations involving prompt and afterglow properties (e.g.,  **$L_x - T_a$  for plateau, Dainotti et al.)**

## Accounting for collimation

2004: evidence that by substituting Eiso with the collimation corrected energy  $E_\gamma$  the logarithmic dispersion of the correlation decreases significantly and is low enough to allow its use to standardize GRB (Ghirlanda et al., Dai et al, and many)

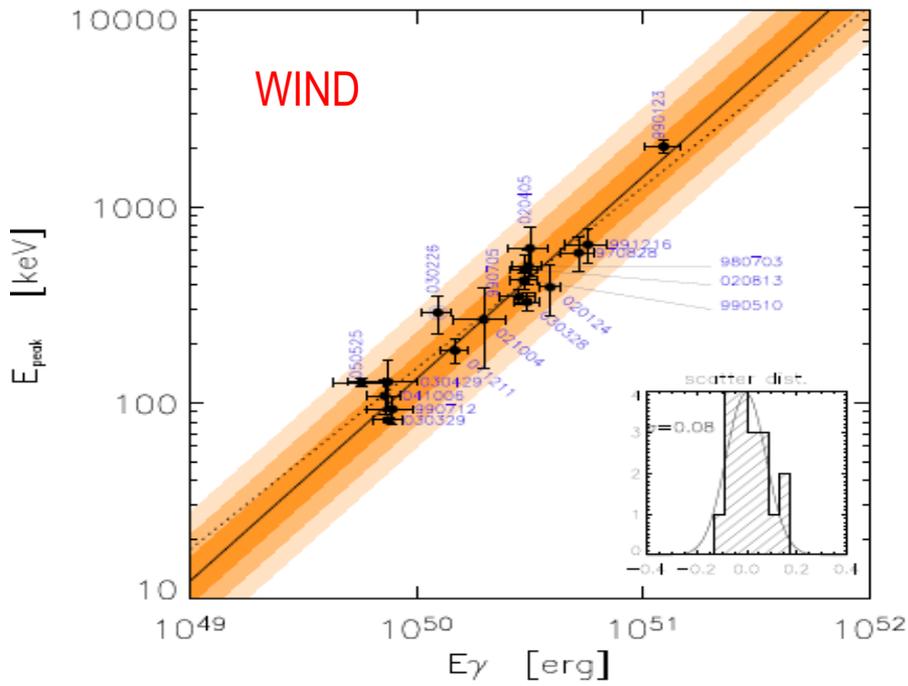
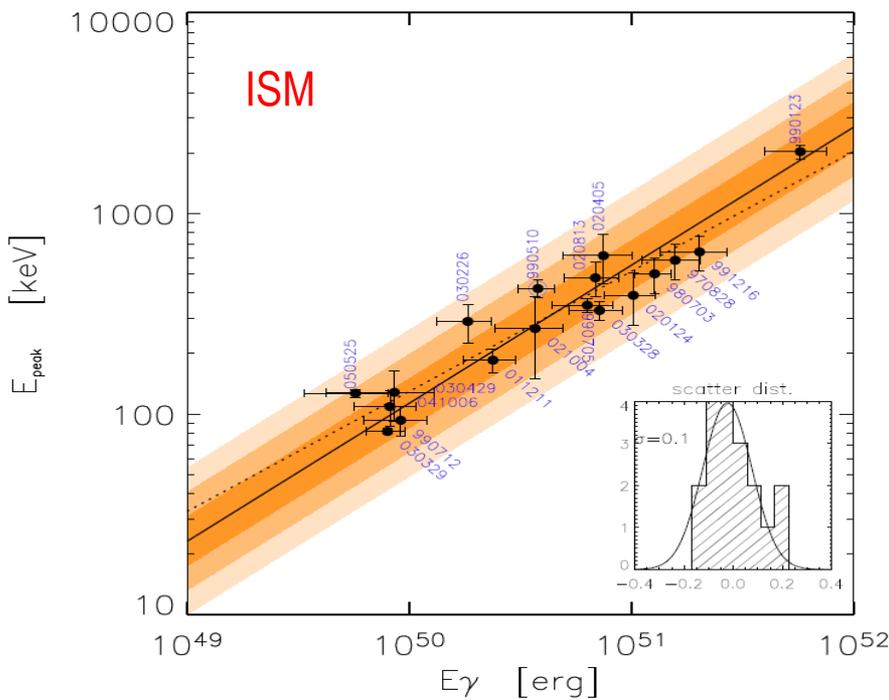


$$\theta = 0.09 \left( \frac{t_{jet,d}}{1+z} \right)^{3/8} \left( \frac{n\eta_\gamma}{E_{\gamma,iso,52}} \right)^{1/8}$$

$$E_\gamma = (1 - \cos \theta) E_{\gamma,iso}$$

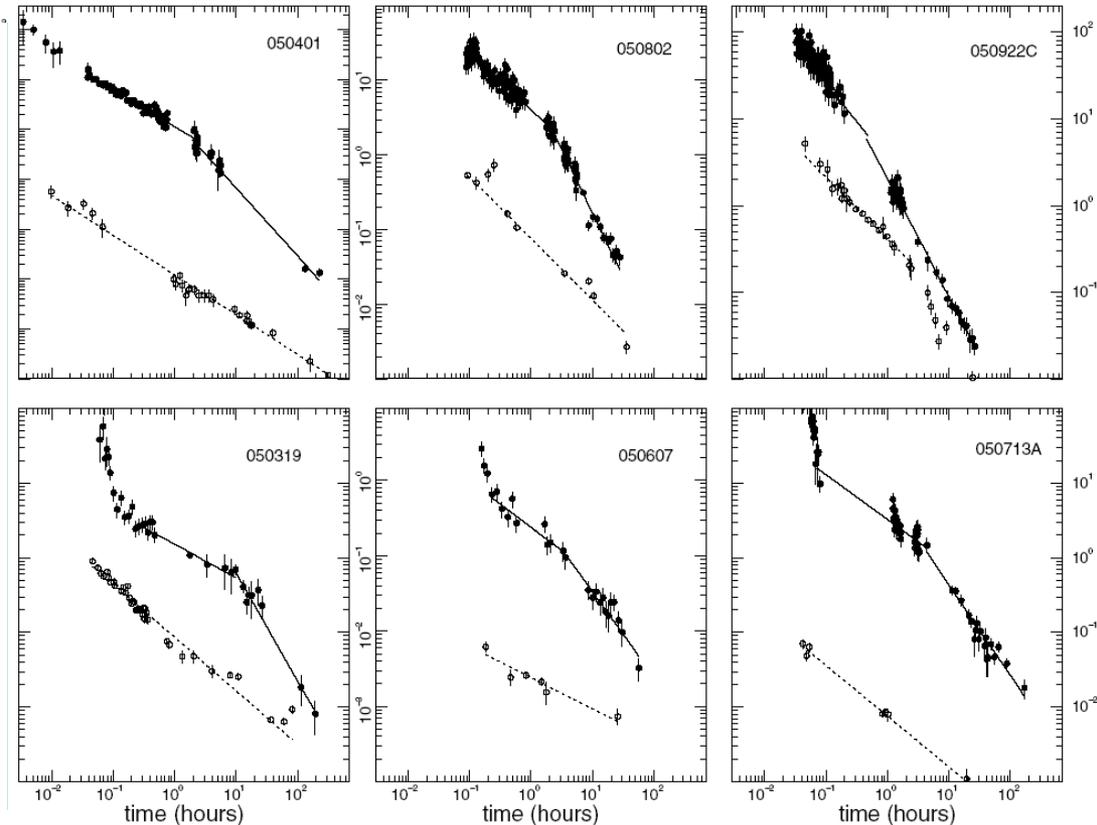
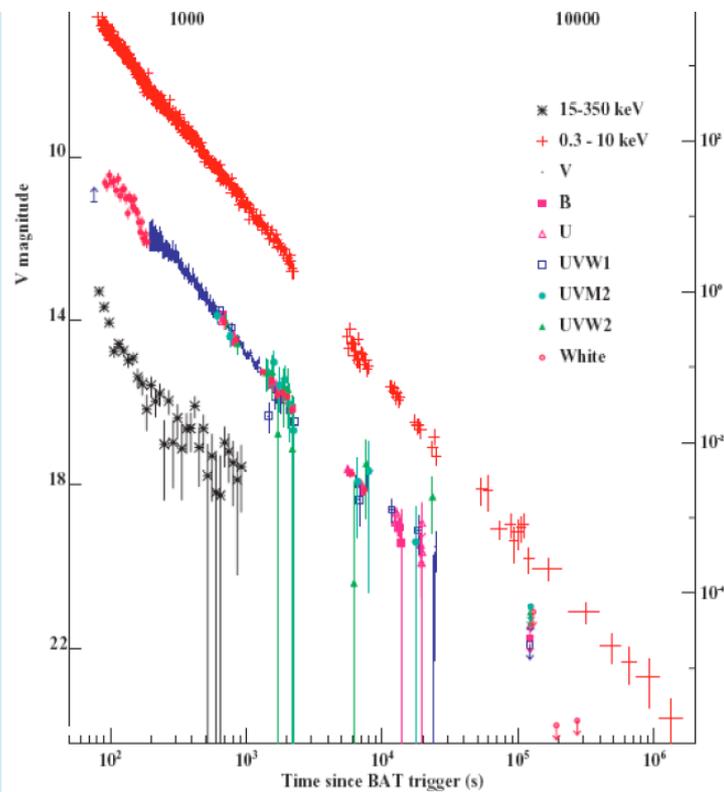
# Accounting for collimation: drawbacks

- the  $E_p$ - $E_\gamma$  correlation is model dependent: slope depends on the assumptions on the circum-burst environment density profile (ISM or wind)
- addition of a third observable introduces further uncertainties (difficulties in measuring  $t_{\text{break}}$ , chromatic breaks, model assumptions) and substantially reduces the number of GRB that can be used (e.g.,  $\#E_{p,i} - E_\gamma \sim \frac{1}{4} \#E_{p,i} - E_{\text{iso}}$ )



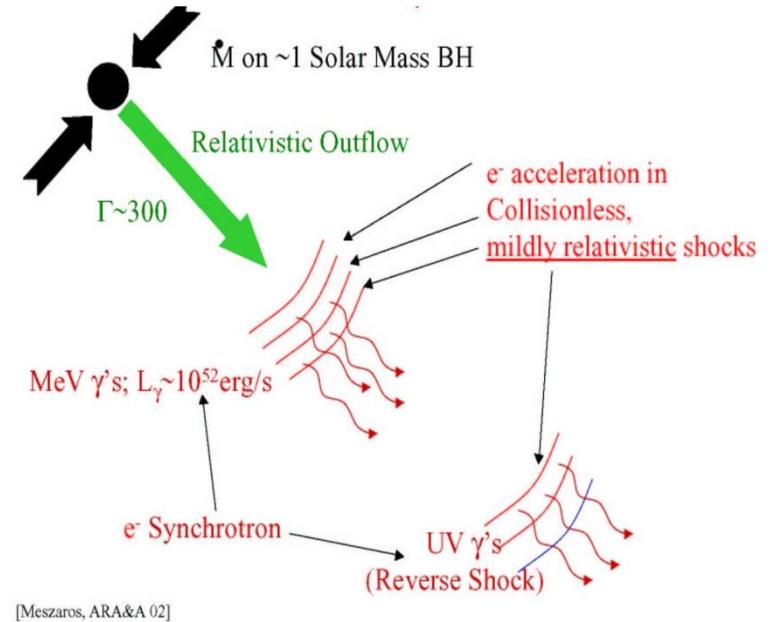
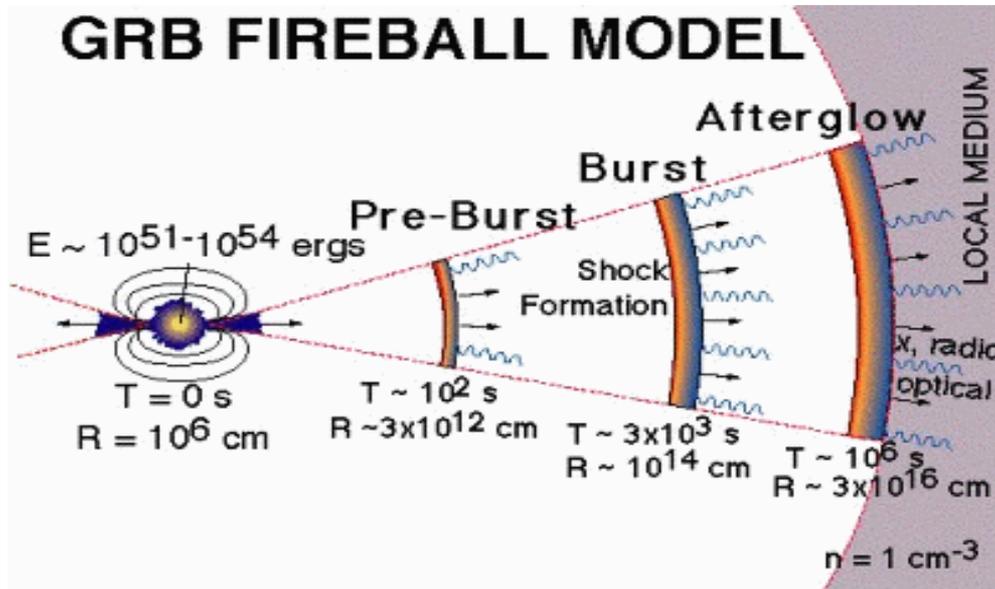
Nava et al., A&A, 2005: ISM (left) and WIND (right)

- lack of jet breaks in several Swift X-ray afterglow light curves, in some cases, evidence of achromatic break
- challenging evidences for Jet interpretation of break in afterglow light curves or due to present inadequate sampling of optical light curves w/r to X-ray ones and to lack of satisfactory modeling of jets ?



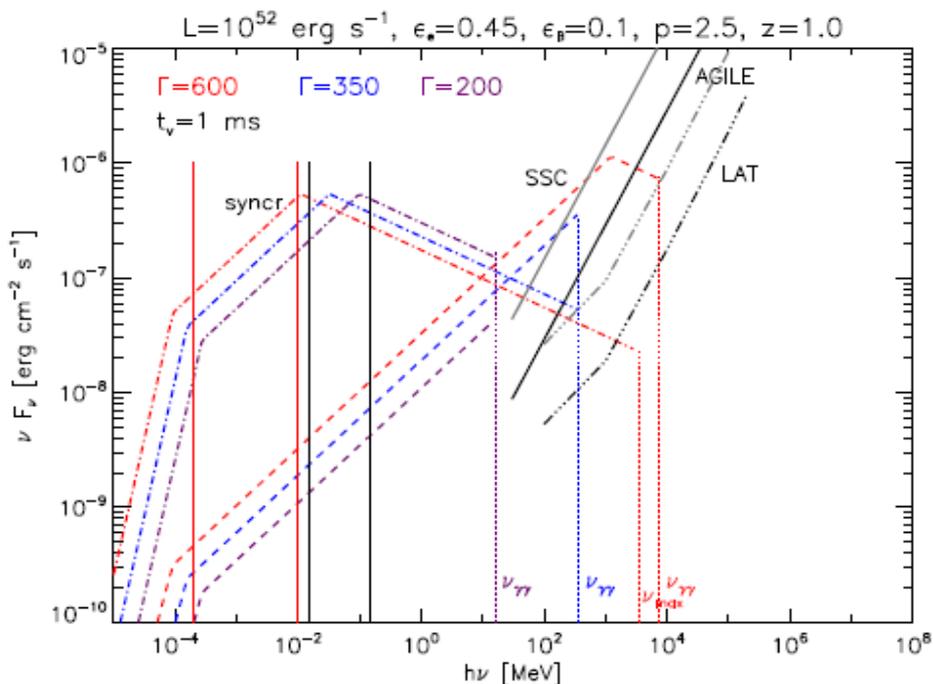
# Understanding the physical grounds of the correlation

## Ep is a fundamental parameter in GRB prompt emission models

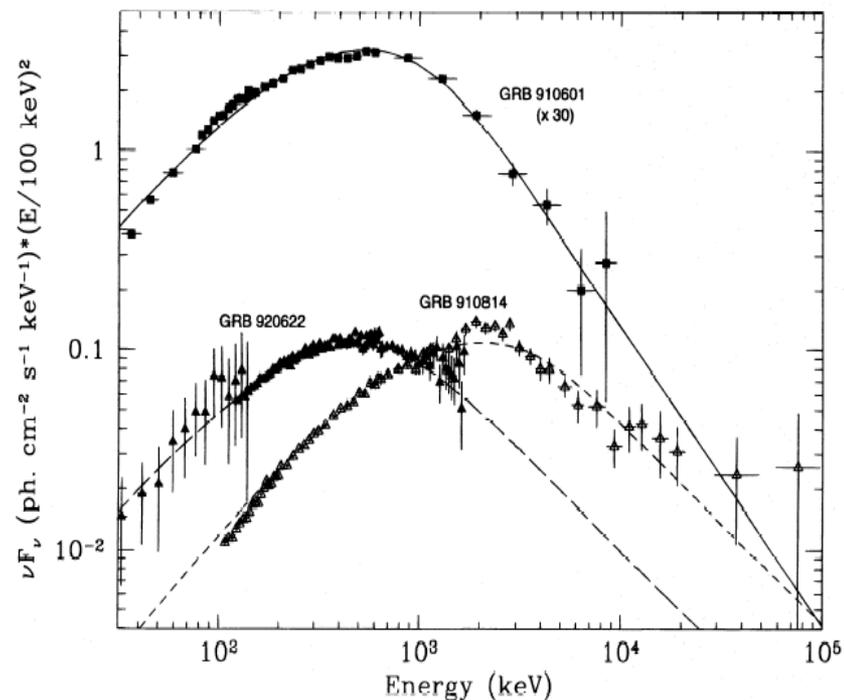


- ms time variability + huge energy + detection of GeV photons  $\rightarrow$  plasma occurring ultra-relativistic ( $\Gamma > 100$ ) expansion (fireball or firejet)
- non thermal spectra  $\rightarrow$  shocks synchrotron emission (SSM)
- fireball internal shocks  $\rightarrow$  prompt emission
- fireball external shock with ISM  $\rightarrow$  afterglow emission

➤ e.g., in **synchrotron shock models (SSM)** it may correspond to a characteristic frequency (possibly  $\nu_m$  in fast cooling regime) or to the temperature of the Maxwellian distribution of the emitting electrons

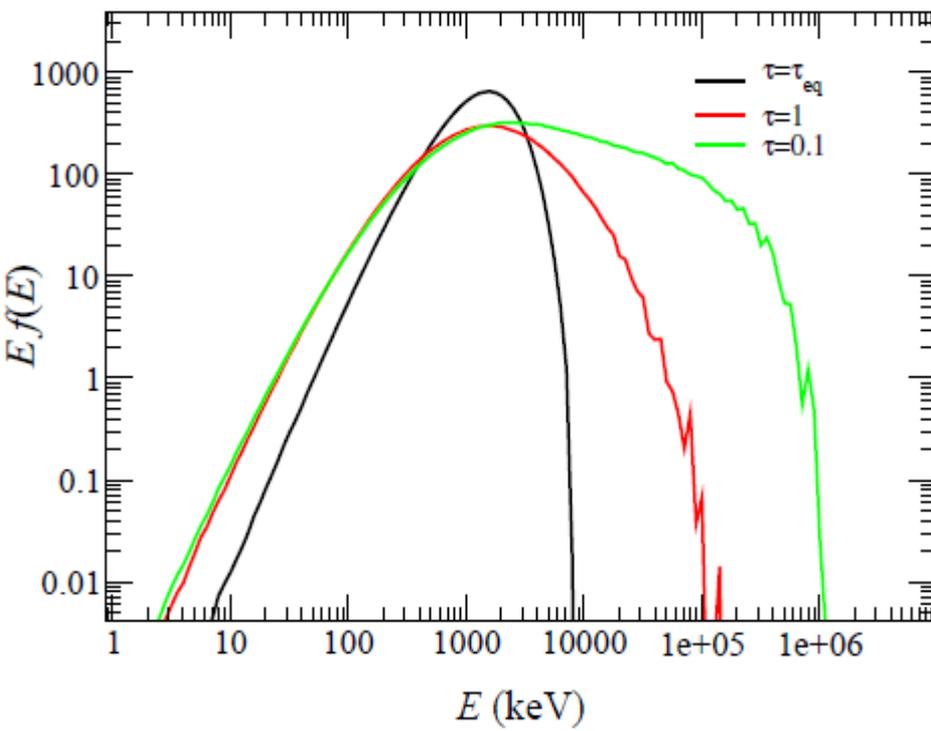


Galli & Guetta 2007

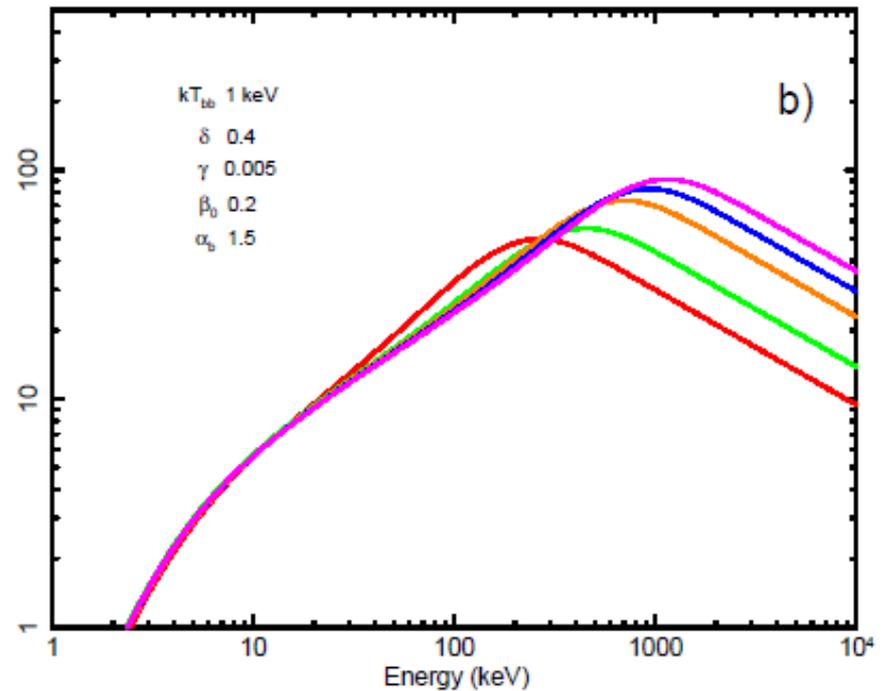


Tavani, ApJ, 1995

➤ e.g. in photospheric-dominated emission models it is linked to the temperature of BB photons (direct) or of scattering electrons (Comptonized)



Giannios 2012

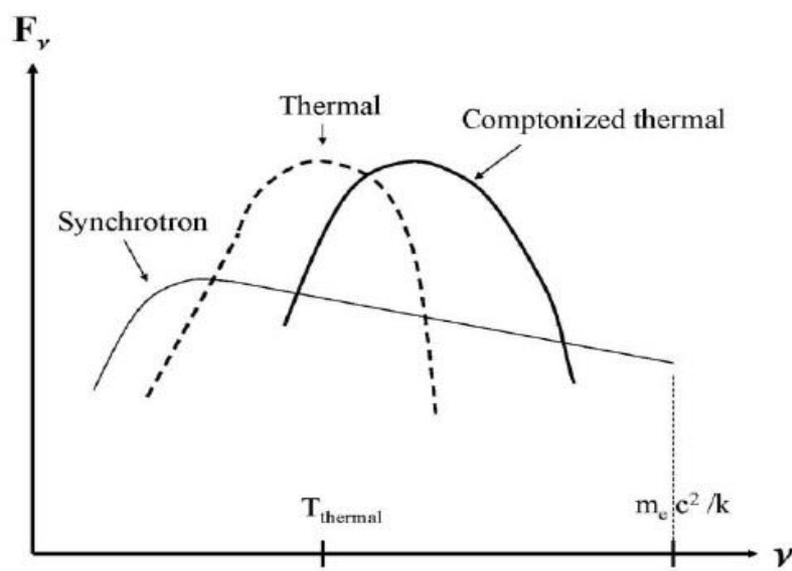
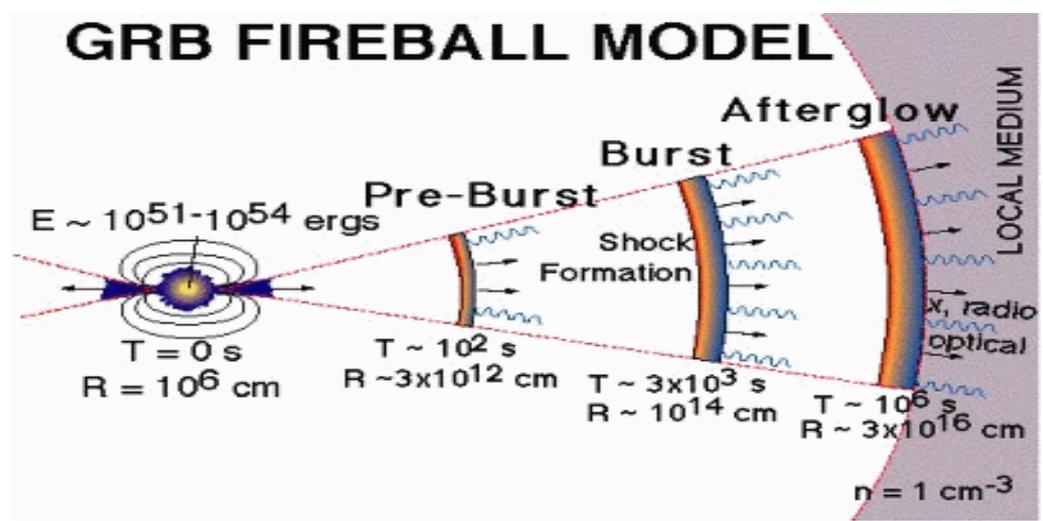


Titarchuk et al., ApJ, 2012

➤ **physics of prompt emission still not settled, various scenarios:** SSM internal shocks, IC-dominated internal shocks, external shocks, photospheric emission dominated models, kinetic energy / Poynting flux dominated fireballs, ...

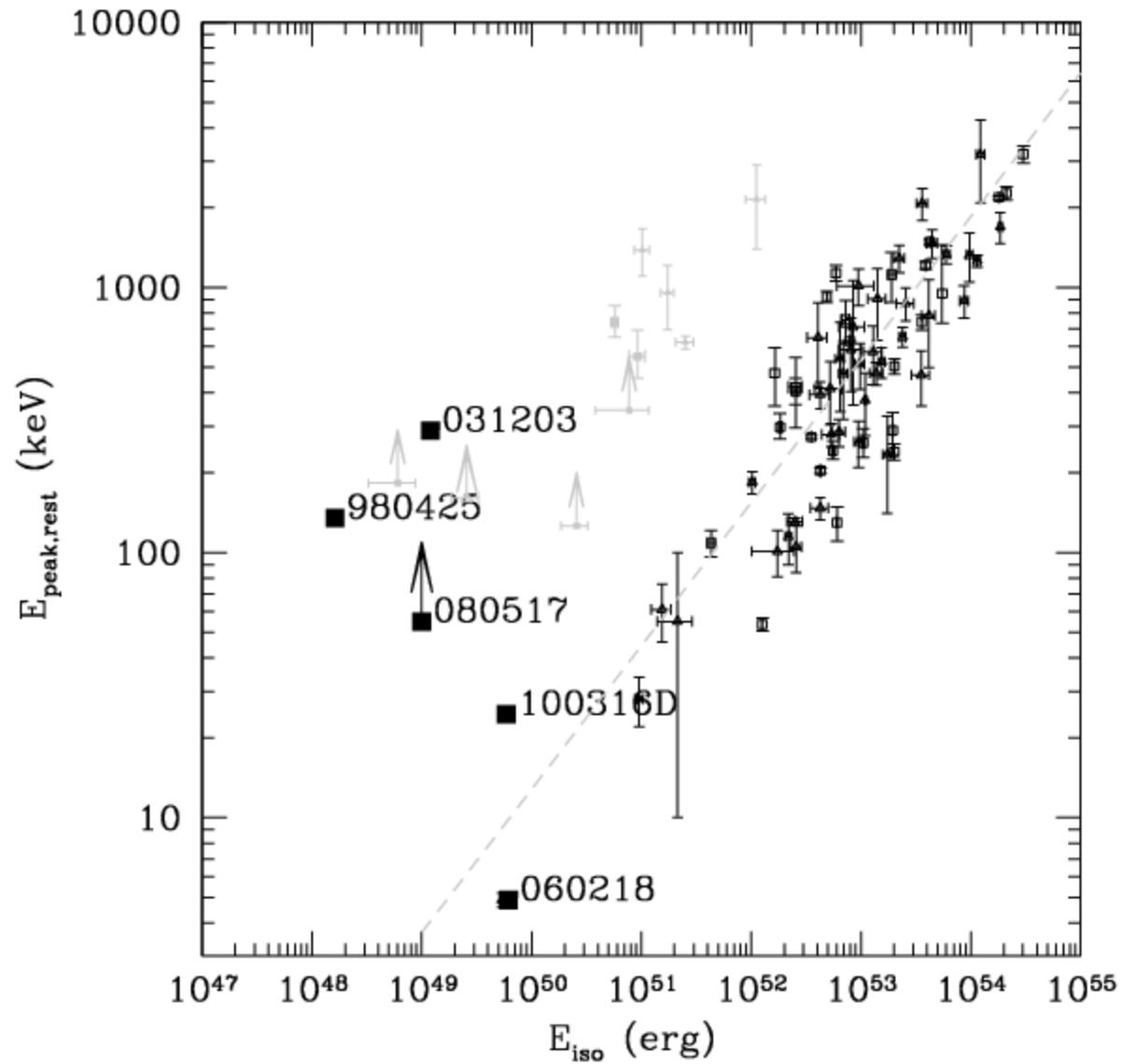
➤ e.g.  $E_{pk} \propto \Gamma^{-2} t_{var}^{-1} L^{1/2}$  for **synchrotron emission** from a power-law distribution of electrons generated in an internal shock (Zhang & Meszaros 2002, Ryde 2005)

➤ e.g.,  $E_p \propto R_0^{-1/2} t_j^{-1/4} E_{iso}^{1/2}$  in scenarios in which **comptonized thermal emission** from the photosphere dominates (e.g. Rees & Meszaros 2005, Thomson et al. 2006)



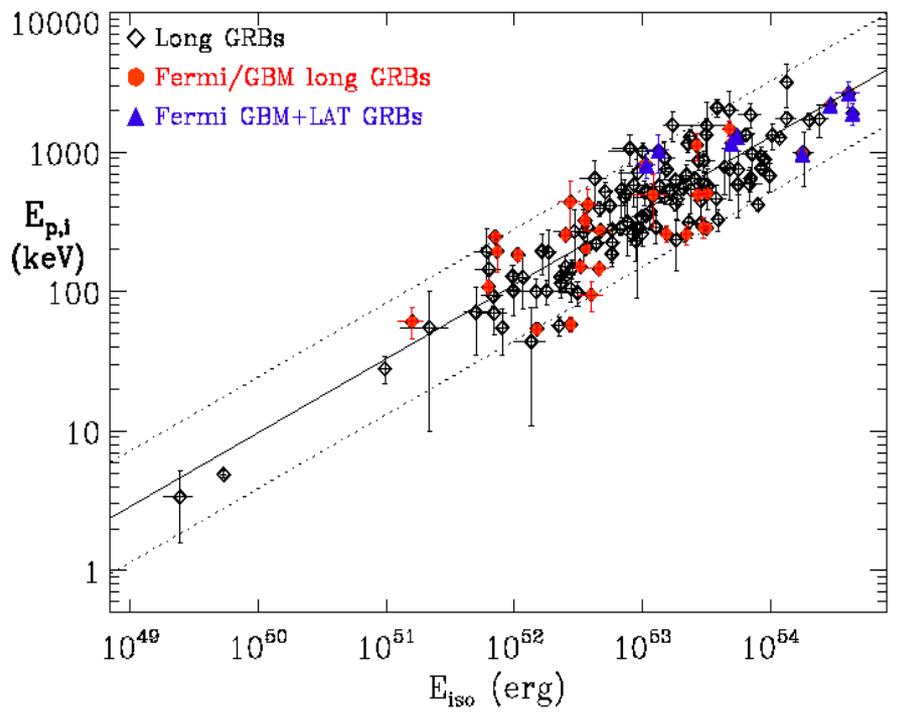
# Conclusions

- Given their huge radiated energies and redshift distribution extending from  $\sim 0.1$  up to  $> 9$ , GRBs are potentially a very powerful cosmological probe, complementary to other probes (e.g., SN Ia, clusters, BAO)
- The  $E_{p,i}$  – intensity correlation is one of the most robust (no firm evidence of significant selection / instrumental effects) and intriguing properties of GRBs and a promising tool for cosmological parameters
- Analysis in the last years ( $>2008$ ) provide already evidence, independent on , e.g., SN Ia, that if we live in a flat  $\Lambda$ CDM universe,  $\Omega_m$  is  $< 1$  at  $>99.9\%$  c.l. ( $\chi^2$  minimizes at  $\Omega_m \sim 0.3$ , consistent with “standard” cosmology)
- The simultaneous operation of Swift, Fermi/GBM, Konus-WIND is allowing an increase of the useful sample ( $z + E_p$ ) at a rate of 15-20 GRB/year, providing an increasing accuracy in the estimate of cosmological parameters
- **Future GRB experiments and investigations (physics, collimation, calibration) will allow to go beyond SN Ia (e.g., dark energy EOS)**

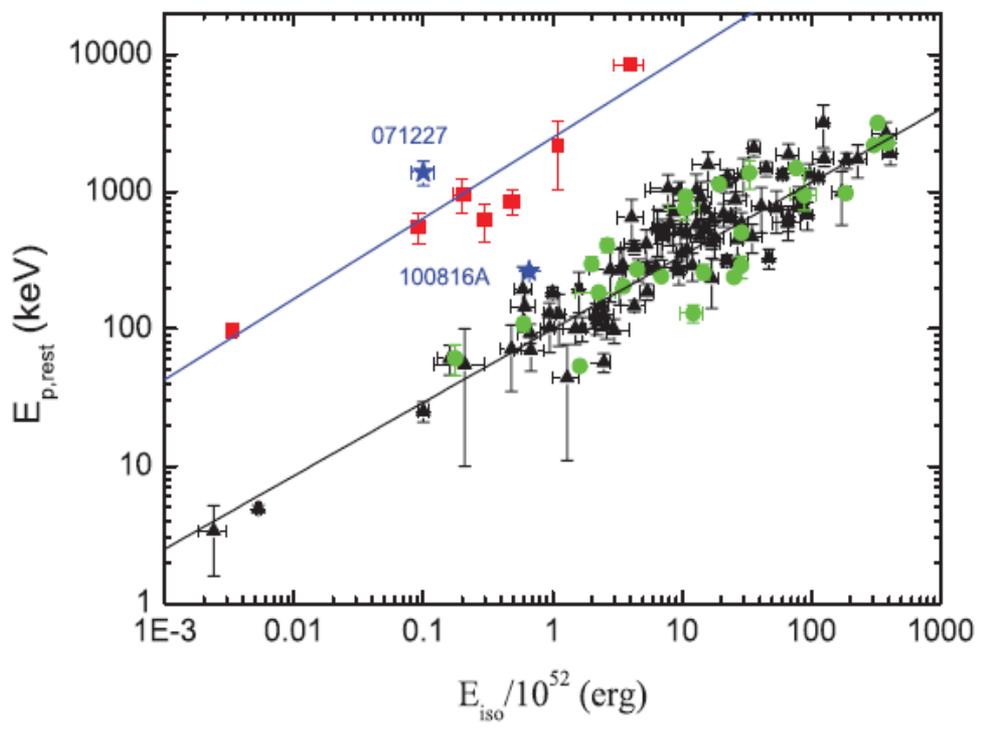


Stanway et al. 2014

□ When computing  $E_{p,i}$  and  $E_{iso}$  based on the fit with Band function (unless CPL significantly better) all *Fermi*/GBM long GRBs with known  $z$  are fully consistent with  $E_{p,i} - E_{iso}$  correlation as determined with previous / other experiments, both when considering preliminary fits (GCNs) or refined analysis (e.g., Nava et al. 2011)

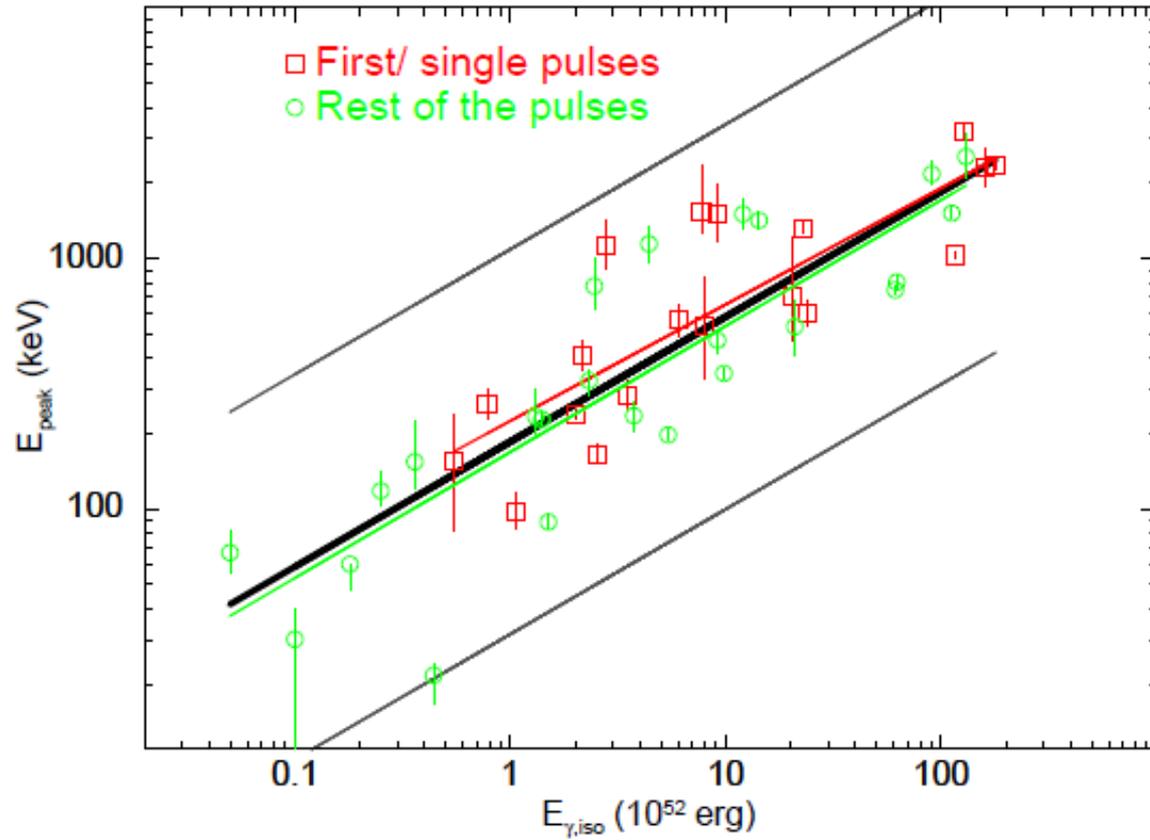


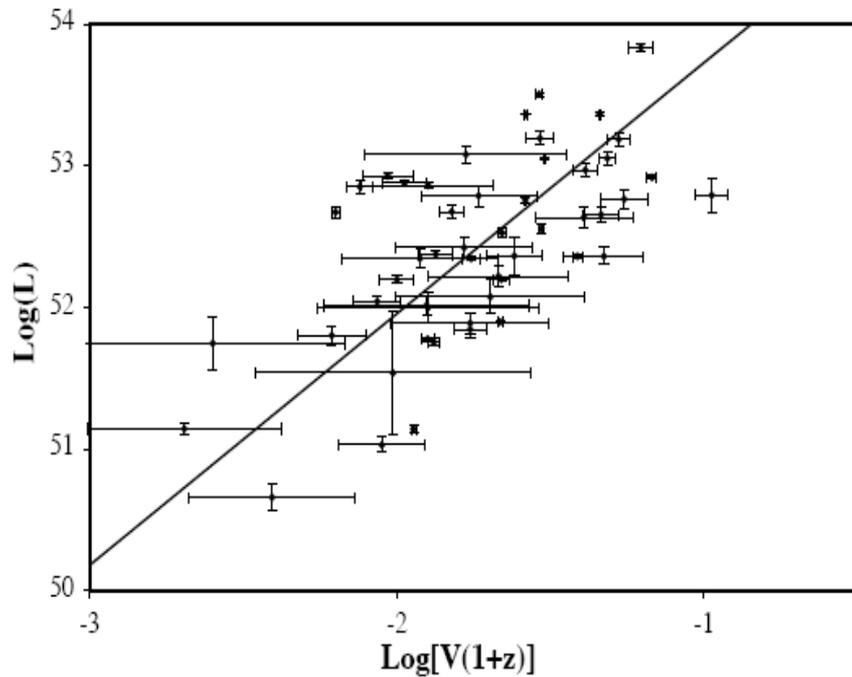
Amati 2012



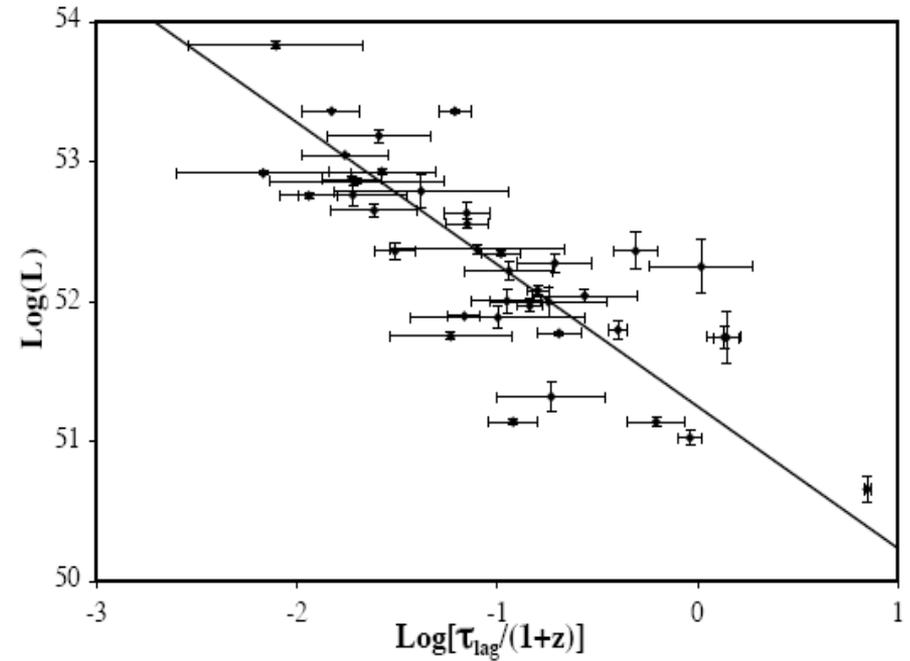
Zhang et al. 2012

➤ Basak et al. 2013: time-resolved  $E_{p,i}$  – Eiso correlation





Luminosity-Variability  
correlation (Reichart et al.,  
Guidorzi et al., Rizzuto et al.)

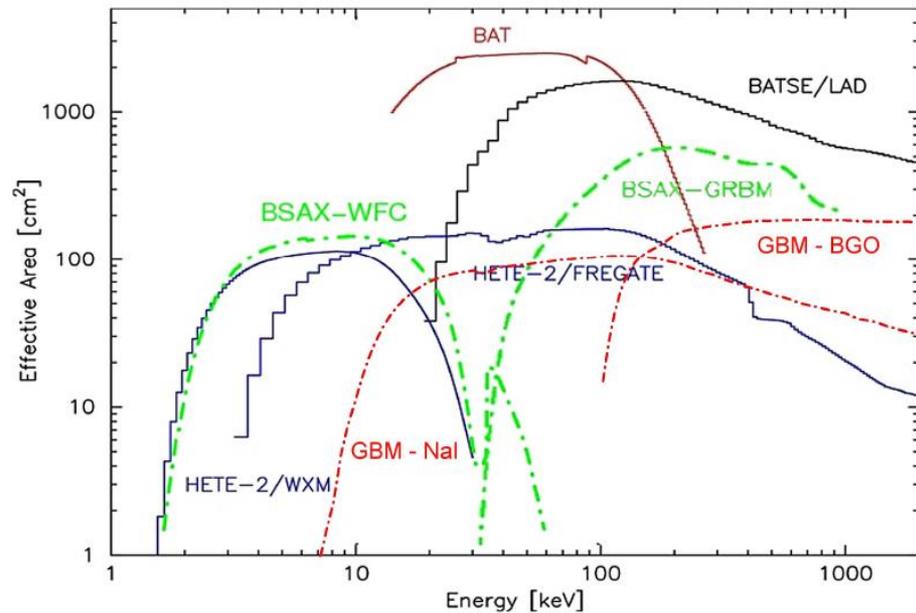


Luminosity-time lag correlation  
(Norris et al.)

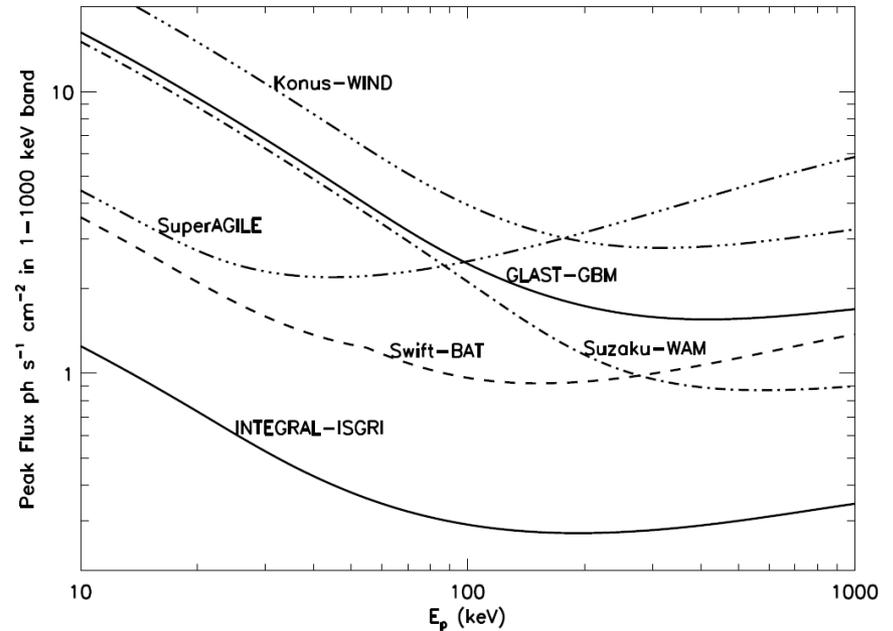
# But... is the $E_{p,i}$ – intensity correlation real ?

□ different GRB detectors are characterized by different **detection and spectroscopy sensitivity** as a function of GRB intensity and spectrum

□ this may introduce relevant selection effects / biases in the observed  $E_{p,i}$  – Eiso and other correlations

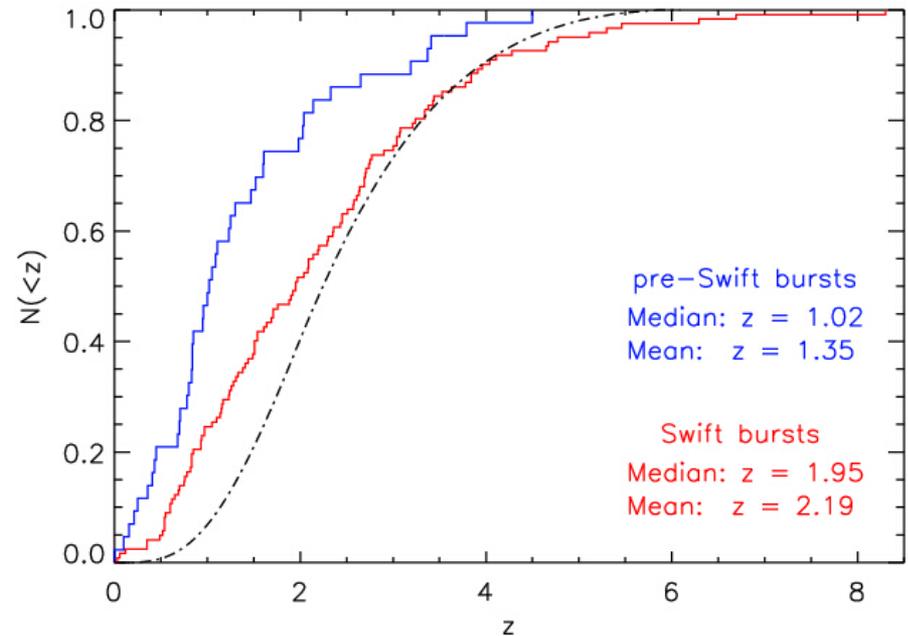
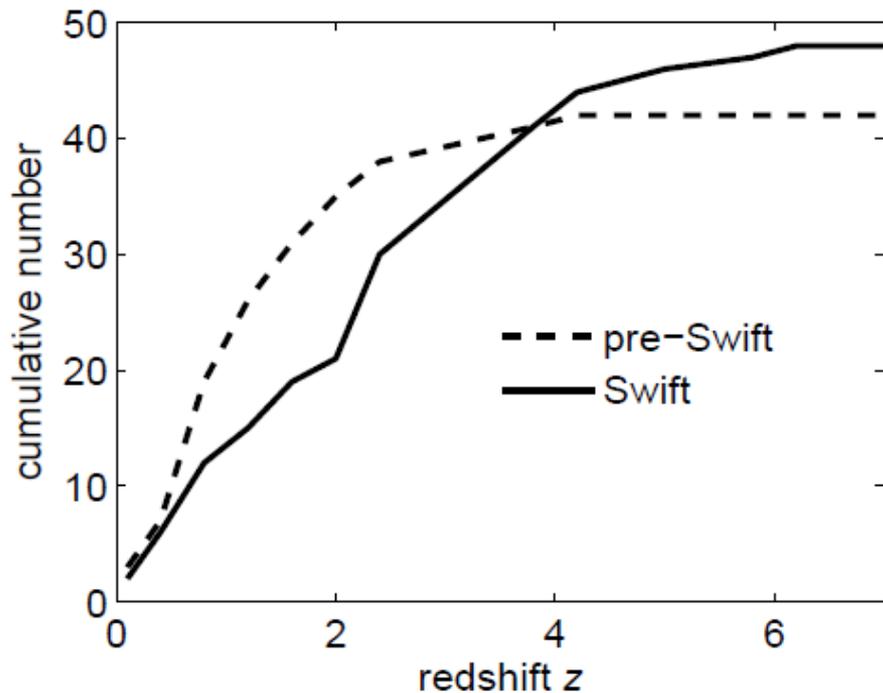


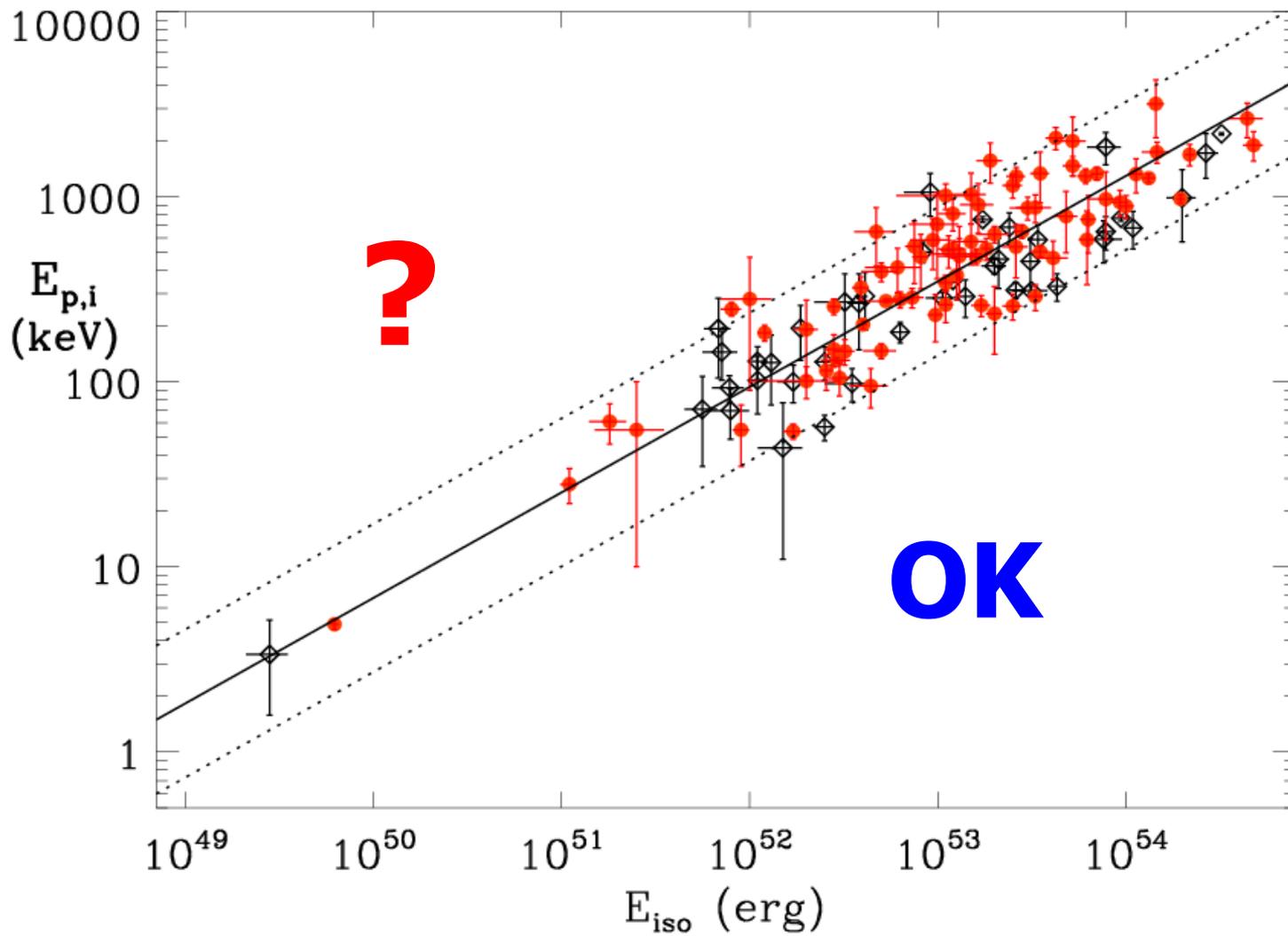
Adapted from Sakamoto et al. 2011



Band 2008

- selection effects are likely to play a relevant role in the process leading to the **redshift estimate** (e.g., Coward 2008, Jakobsson et al. 2010)
- **Swift: reduction of selection effects in redshift** -> Swift GRBs expected to provide a **robust test of the  $E_{p,i}$  – Eiso correlation**

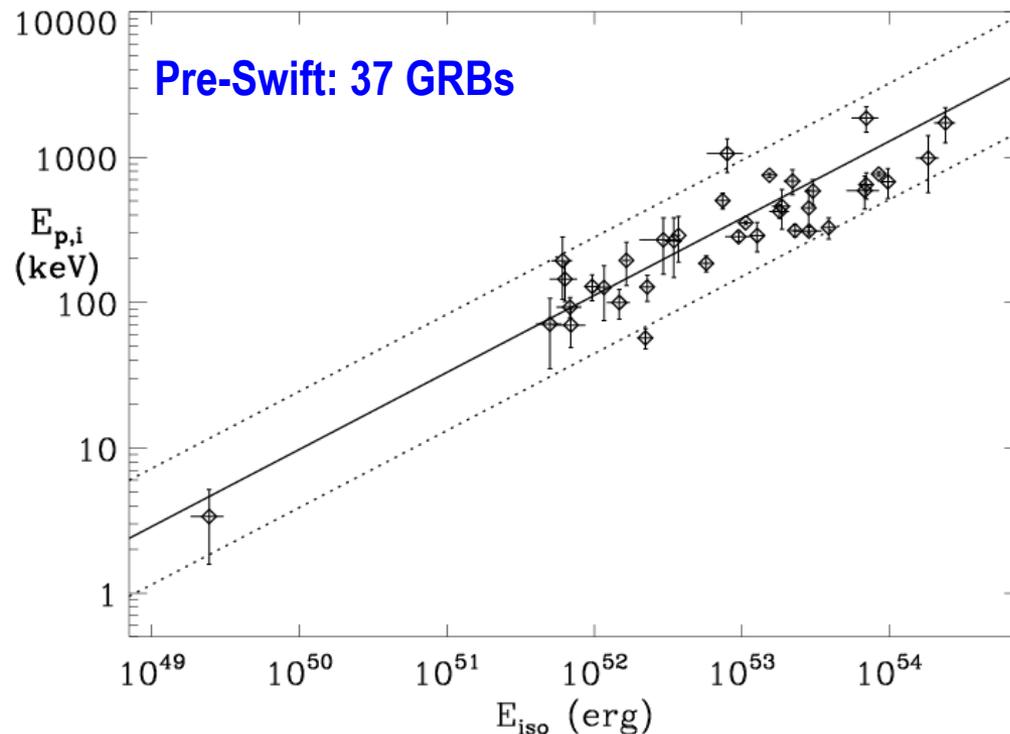




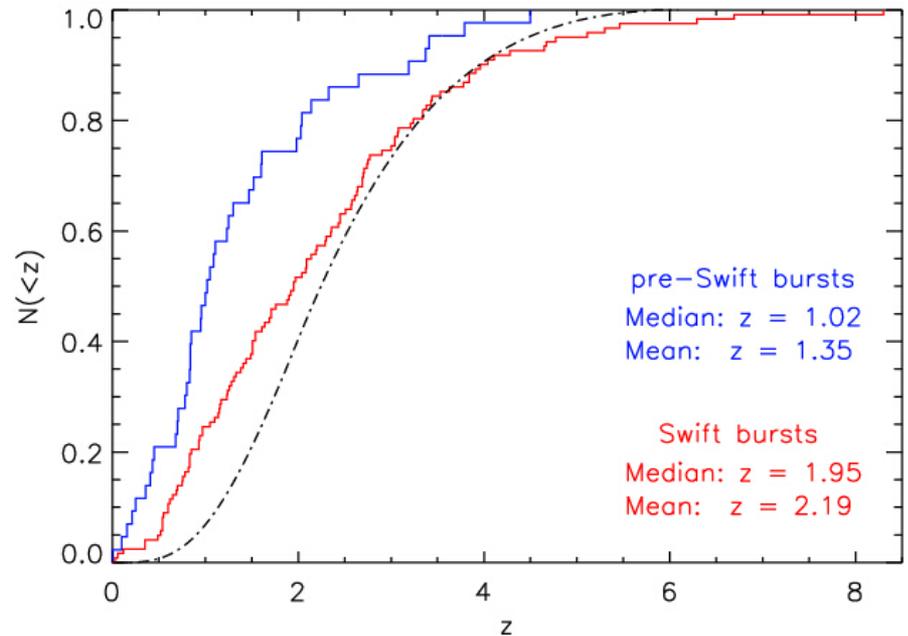
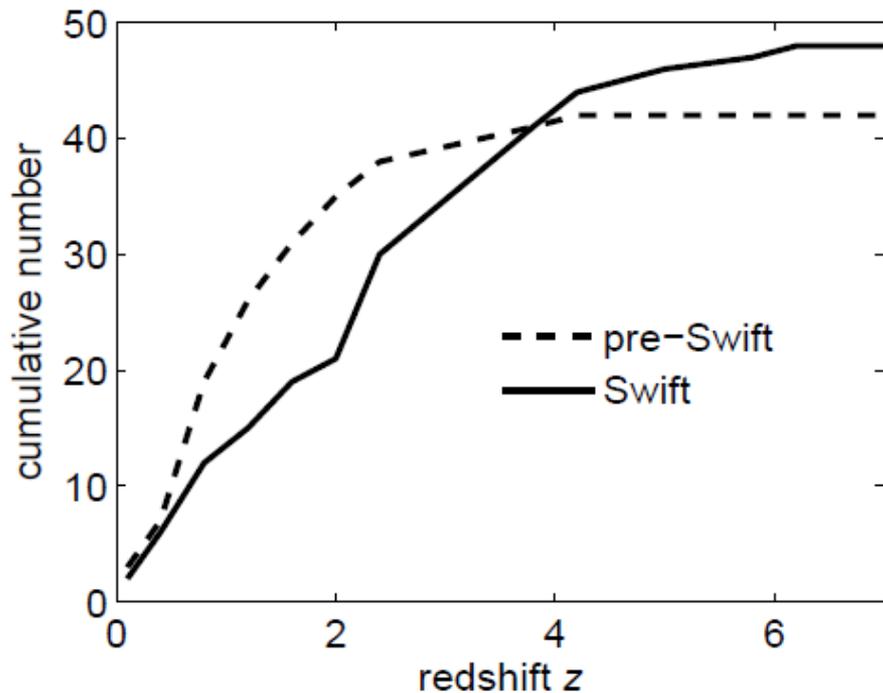
# GRBs WITH measured redshift

□ Swift era: substantial increase of the number of GRBs with known redshift:  
~45 in the pre-Swift era (1997-2003), ~230 in the Swift era (2004-2012)

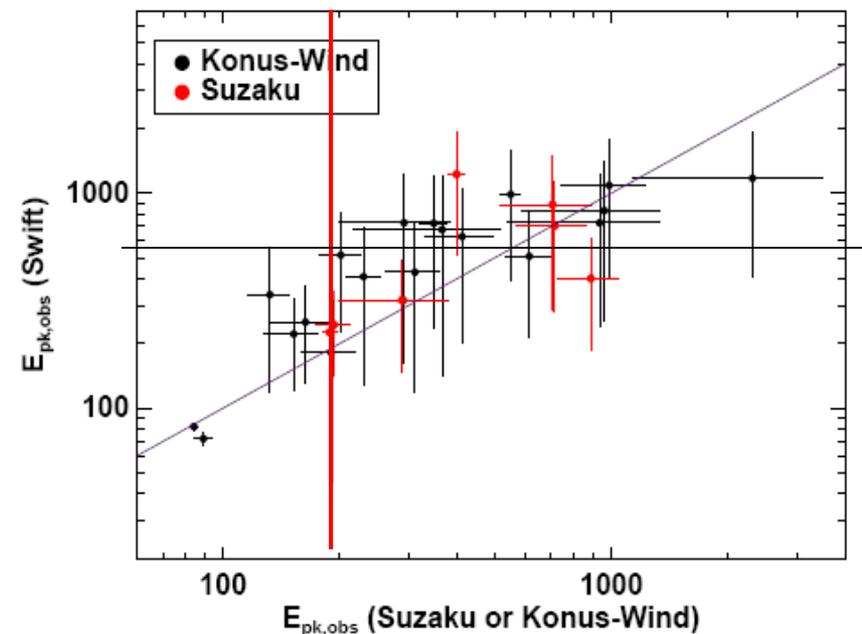
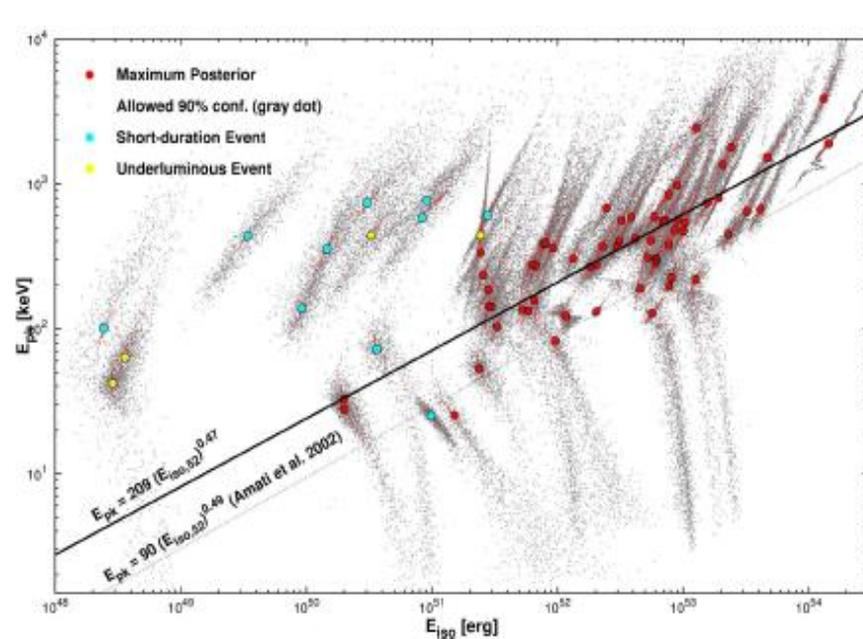
➤ thanks also to combination with other GRB experiments with broad energy band (e.g., Konus/WIND, Fermi/GBM), **substantial increase of GRBs in the  $E_{p,i}$  – Eiso plane**



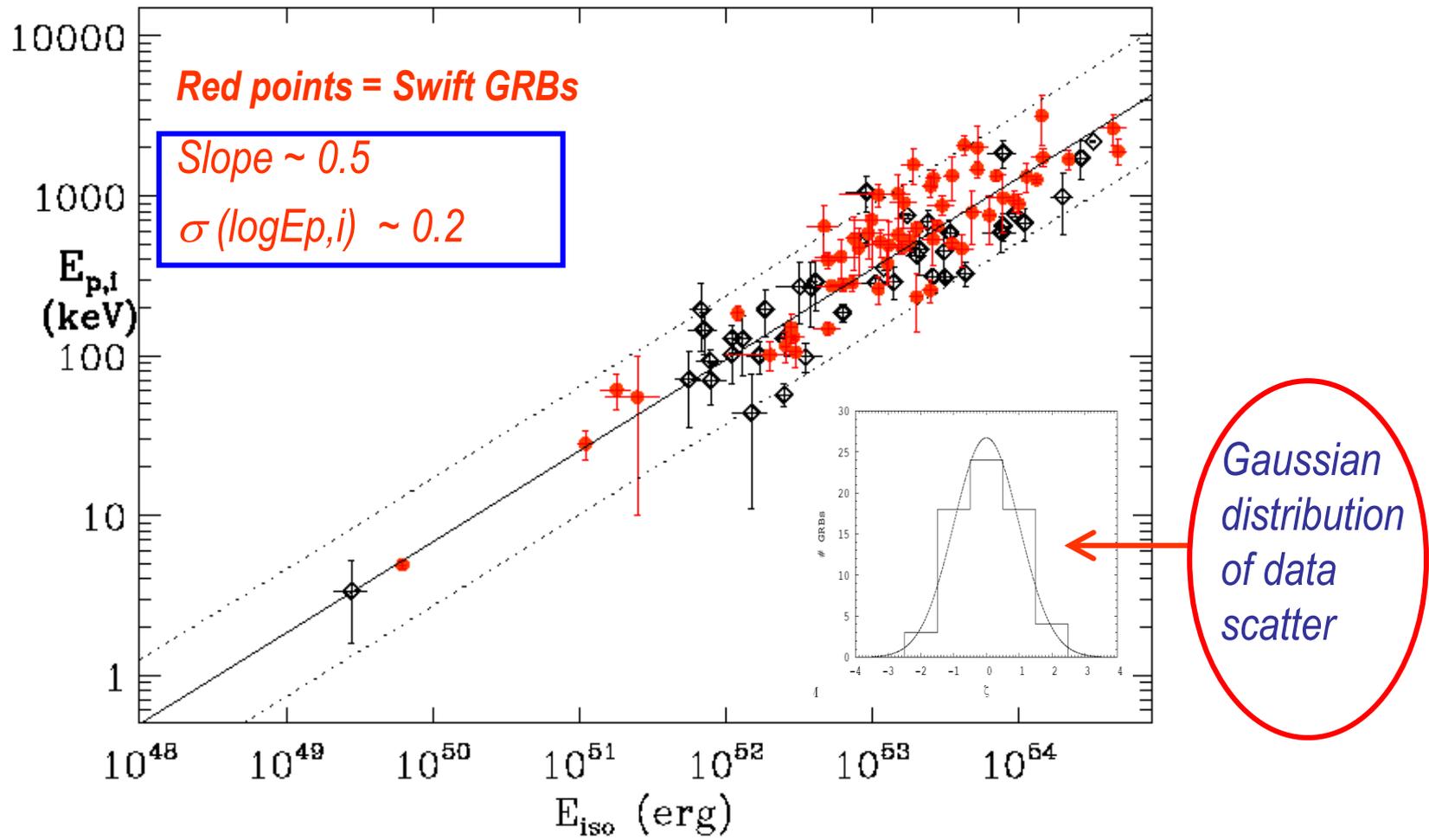
- selection effects are likely to play a relevant role in the process leading to the **redshift estimate** (e.g., Coward 2008, Jakobbson et al. 2010)
- **Swift: reduction of selection effects in redshift** -> Swift GRBs expected to provide a **robust test of the  $E_{p,i} - E_{iso}$  correlation**



- Butler et al. based on analysis Swift/BAT spectra with a Bayesian method assuming BATSE  $E_p$  distribution: 50% of Swift GRB are inconsistent with the pre-Swift  $E_{p,i}$  -  $E_{iso}$  correlation
- BUT: comparison of  $E_p$  derived by them from BAT spectra using a Bayesian method and those MEASURED by Konus/Wind show that **BAT cannot measure  $E_p > 200$  keV (as expected, given its 15-150 keV passband)**
- MOREOVER:  $E_p$  values by Butler et al. NOT confirmed by official analysis by BAT team (Sakamoto et al. 2008) and joint analysis of BAT + KW (Sakamoto et al. 2009) of BAT + Suzaku/WAM (Krimm et al. 2009) spectra.



➤  $E_{p,i}$  of Swift GRBs **measured** by Konus-WIND, Suzaku/WAM, Fermi/GBM and BAT (only when  $E_p$  inside or close to 15-150 keV and values provided by the Swift/BAT team (GCNs or Sakamoto et al. 2008, 2011): **Swift GRBs are consistent with the  $E_{p,i}$  – Eiso correlation**



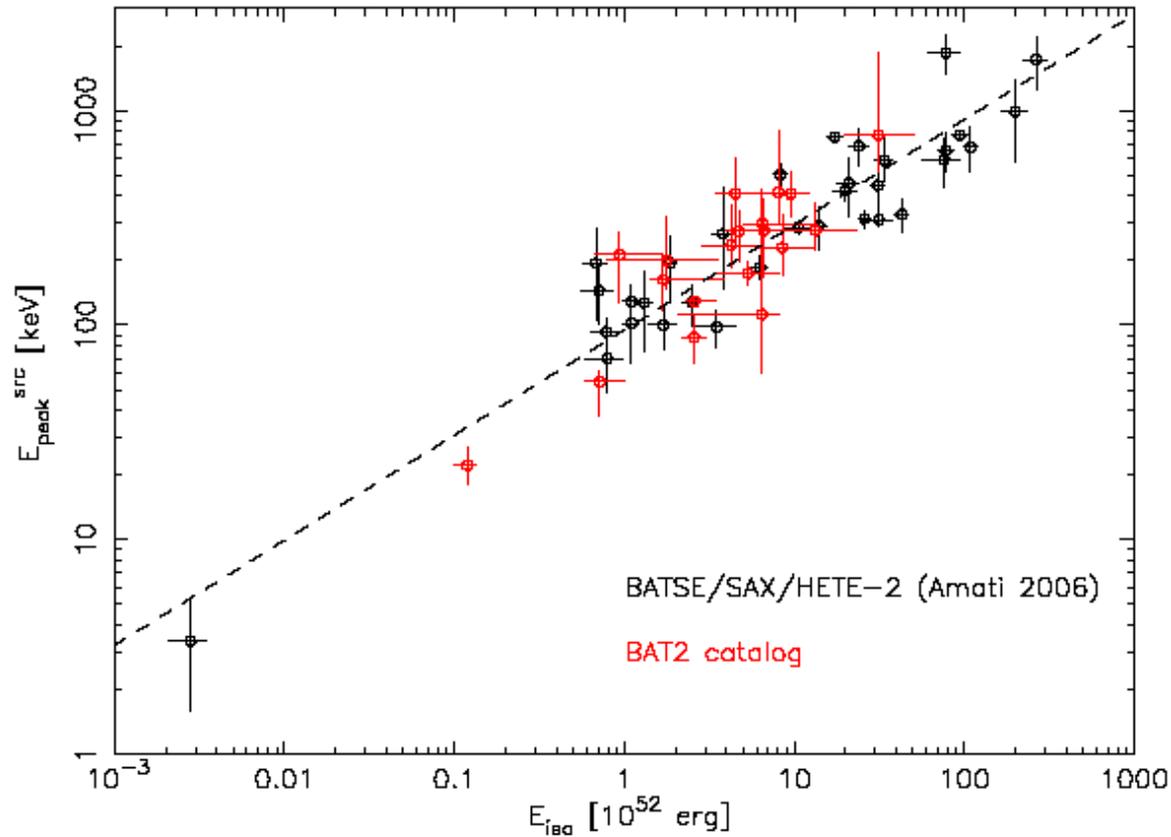
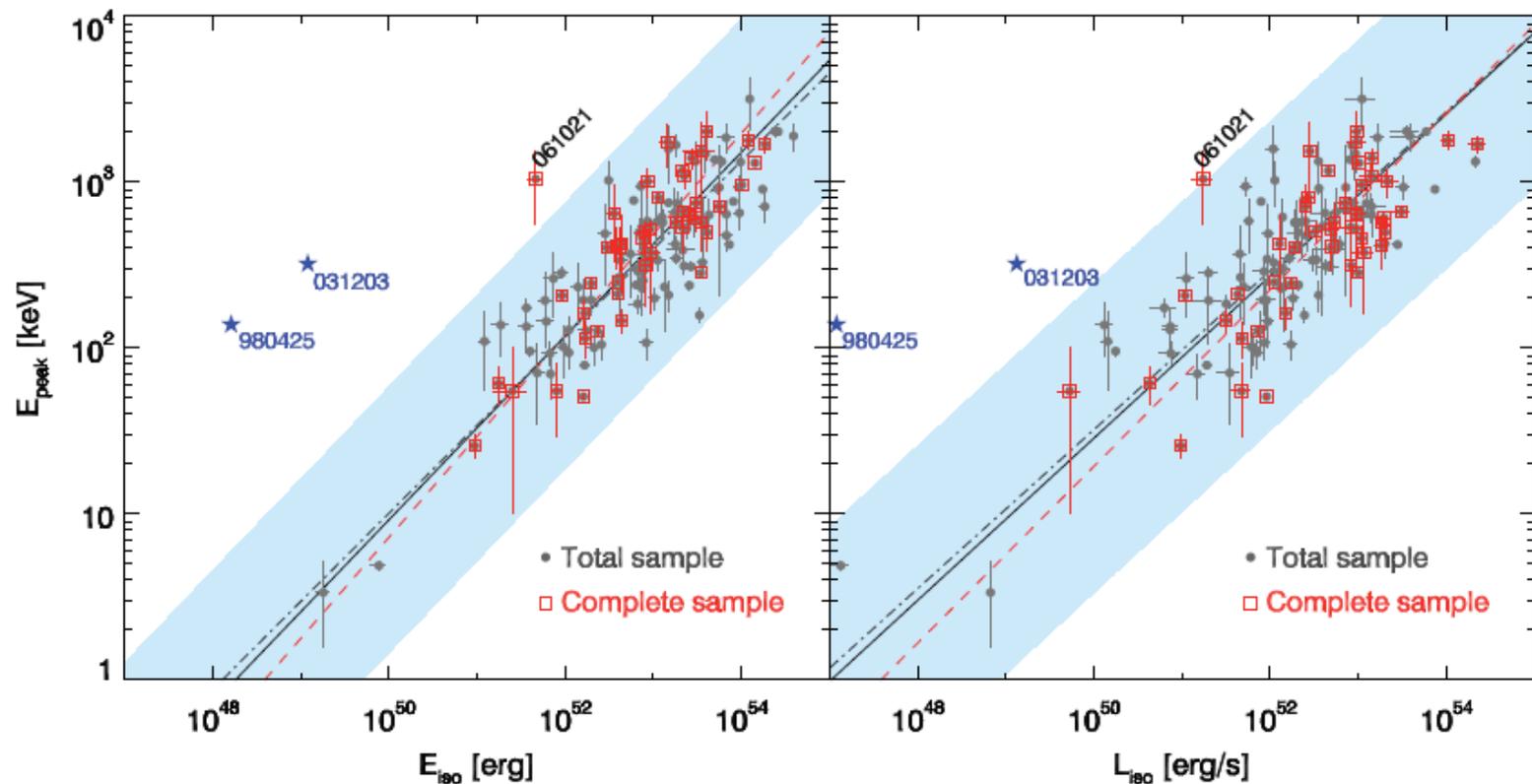


Fig. 33.— The correlation between  $E_{\text{peak}}^{\text{src}}$  and  $E_{\text{iso}}$  for the *Swift* GRBs (red) and other GRB missions (black). The dashed line is the best fit correlation between  $E_{\text{peak}}^{\text{src}}$  and  $E_{\text{iso}}$  reported by Amati (2006):  $E_{\text{peak}}^{\text{src}} = 95 \times (E_{\text{iso}}/10^{52})^{0.49}$ .

Sakamoto et al. 2011

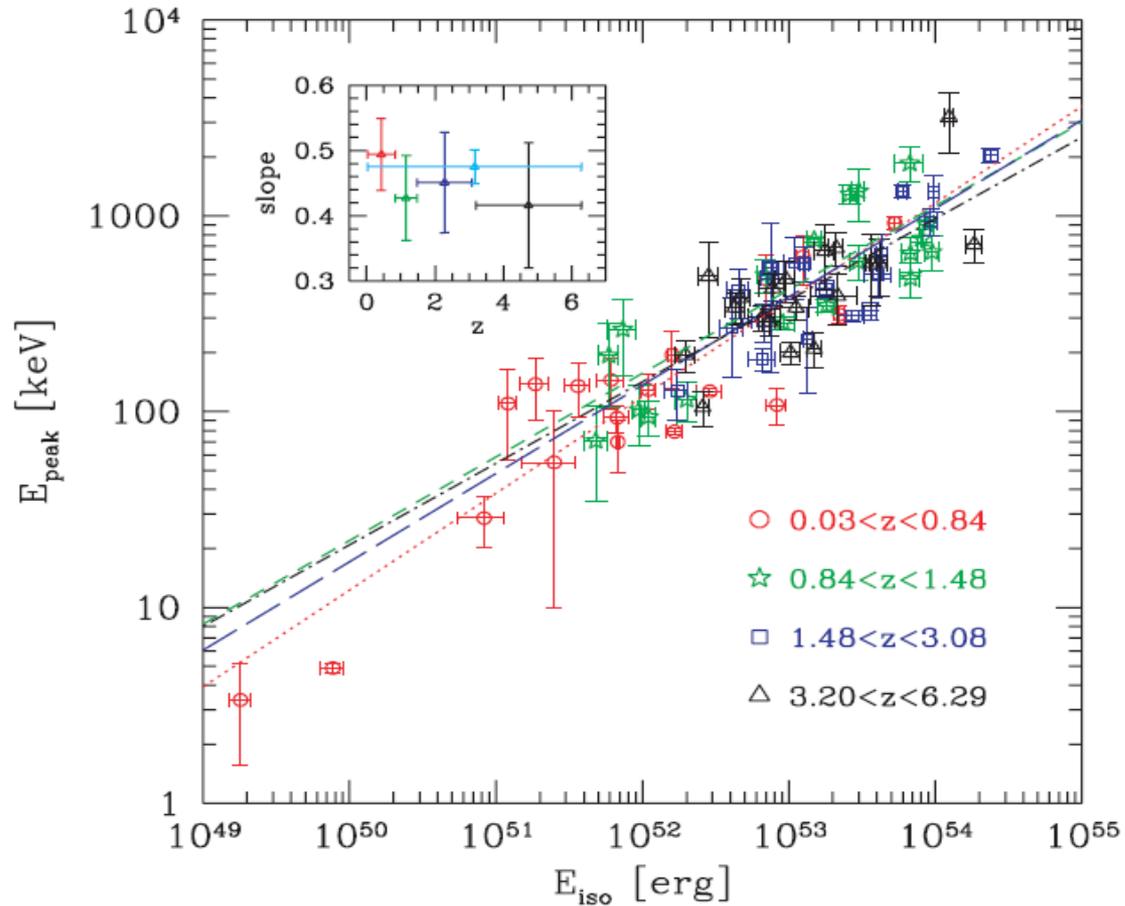
□ Nava et al. 2012:  $E_{p,i}$  – Eiso and  $E_p$  –  $L_{p,iso}$  correlations confirmed by the analysis of the complete sample by Salvaterra et al. 2011 -> further evidence of low impact of selection effects in redshift

□ GRB 061021 possible outlier, but  $E_p$  based on Konus-WIND analysis of only the first hard pulse -> need time-averaged spectral analysis including long soft tail for reliable  $E_p$  estimate



**Nava et al. 2012, “complete sample of Salvaterra et al. 2011”**

□ No evidence of evolution of index and normalization of the correlation with redshift

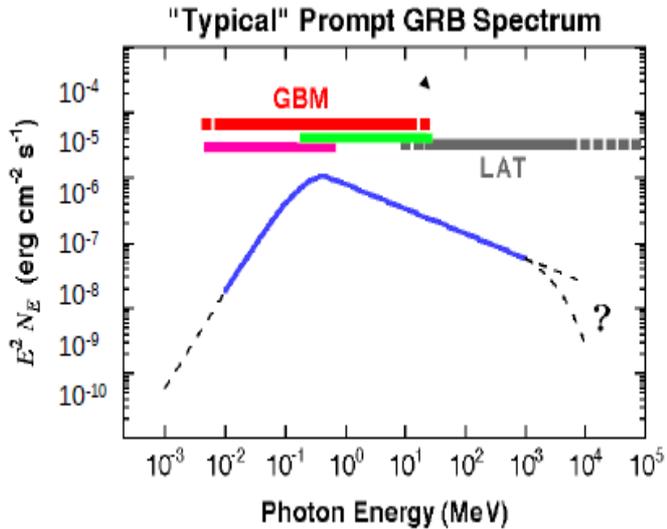
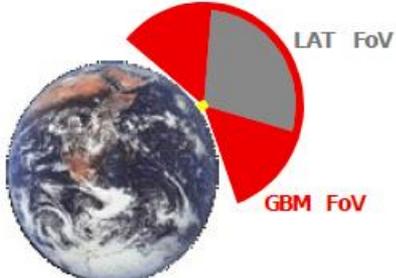


Ghirlanda et al. 2008

- ❑ Detection, arcmin localization and **study of GRBs in the GeV energy range** through the **Fermi/LAT instrument**, with dramatic improvement w/r CGRO/EGRET
- ❑ Detection, rough localization (a few degrees) and **accurate determination of the shape of the spectral continuum of the prompt emission of GRBs from 8 keV up to 30 MeV** through the Fermi/GBM instrument

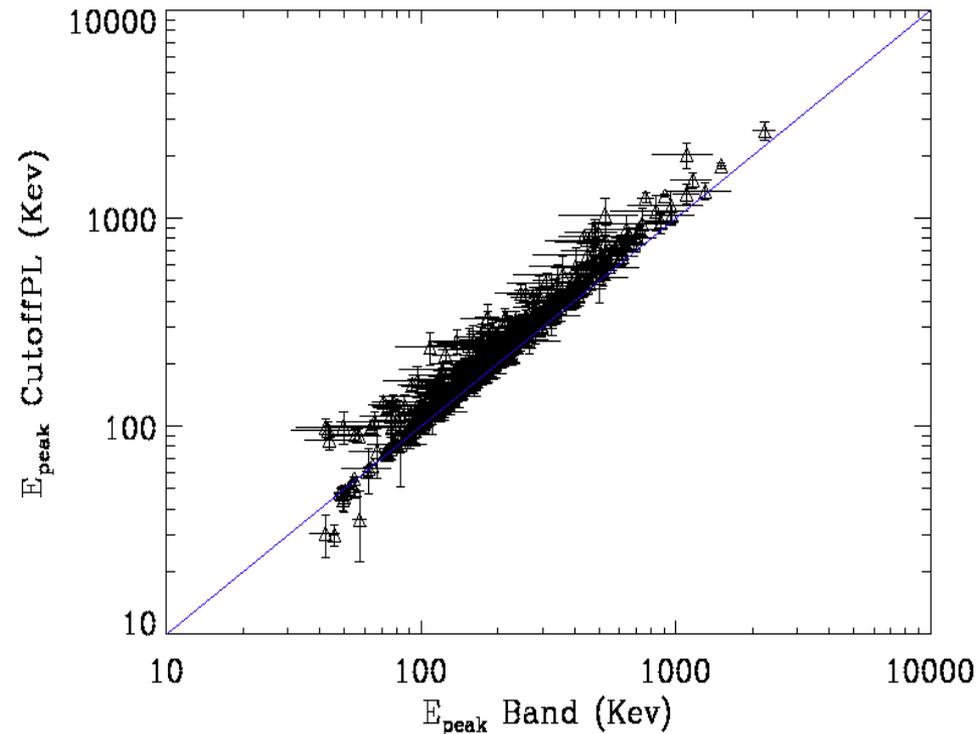
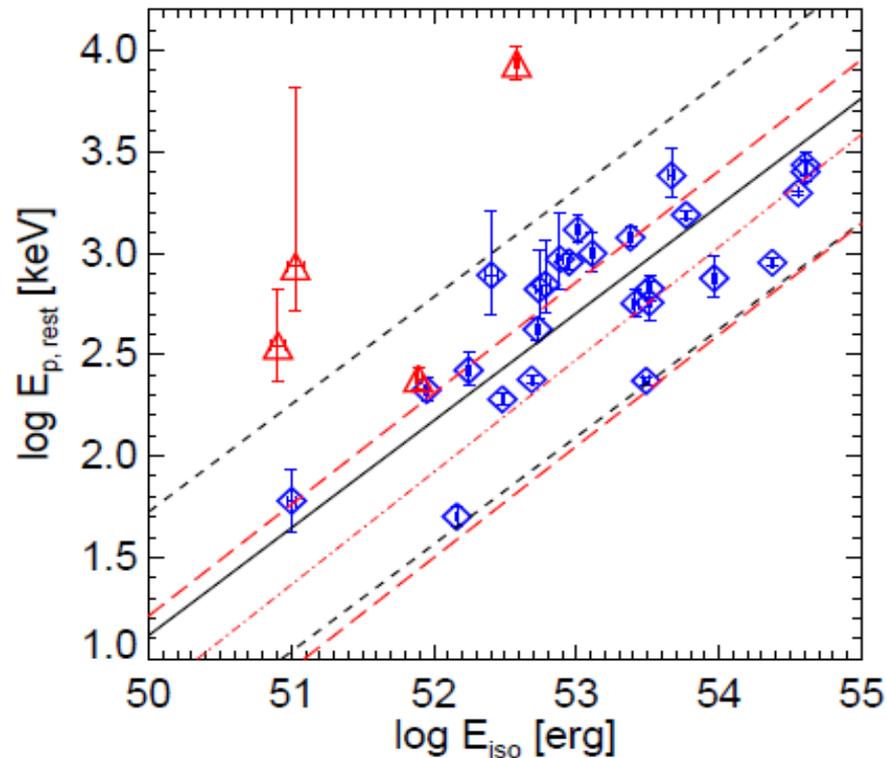


- ▶ Large Area Telescope (LAT)
  - ▶ Pair conversion telescope.
  - ▶ Independent on-board and ground burst trigger, spectrum from 20 MeV to 300 GeV
- ▶ Gamma-ray Burst Monitor (GBM)
  - ▶ 12 NaI detectors, 2 BGO detectors.
  - ▶ Onboard localization over the entire unoccluded sky, spectrum from 8 keV to 40 MeV.



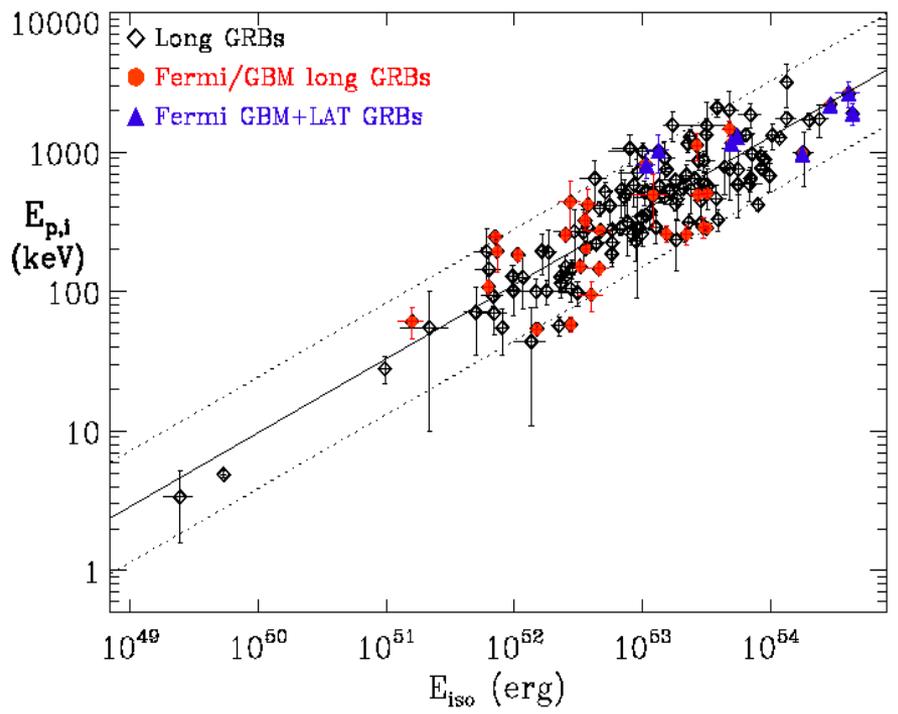
□ *Gruber et al (2011, official Fermi team)*: all *Fermi*/GBM long GRBs with known  $z$  are consistent with  $E_{p,i} - E_{iso}$  correlation, short GRBs are not

□ slight overestimate of normalization and dispersion possibly due to the use, for some GRBs, of the CPL model instead of the Band model (-> overestimate of  $E_p$ , underestimate of  $E_{iso}$ )

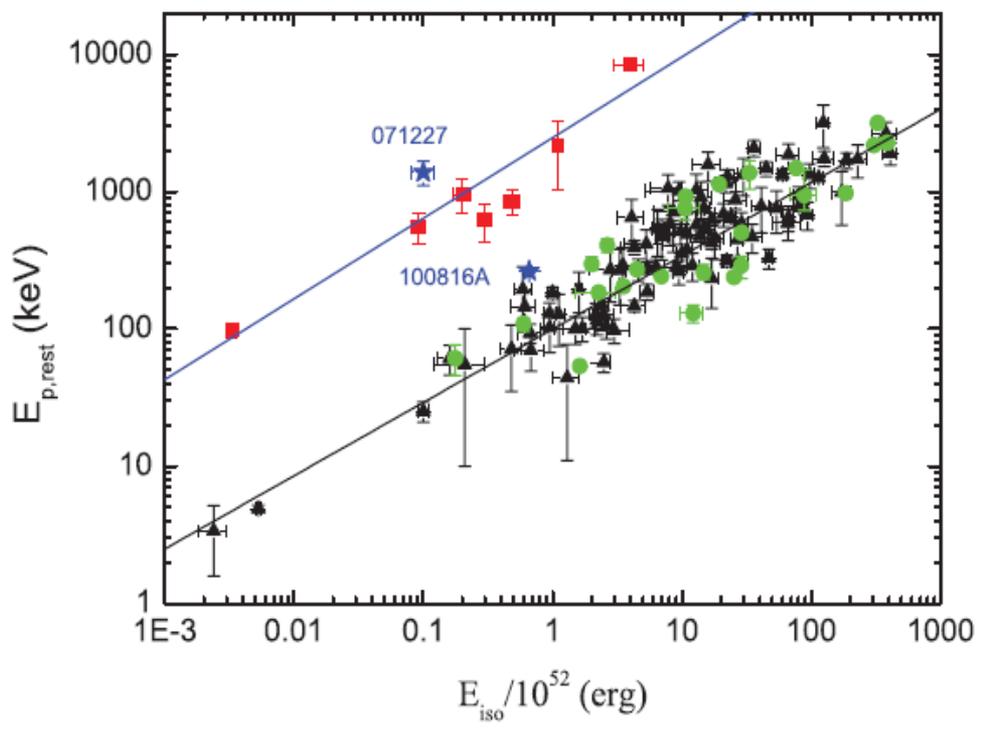


*Gruber et al. 2011*

□ When computing  $E_{p,i}$  and  $E_{iso}$  based on the fit with Band function (unless CPL significantly better) all *Fermi*/GBM long GRBs with known  $z$  are fully consistent with  $E_{p,i} - E_{iso}$  correlation as determined with previous / other experiments, both when considering preliminary fits (GCNs) or refined analysis (e.g., Nava et al. 2011)

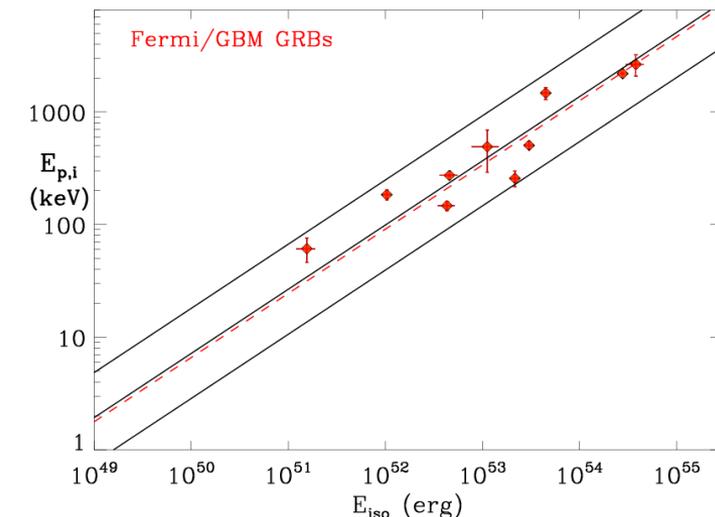
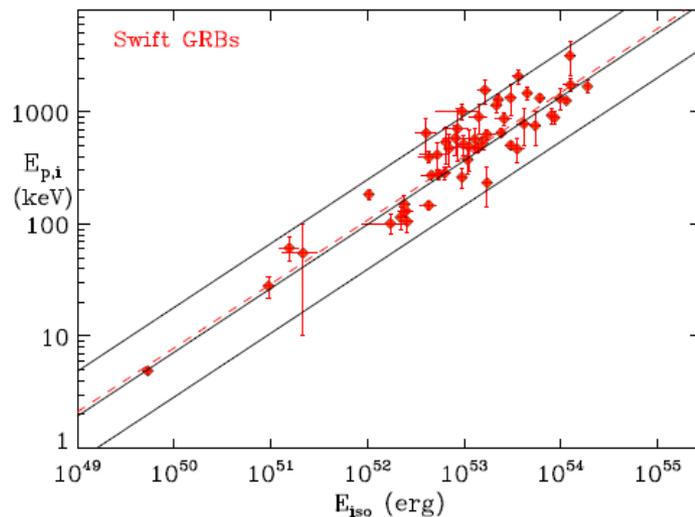
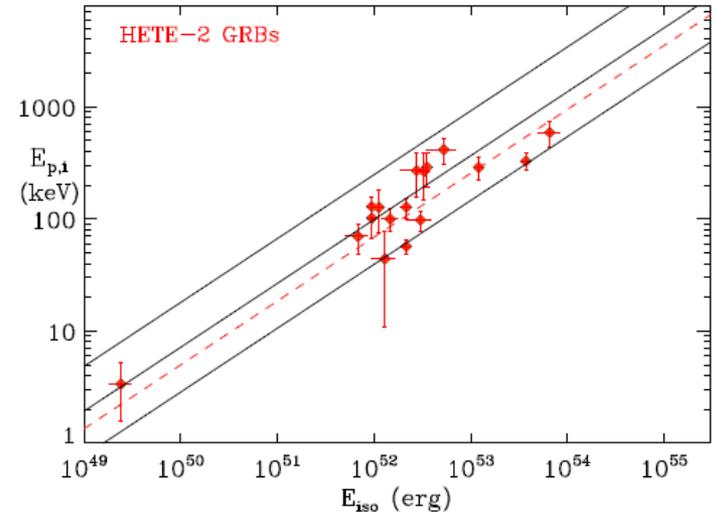
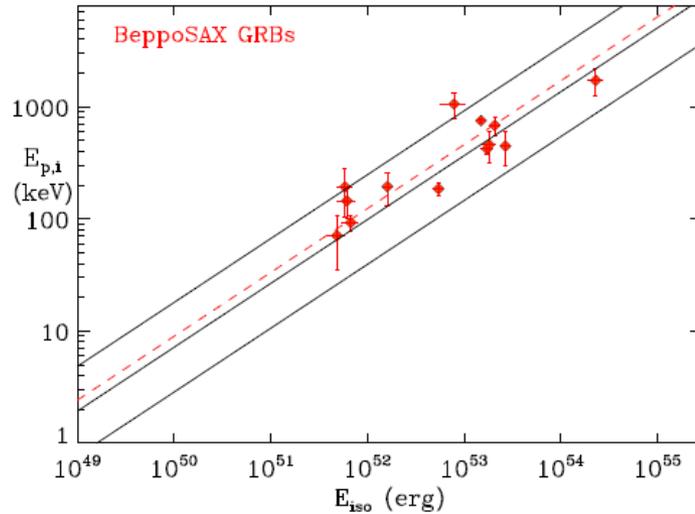


*Amati 2012*

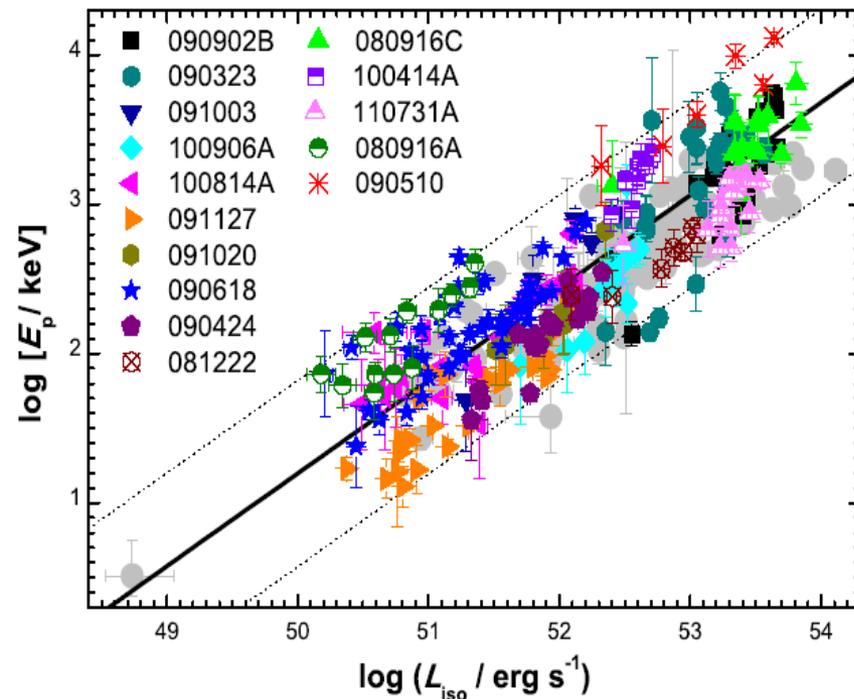
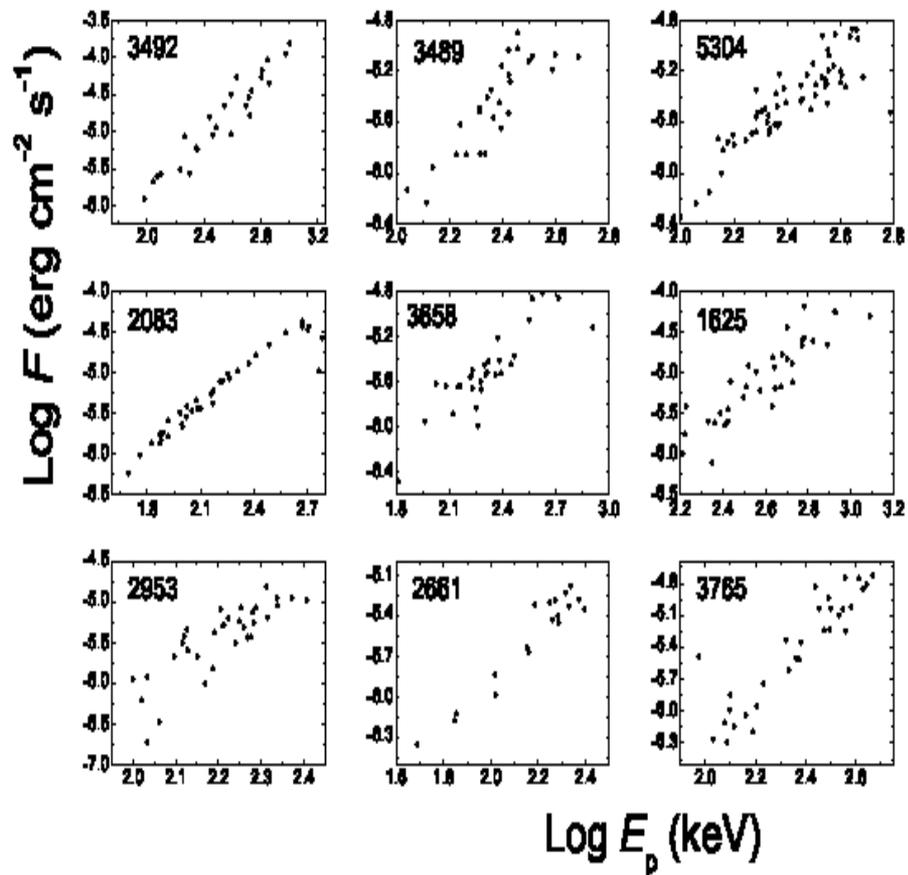


*Zhang et al. 2012*

□ Amati, Frontera & Guidorzi (2009): the normalization of the correlation varies only marginally **using GRBs with known redshift** measured by individual instruments with different sensitivities and energy bands



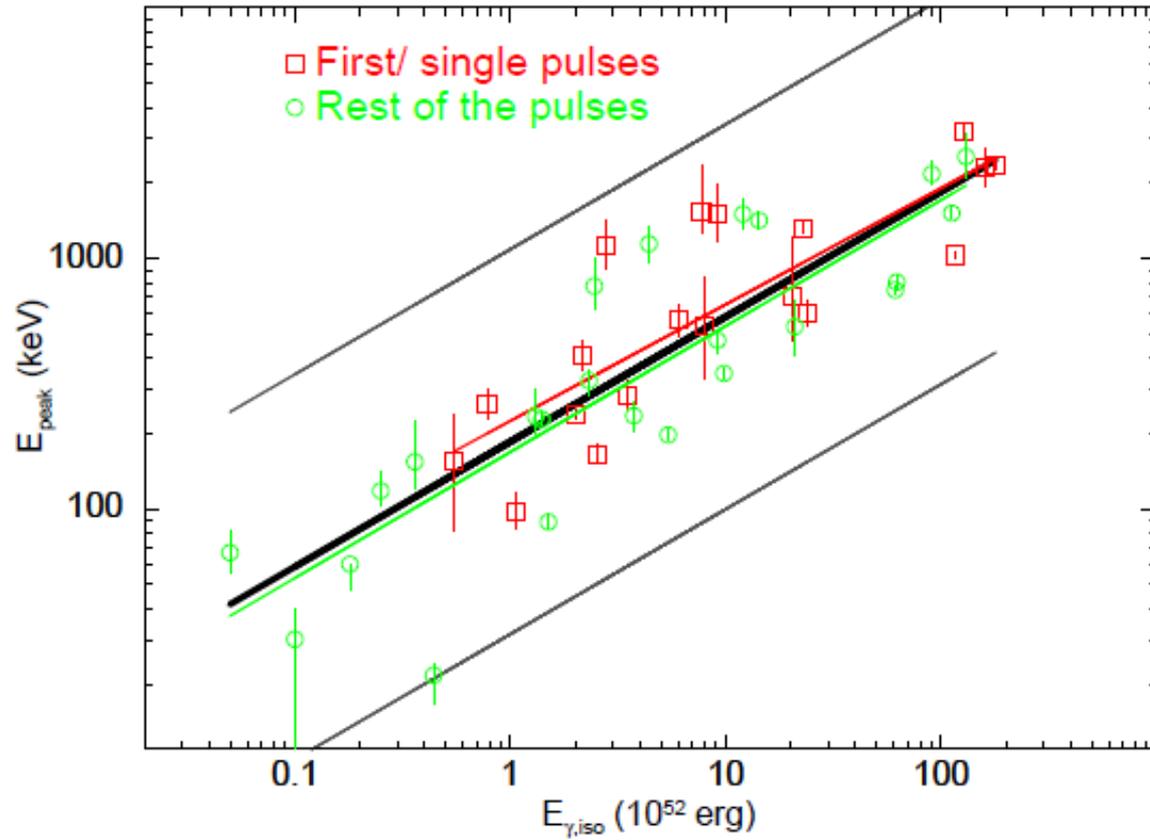
➤ the  $E_p$ - $L_{\text{iso}}$  correlation holds also within a good fraction of GRBs (Liang et al. 2004, Firmani et al. 2008, Ghirlanda et al. 2009, Li et al. 2012, Frontera et al. 2012):  
**robust evidence for a physical origin and clues to explanation**



BATSE (Liang et al., ApJ, 2004)

Fermi (e.g., Li et al. , ApJ, 2012)

➤ Basak et al. 2013: time-resolved  $E_{p,i}$  – Eiso correlation

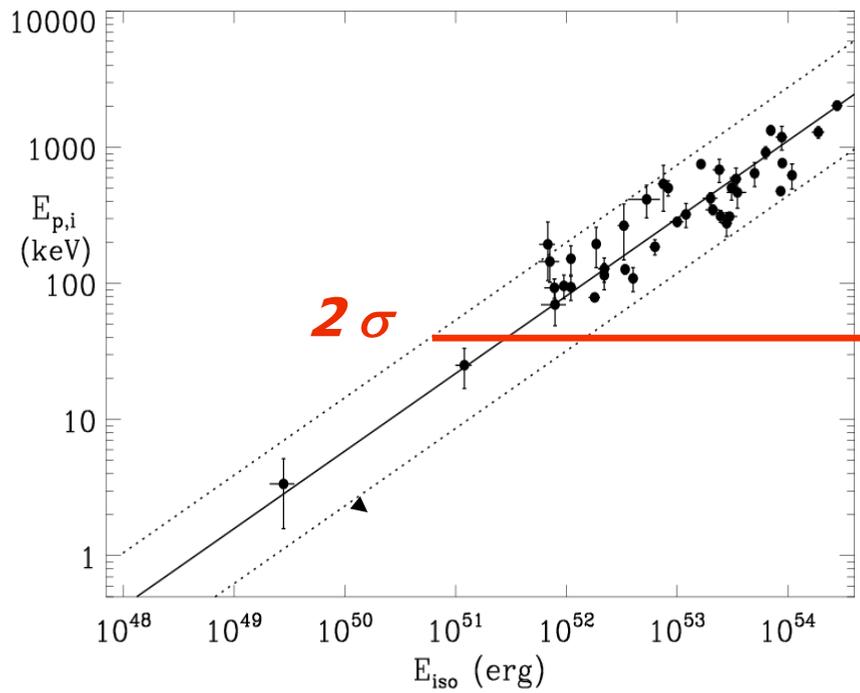


## *GRBs WITHOUT measured redshift*

- ❑ claims that a high fraction of BATSE events (**without z**) are inconsistent with the correlation (e.g. Nakar & Piran 2005, Band & Preece 2005, Kaneko et al. 2006, Goldstein et al. 2010)
- ❑ but... is it plausible that we are measuring the redshift only for the very small fraction (10-15%) of GRBs that follow the  $E_{p,i} - E_{iso}$  correlation ? **This would imply unreliably huge selection effects in the sample of GRBs with known redshift**
- ❑ in addition: Ghirlanda et al. (2005), Bosnjak et al. (2005), Nava et al. (2008), Ghirlanda et al. (2009) showed that **most** BATSE GRBs with unknown redshift **are potentially consistent** with the **correlation**
- ❑ moreover: the existence of an  $E_{p,i} - E_{iso}$  correlation was supposed by Lloyd, Petrosian & Mallozzi in 2001 **based on BATSE data**

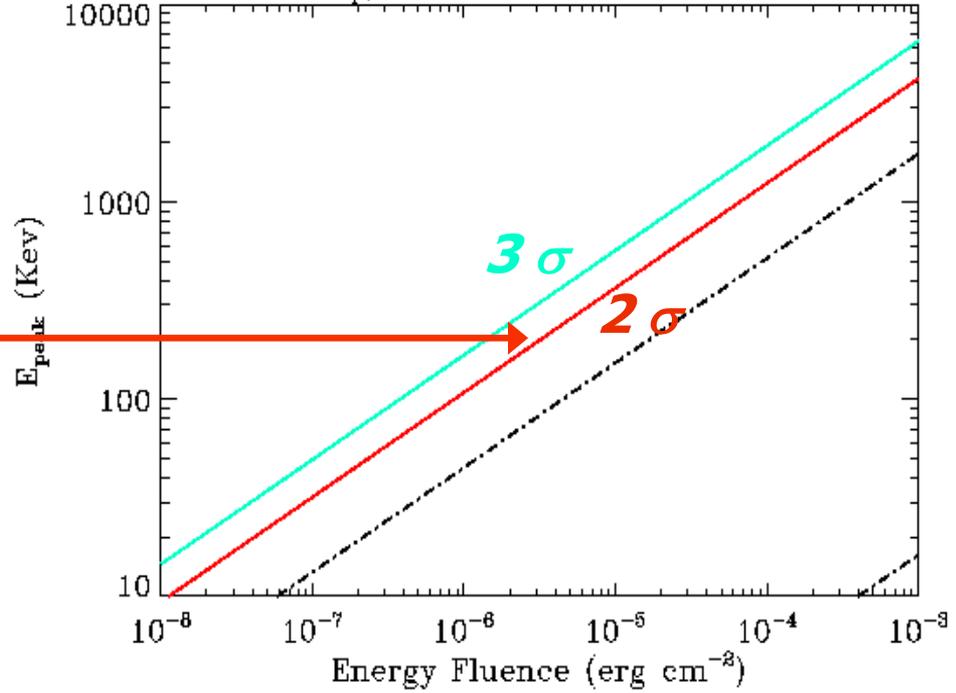
using GRBs with unknown redshift -> convert the  $E_{p,i}$  – Eiso correlation into an  $E_{p,obs}$  – Fluence correlation

Intrinsic (cosm. Rest-frame) plane



GRBs WITH redshift (130)

Observer's plane



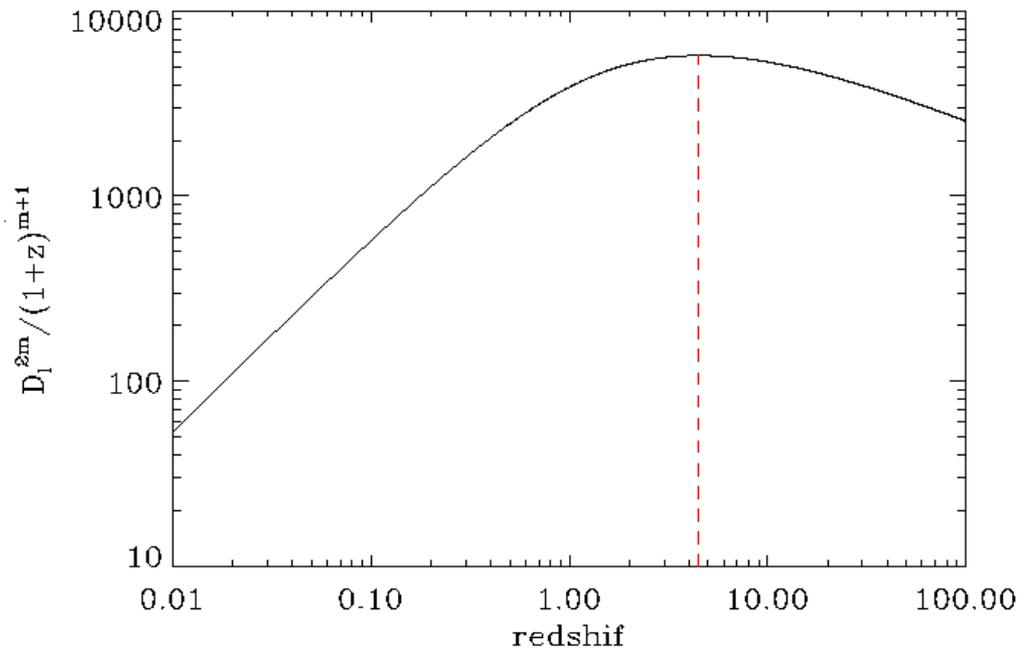
GRBs WITHOUT redshift (thousands)

□ method: unknown redshift -> **convert the  $E_{p,i}$  – Eiso correlation into an  $E_{p,obs}$  – Fluence correlation**

$$E_{\text{peak}}^{\text{obs}}(1+z) = k \left( \frac{4\pi d_L^2 F}{1+z} \right)^a \rightarrow E_{\text{peak}}^{\text{obs}} = k F^a f(z); \quad f(z) = \frac{(4\pi d_L^2)^a}{(1+z)^{1+a}}$$

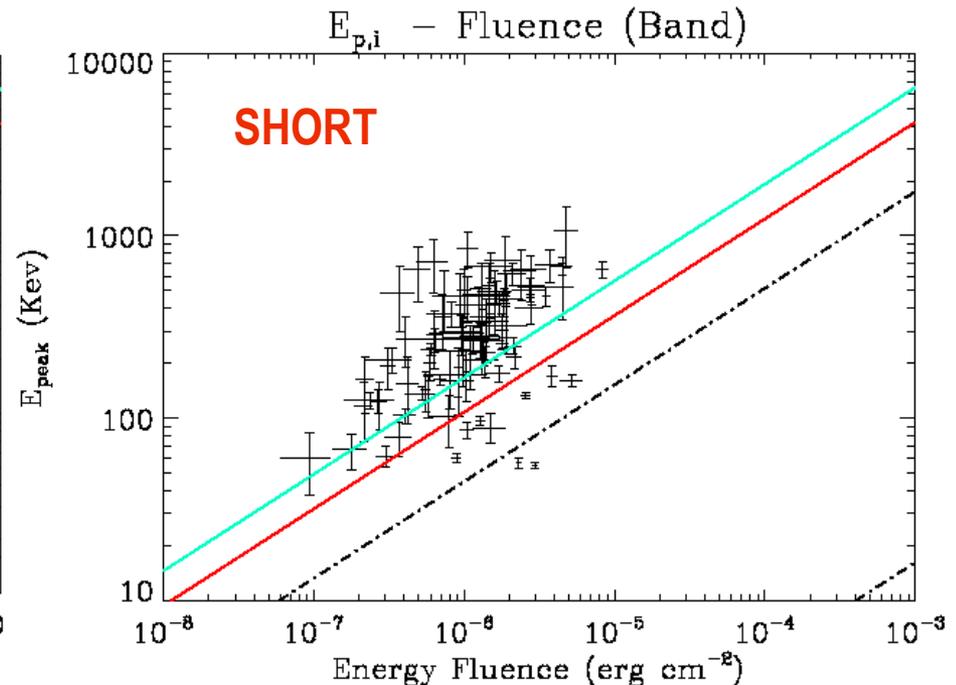
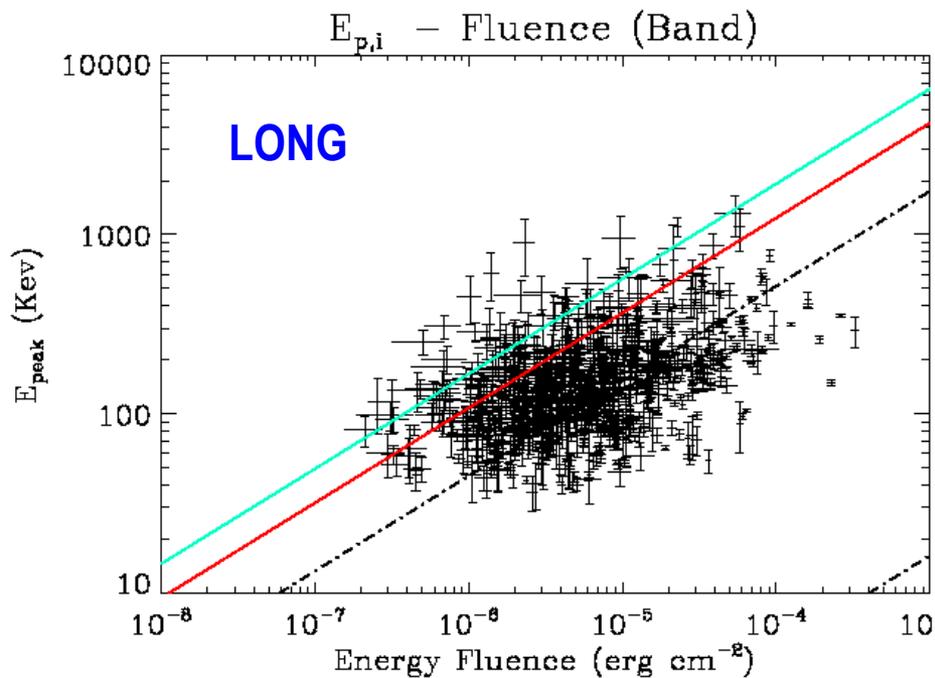
□ the fit of the updated  $E_{p,i}$  – Eiso GRB sample with the maximum –likelihood method accounting for extrinsic variance provides  $a=0.53$ ,  $k= 102$ ,  $\sigma = 0.19$

□ for these values  $f(z)$  maximizes for  $z$  between 3 and 5



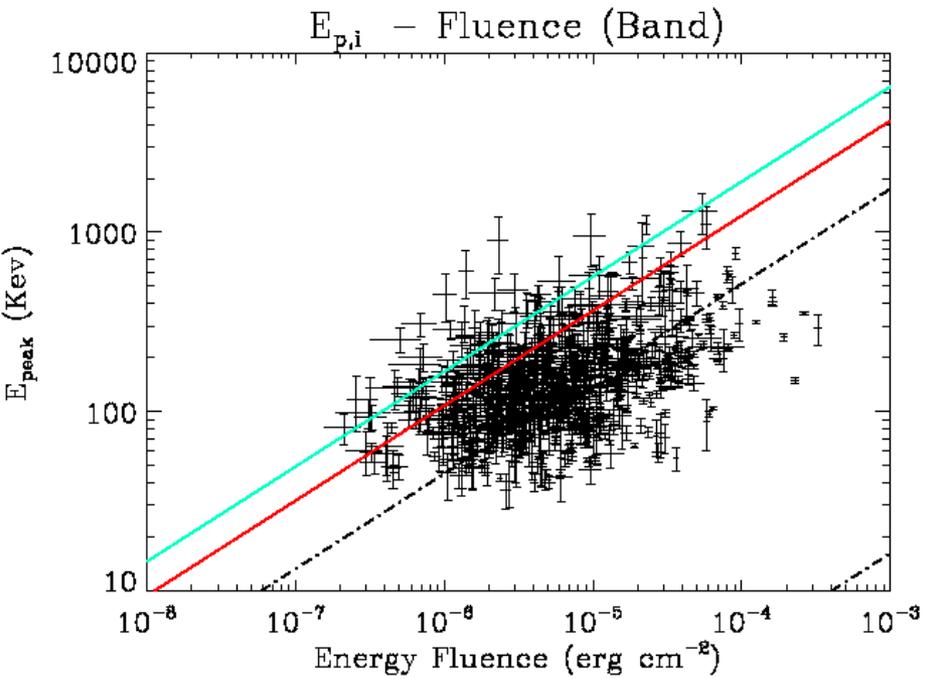
Amati, Dichiara et al. (2013, in prep.): consider fluences and spectra from the Goldstein et al. (2010) BATSE complete spectral catalog (on line data)

considered long (777) and short (89) GRBs with fit with the Band-law and uncertainties on  $E_p$  and fluence < 40%

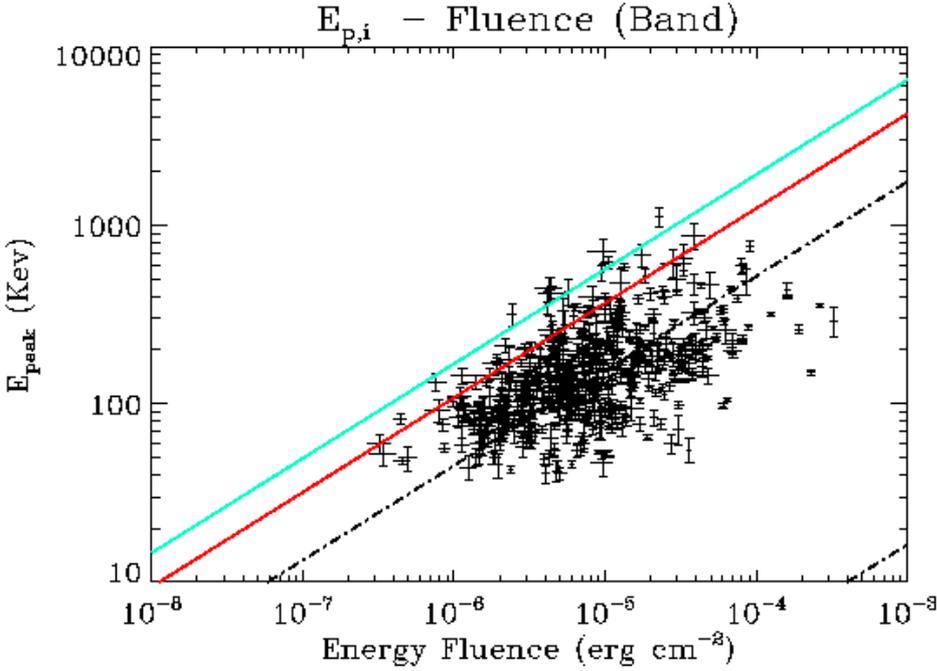


➤ most long GRBs are potentially consistent with the  $E_{p,i}$  - Eiso correlation, most short GRBs are not

□ ALL long GRBs with 20% uncertainty on  $E_p$  and fluence (525) are potentially consistent with the correlation

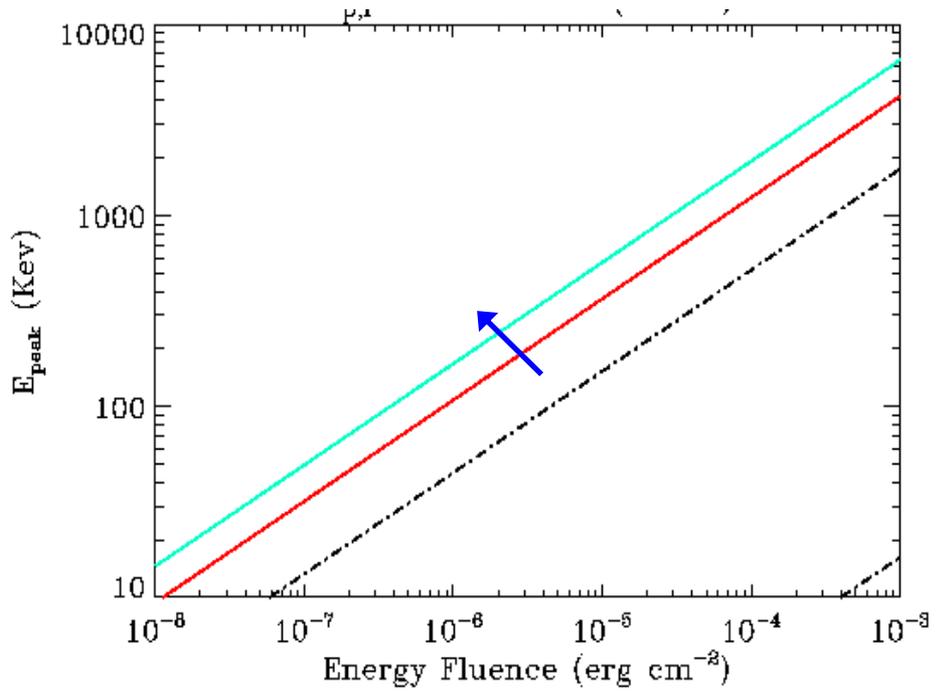
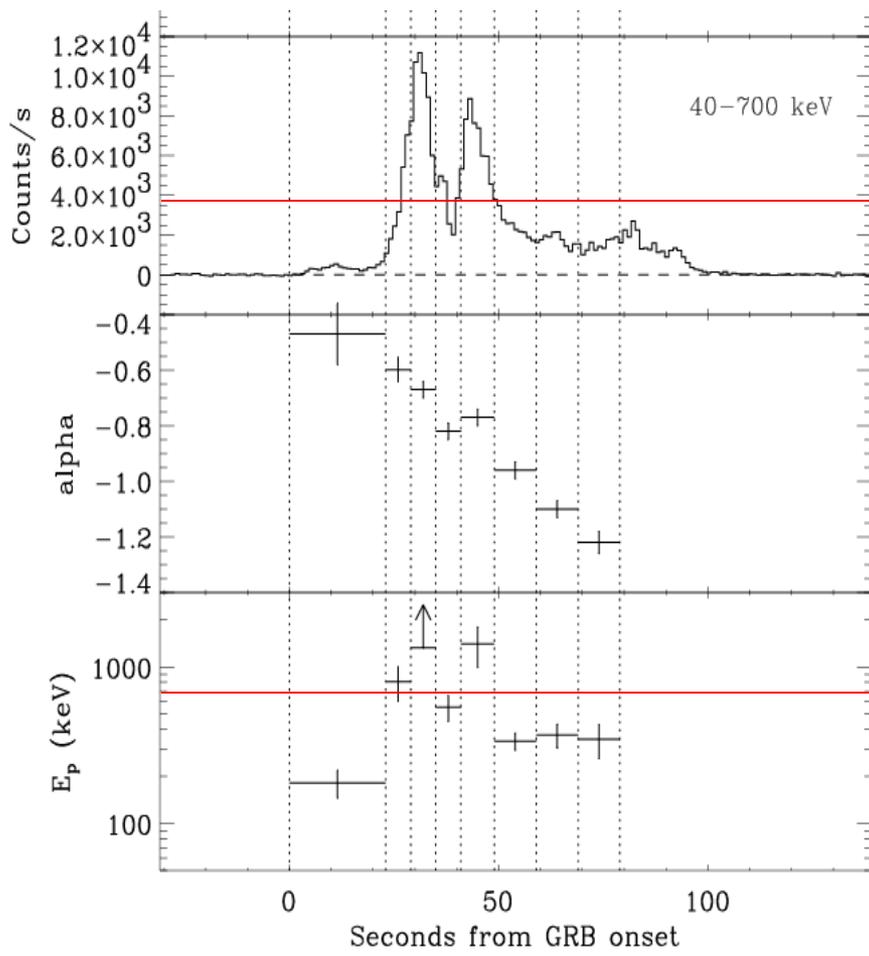


**LONG, 40% unc.**



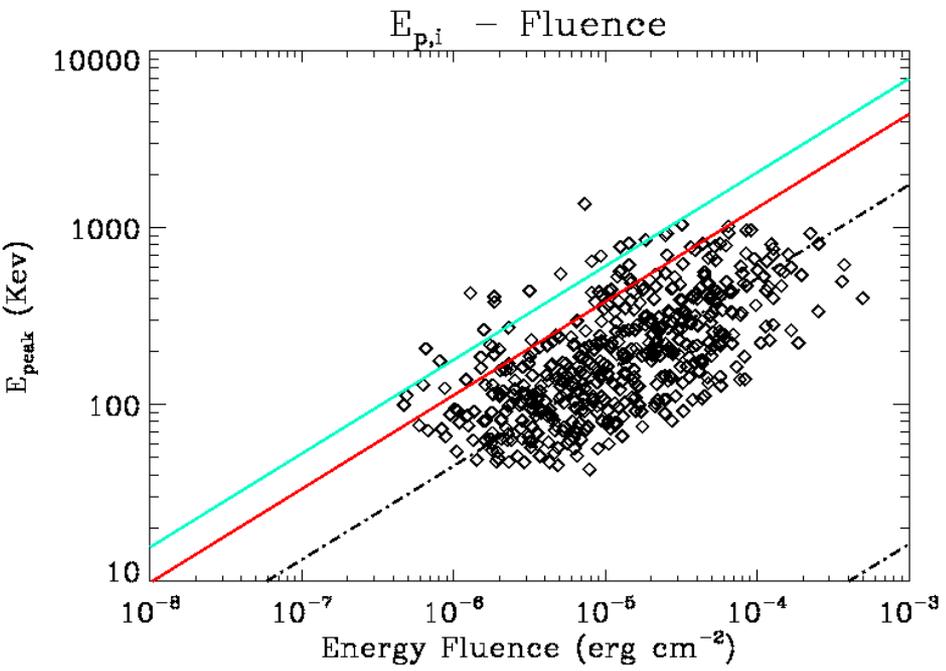
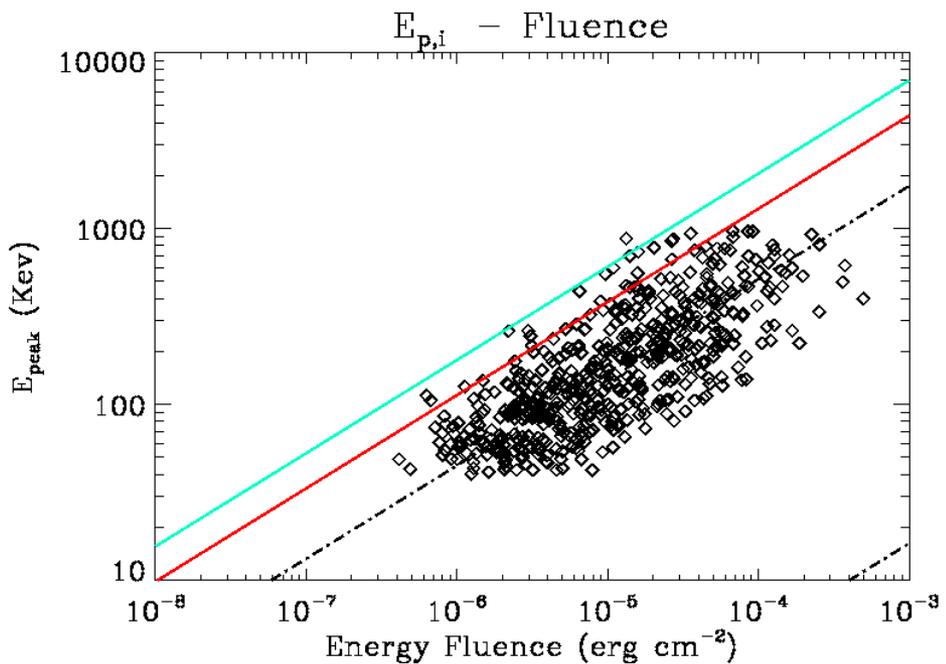
**LONG, 20% unc.**

□ measure only the harder portion of the event: overestimate of  $E_p$  and underestimate of the fluence



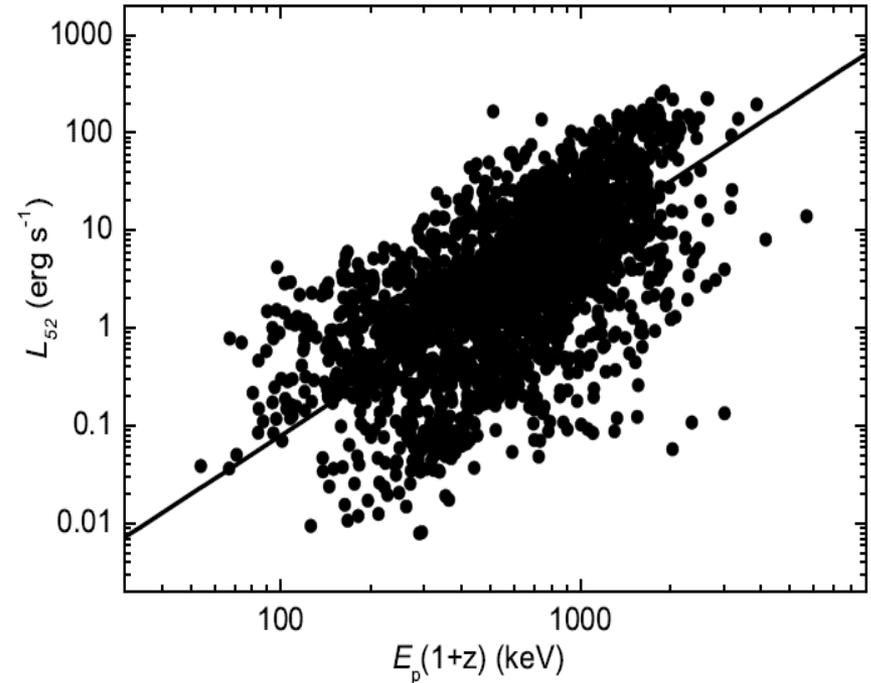
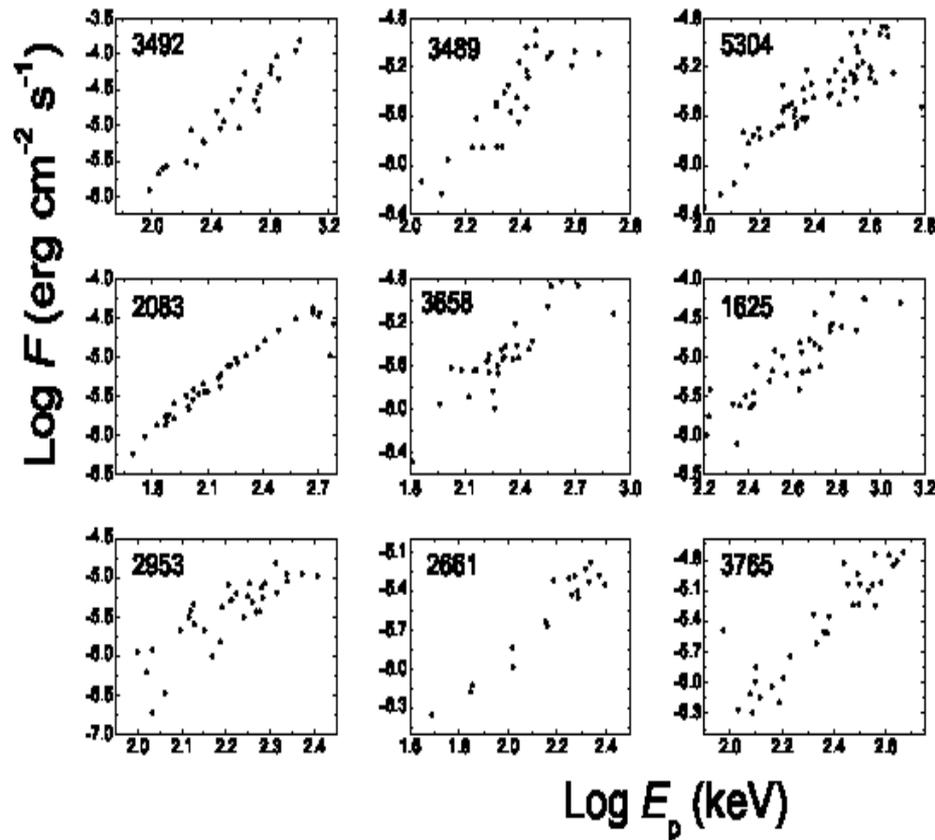
Amati, Dichiara et al. (2011, in prep.): MC simulations assuming the existence and the measured parameters of the  $E_{p,i}$  – Eiso correlation and accounting for the observed distributions (Eiso, z, Eiso vs. z) and BATSE instrumental sensitivity as a function of  $E_p$  (Band 2003-2009)

When accounting for spectral evolution, i.e.  $E_p = f(\text{Flux})$ , the small fraction of “outliers” in the  $E_{p,obs}$  – Fluence plane is reproduced



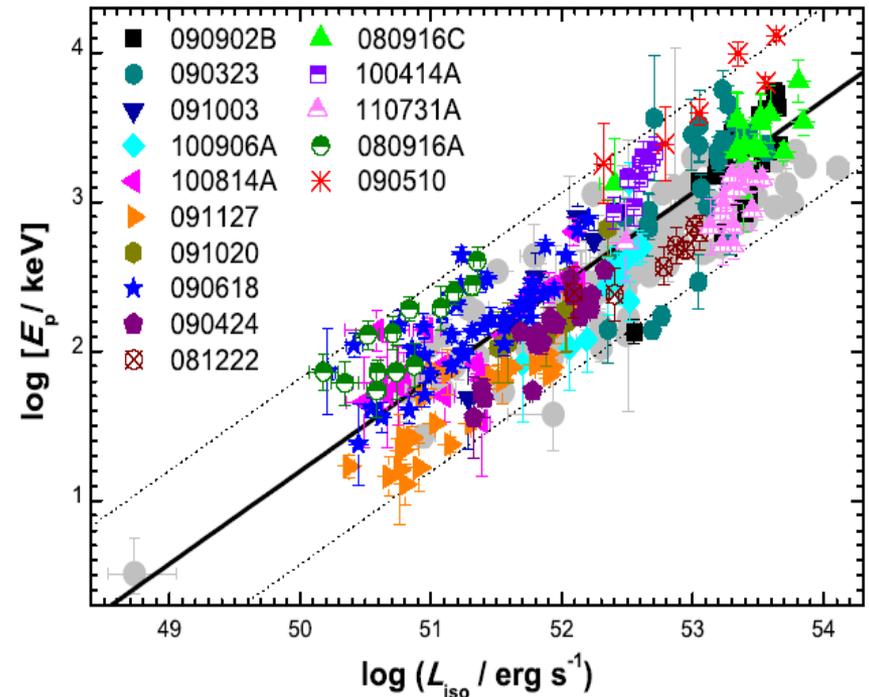
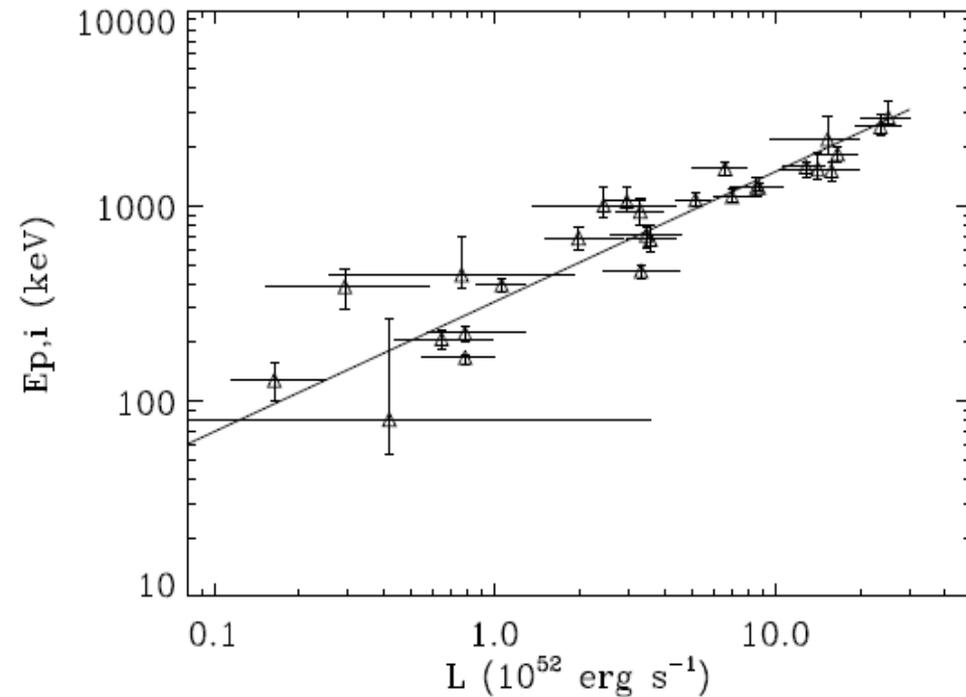
# The $E_p$ – intensity correlation within single GRBs

- Liang et al.2004: evidence for an  $E_p$  – Flux correlation within most BATSE GRBs and, based on pseudo-redshifts, possible existence of a univoque  $E_{p,i}(t)$  –  $L_{52}(t)$  correlation



Liang et al., ApJ, 2004

➤ the  $E_{p,i}$ –  $L_{iso}$  correlation holds also within a good fraction of GRBs (Liang et al. 2004, Firmani et al. 2008, Ghirlanda et al. 2010, Li et al. 2012, Frontera et al. in press): **cannot be explained by selection effects -> robust evidence for a physical origin of  $E_{p,i}$  – Intensity correlations and clues to physical explanation**

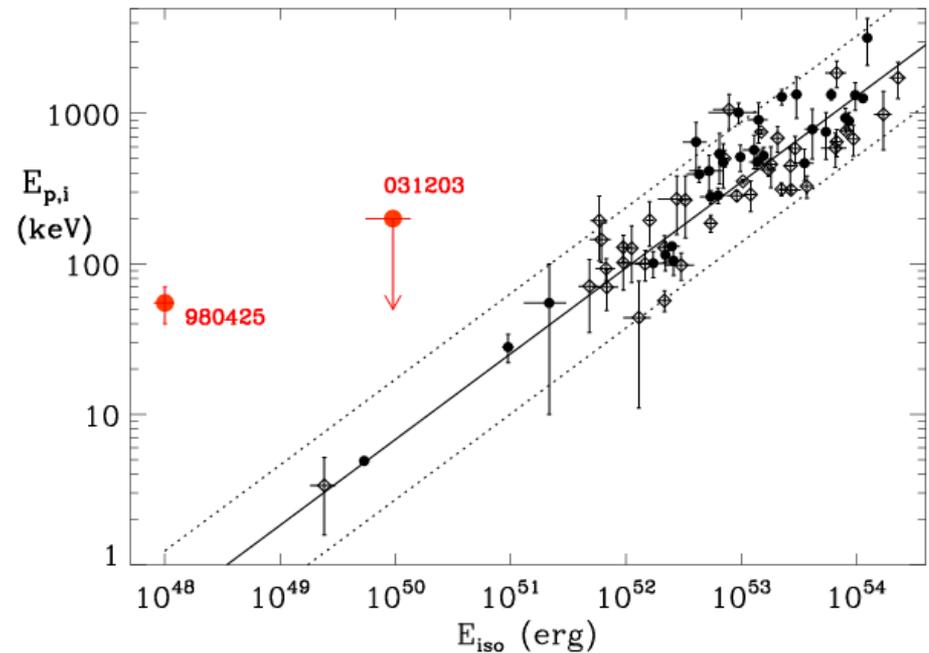
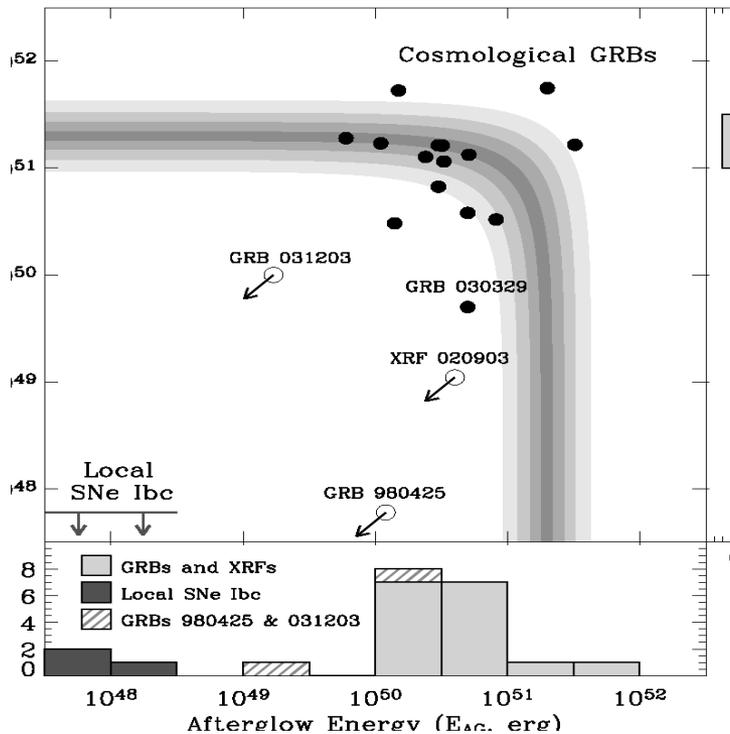


SAX+BATSE (Frontera et al. ApJ, in press)

Fermi (e.g., Li et al. , ApJ, 2012)

# Outliers ?

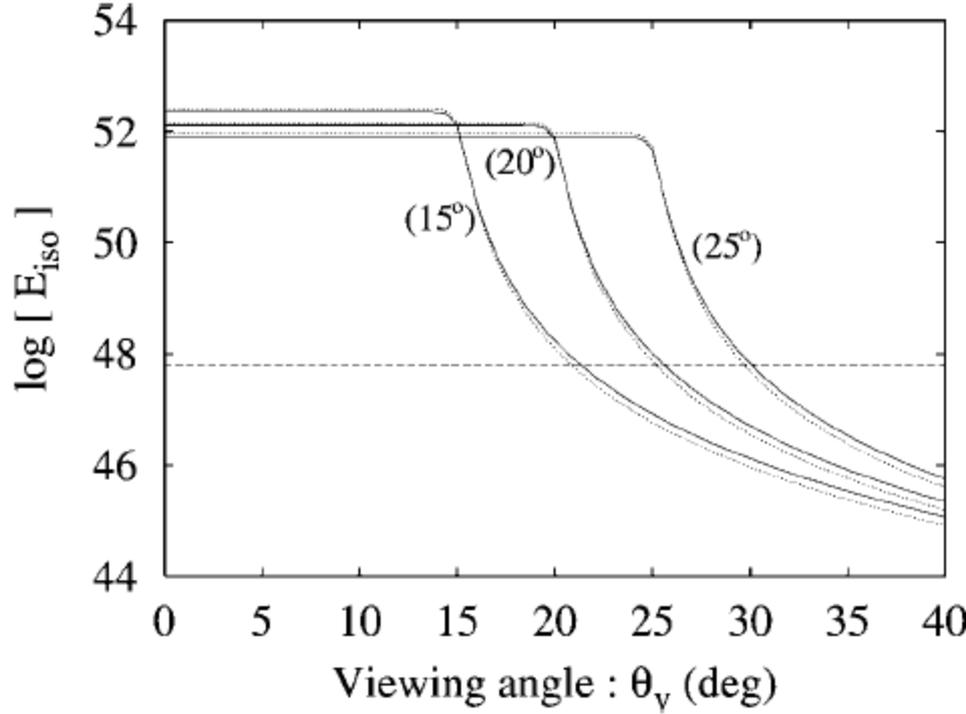
- GRB980425 not only prototype event of GRB/SN connection but closest GRB ( $z = 0.0085$ ) and sub-energetic event ( $E_{\text{iso}} \sim 10^{48}$  erg,  $E_{k,\text{aft}} \sim 10^{50}$  erg)
- GRB031203: the most similar case to GRB980425/SN1998bw: very close ( $z = 0.105$ ), SN2003lw, sub-energetic



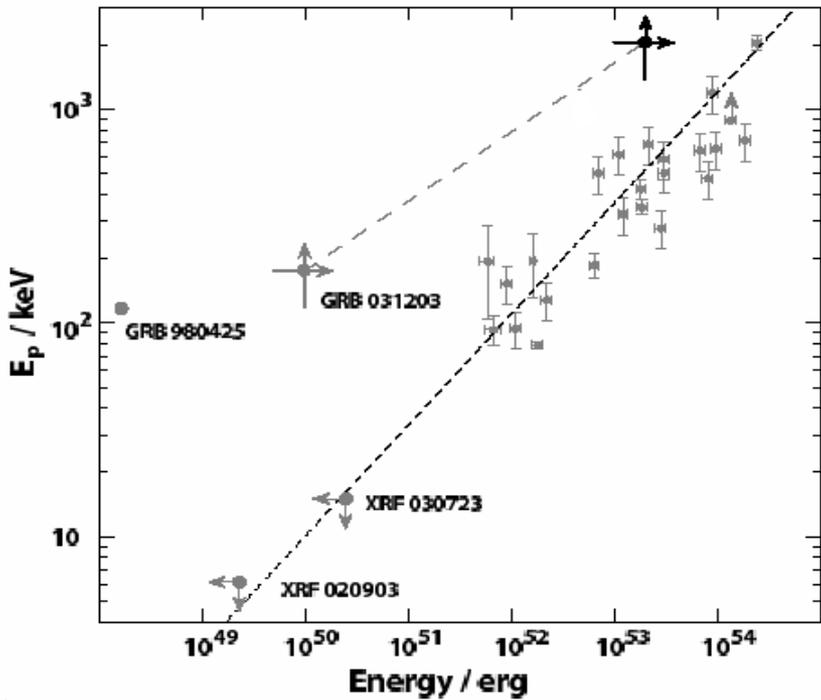
the most common explanations for the (apparent ?) sub-energetic nature of GRB980425 and GRB031203 and their violation of the  $E_{p,i} - E_{iso}$  correlation assume that they are NORMAL events seen very off-axis (e.g. Yamazaki et al. 2003, Ramirez-Ruiz et al. 2005)

$\delta = [\gamma(1 - \beta \cos(\theta_v - \Delta\theta))]^{-1}$ ,  $\Delta E_p \propto \delta$ ,  $\Delta E_{iso} \propto \delta^{(1+\alpha)}$

$\alpha = 1 \div 2.3 \rightarrow \Delta E_{iso} \propto \delta^{(2 \div 3.3)}$



Yamazaki et al., ApJ, 2003

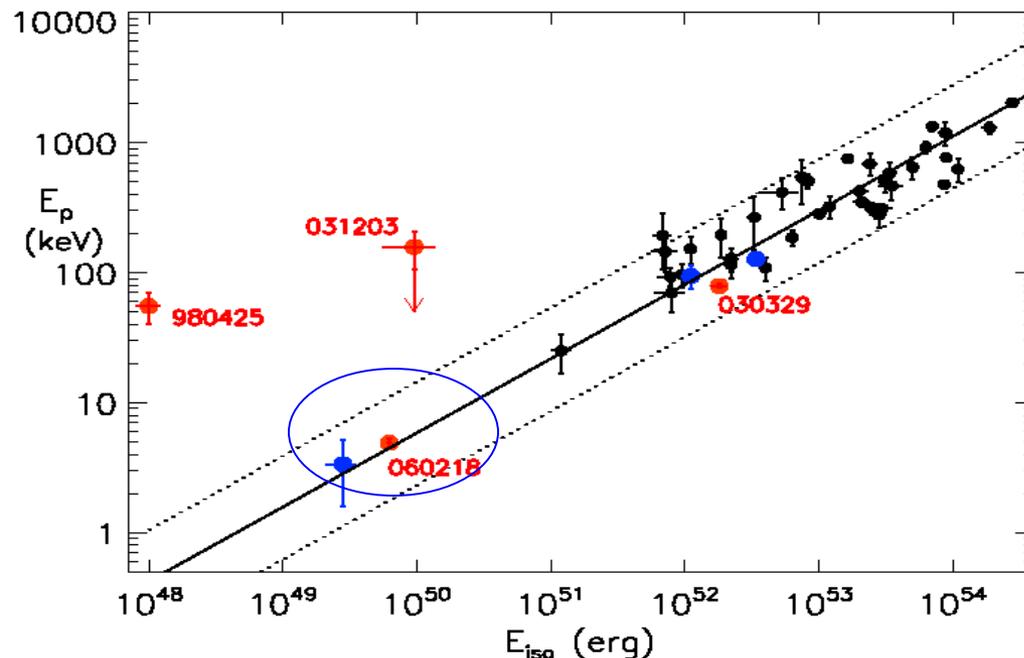


Ramirez-Ruiz et al., ApJ, 2004

❑ **GRB 060218**, a very close ( $z = 0.033$ , second only to GRB9809425), with a prominent association with SN2006aj, and very low Eiso ( $6 \times 10^{49}$  erg) and  $E_{k, \text{aft}}$  -> very similar to GRB980425 and GRB031203

❑ but, contrary to GRB980425 and (possibly) GRB031203, GRB060218 is consistent with the  $E_p, i$ -Eiso correlation -> **evidence that it is a truly sub-energetic GRB** -> likely existence of a population of under-luminous GRB detectable in the local universe

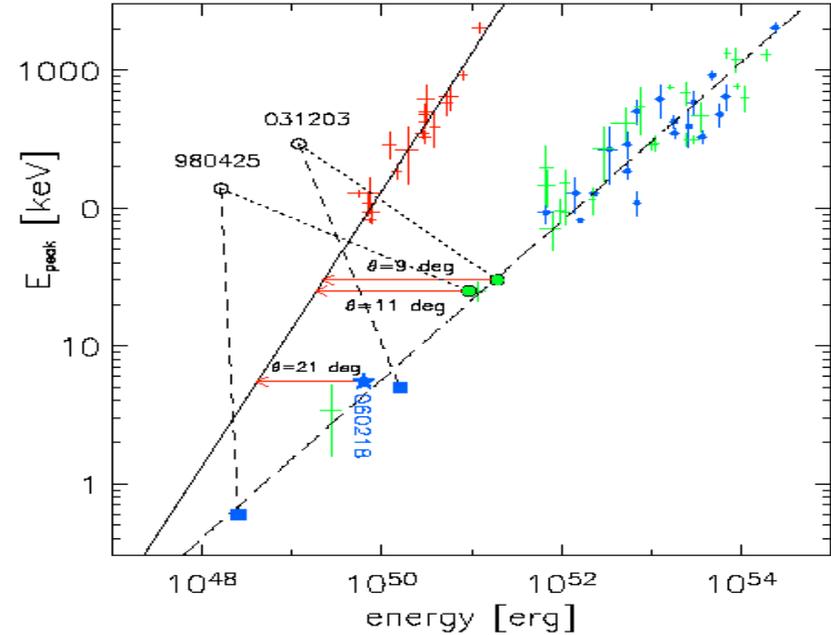
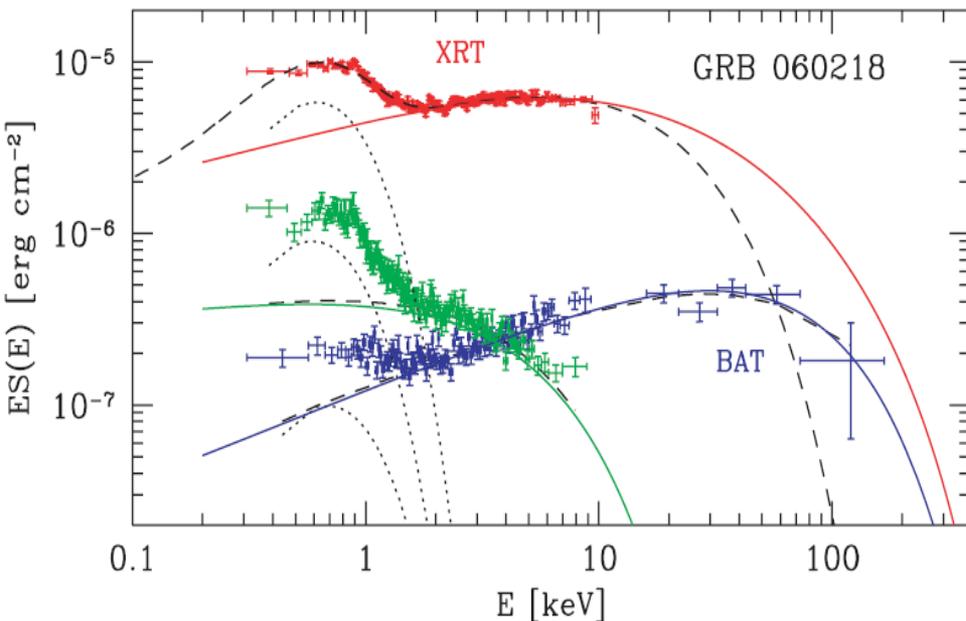
❑ also XRF 020903 is very weak and soft (sub-energetic GRB prompt emission) and is consistent with the  $E_p$ -Eiso correlation



❑ GRB060218 was a very long event (~3000 s) and without XRT measurement (0.3-10 keV)  $E_{p,i}$  would have been over-estimated and found to be inconsistent with the  $E_{p,i}$ -Eiso correlation

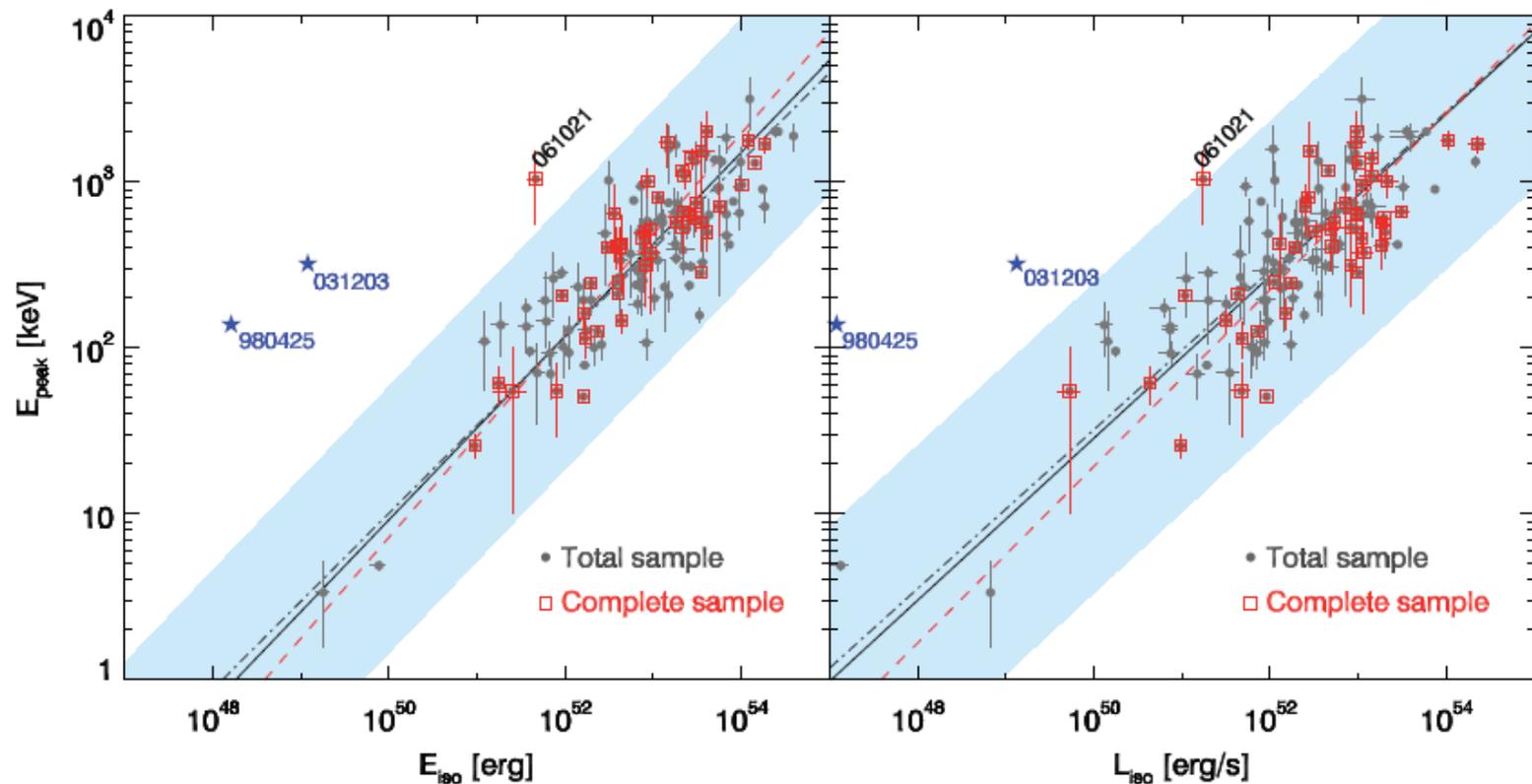
❑ Ghisellini et al. (2006) found that a spectral evolution model based on GRB060218 can be applied to GRB980425 and GRB031203, showing that these two events may be also consistent with the  $E_{p,i}$ -Eiso correlation

❑ sub-energetic GRB consistent with the correlation; **apparent outlier(s) GRB 980425 (GRB 031203) could be due to viewing angle or instrumental effect**



□ Nava et al. 2012:  $E_{p,i} - E_{iso}$  and  $E_p - L_{p,iso}$  correlations confirmed by the analysis of the complete sample by Salvaterra et al. 2011 -> further evidence of low impact of selection effects in redshift

□ GRB 061021 possible outlier, but  $E_p$  based on Konus-WIND analysis of only the first hard pulse -> need time-averaged spectral analysis including long soft tail for reliable  $E_p$  estimate



**Nava et al. 2012, “complete sample of Salvaterra et al. 2011”**